

# Observations for Cosmology and Structure Formation - Part 1

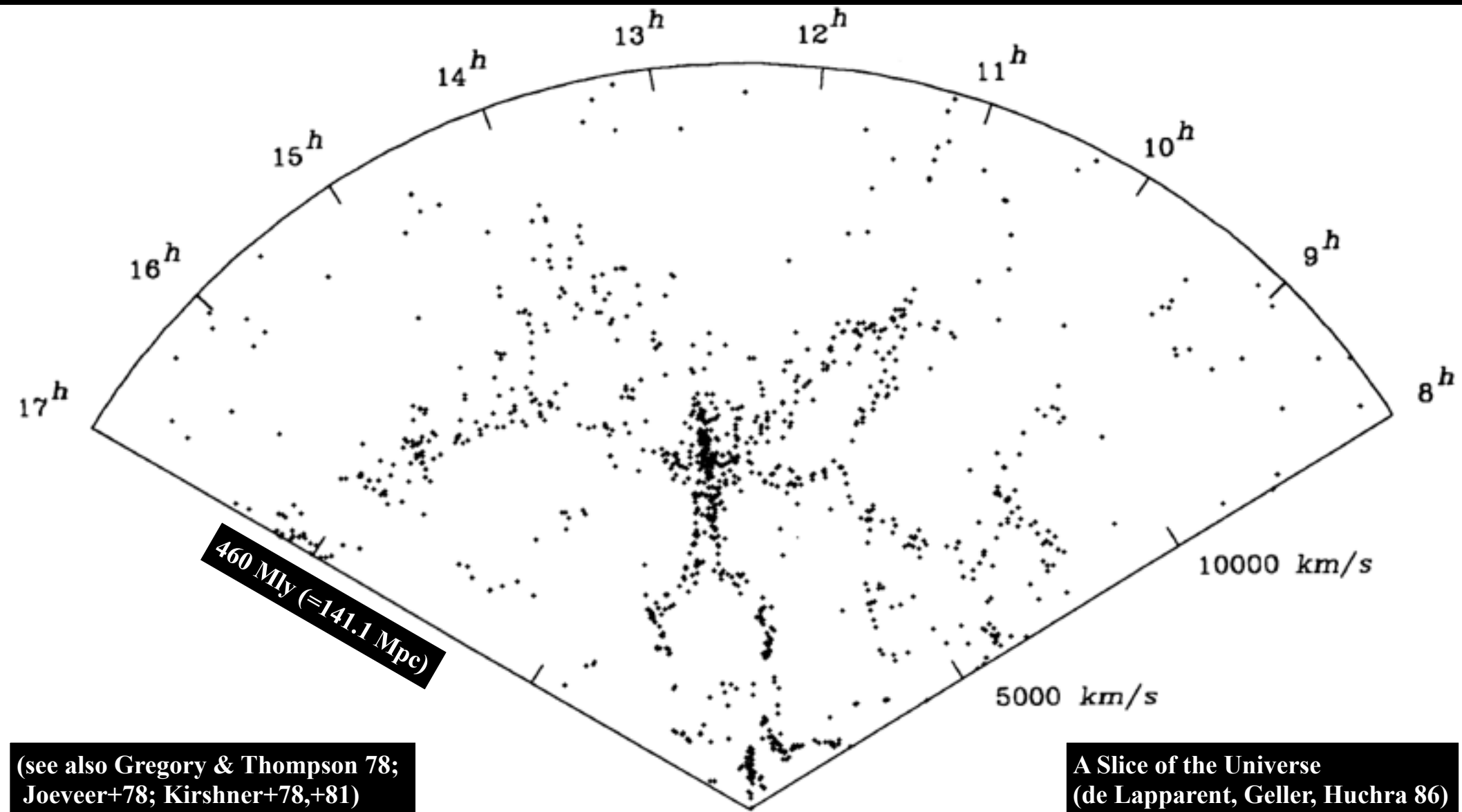
**Ho Seong HWANG**

(KIAS)

2015 July 27

Pyeong-Chang Summer Institute 2015





460 Mly (=141.1 Mpc)

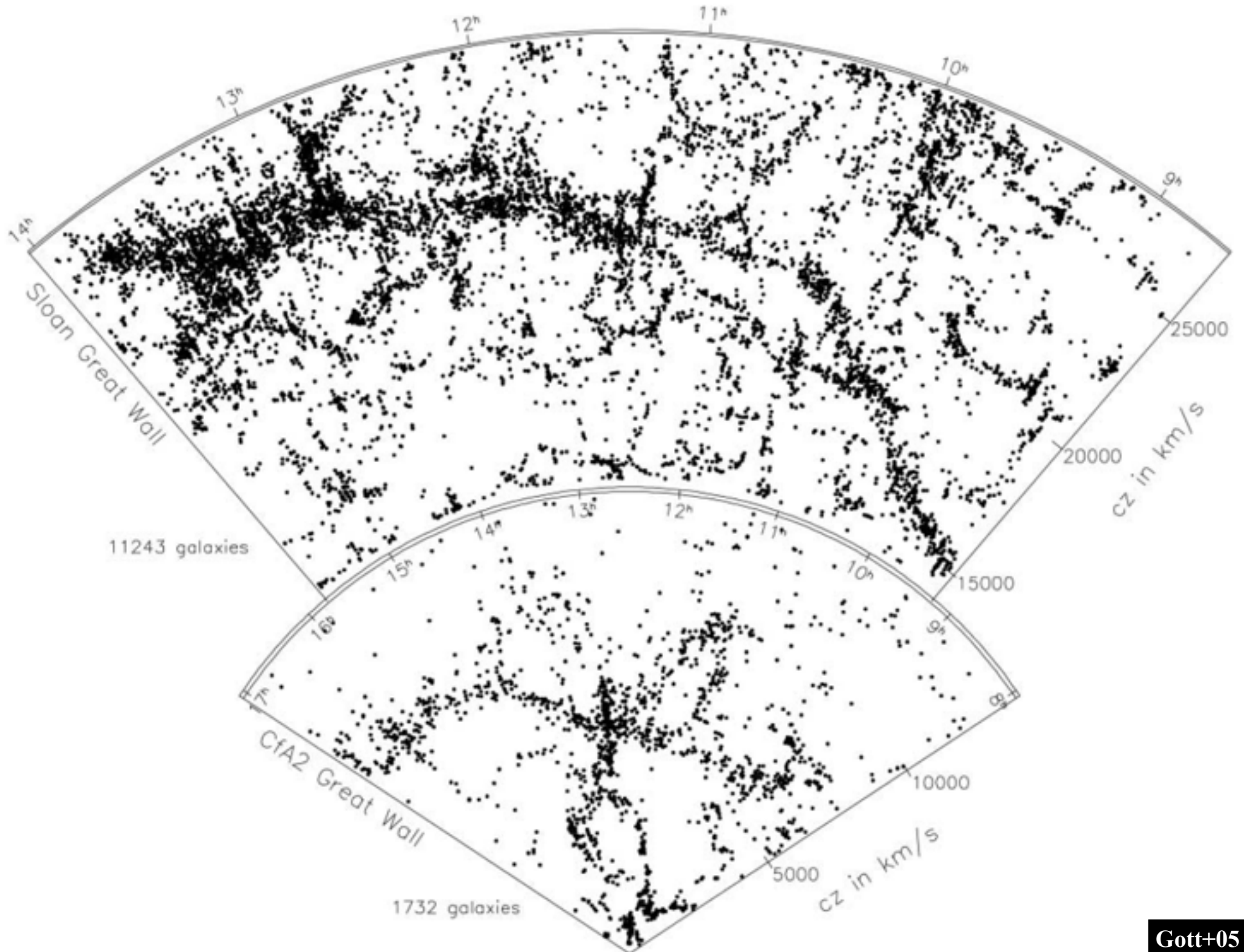
10000 km/s

5000 km/s

(see also Gregory & Thompson 78;  
Joeveer+78; Kirshner+78,+81)

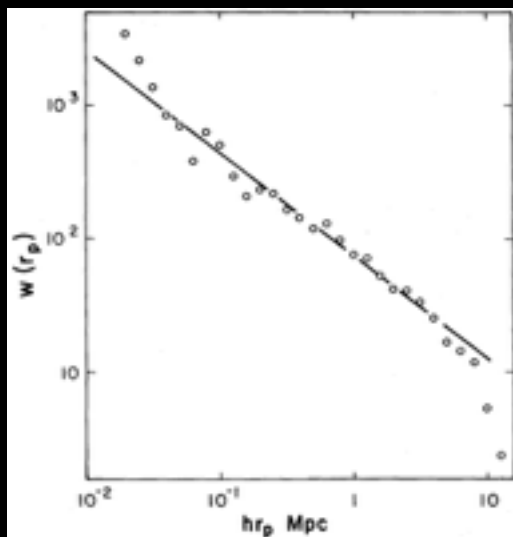
A Slice of the Universe  
(de Lapparent, Geller, Huchra 86)

Right ascension



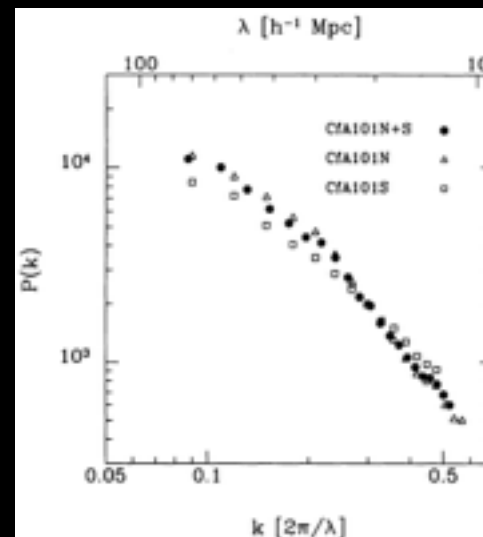
# With Galaxy Redshift Survey data

## ➤ Two-point Correlation Function



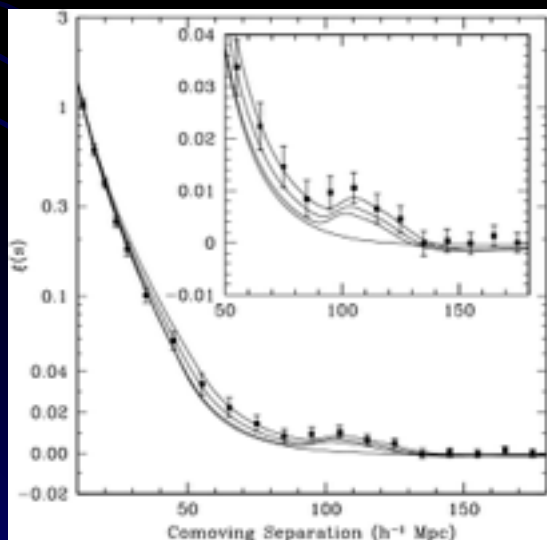
Davis & Peebles (82)

## ➤ Power Spectrum



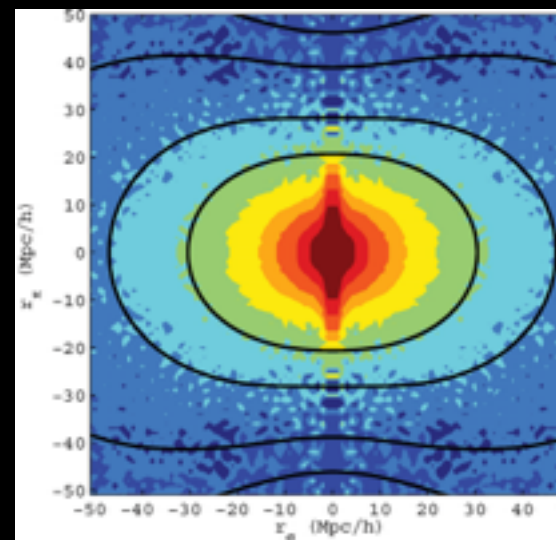
Park+94

## ➤ Baryon Acoustic Oscillation



Eisenstein+05

## ➤ Redshift-Space Distortion



Reid+12



# Contents

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## ➤ Goal:

Understand how to obtain scientific results from observational data (redshift survey)

## ➤ Part 1:

- Extragalactic Distance Indicators
- Optical Spectroscopy
- Redshift Space Distortion

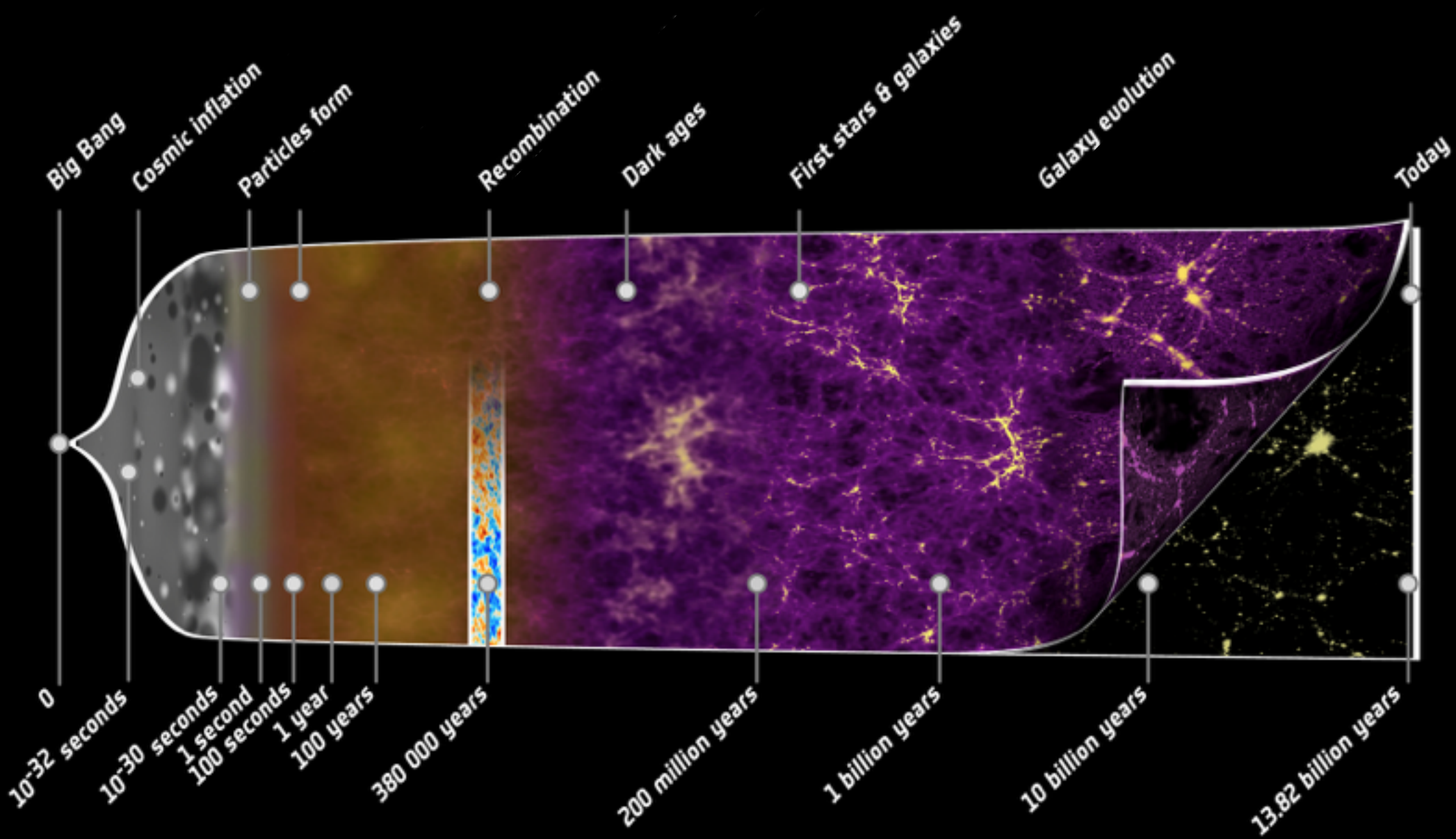
## ➤ Part 2:

- Voids
- Photometric Redshifts (K-correction)
- Cosmology with High- $z$  Objects
- Peculiar Velocity (Large-Scale Structure Near Local Group)

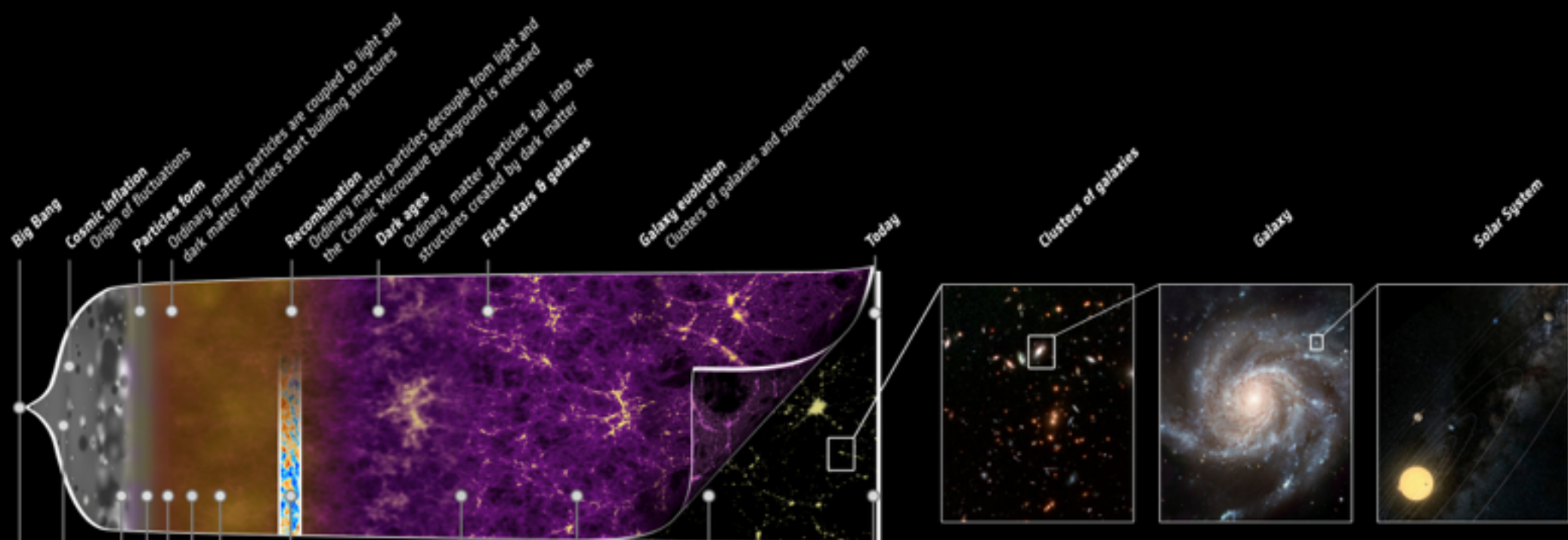
## ➤ Part 3:

- Current/Future Redshift Surveys

# History of the Universe

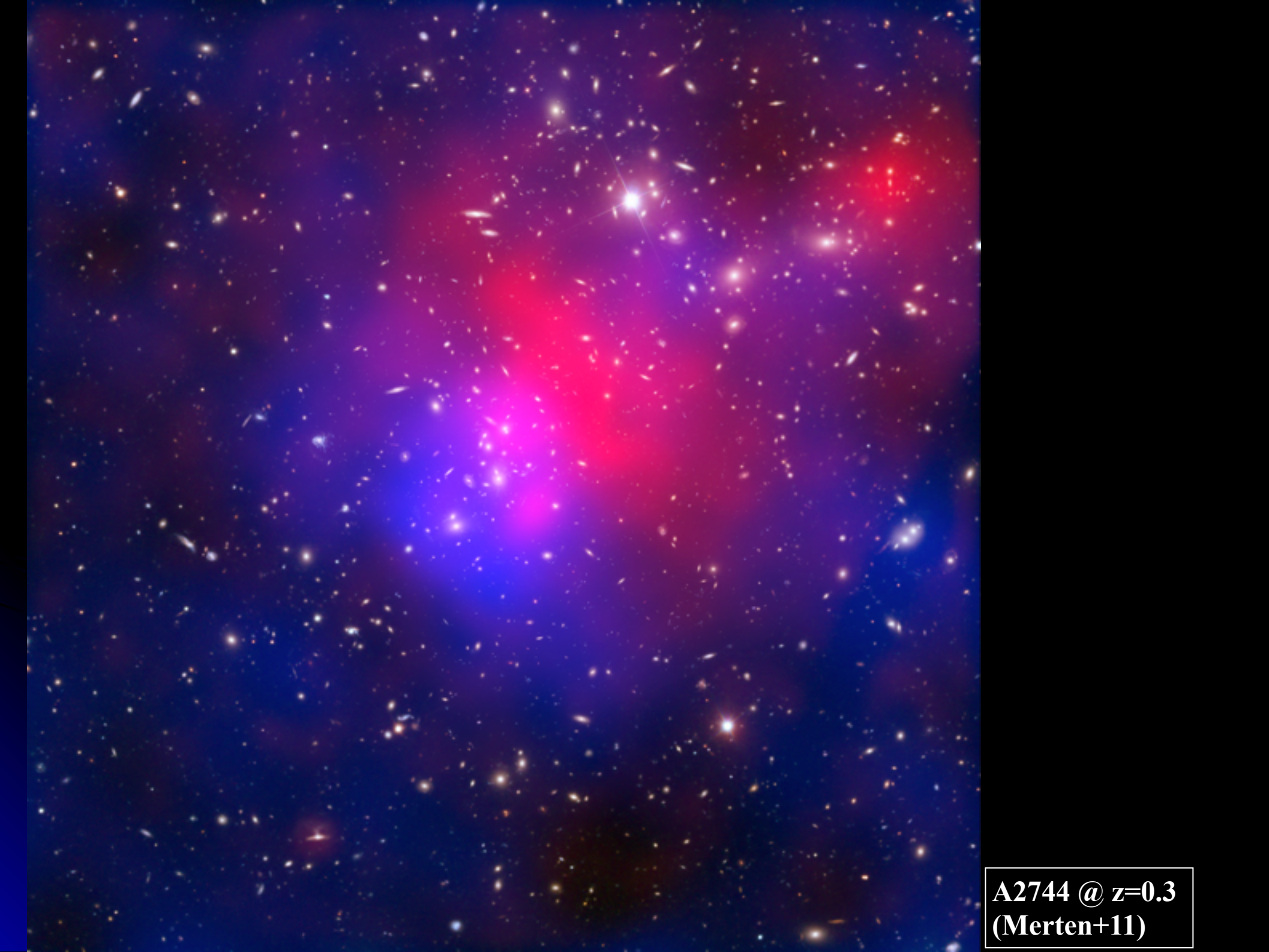


# History of the Universe



Planck





**A2744 @  $z=0.3$   
(Merten+11)**



# What is Large-Scale Structure of the Universe?

➤ Structure larger than Galaxy Clusters

➤ Over-density Structure

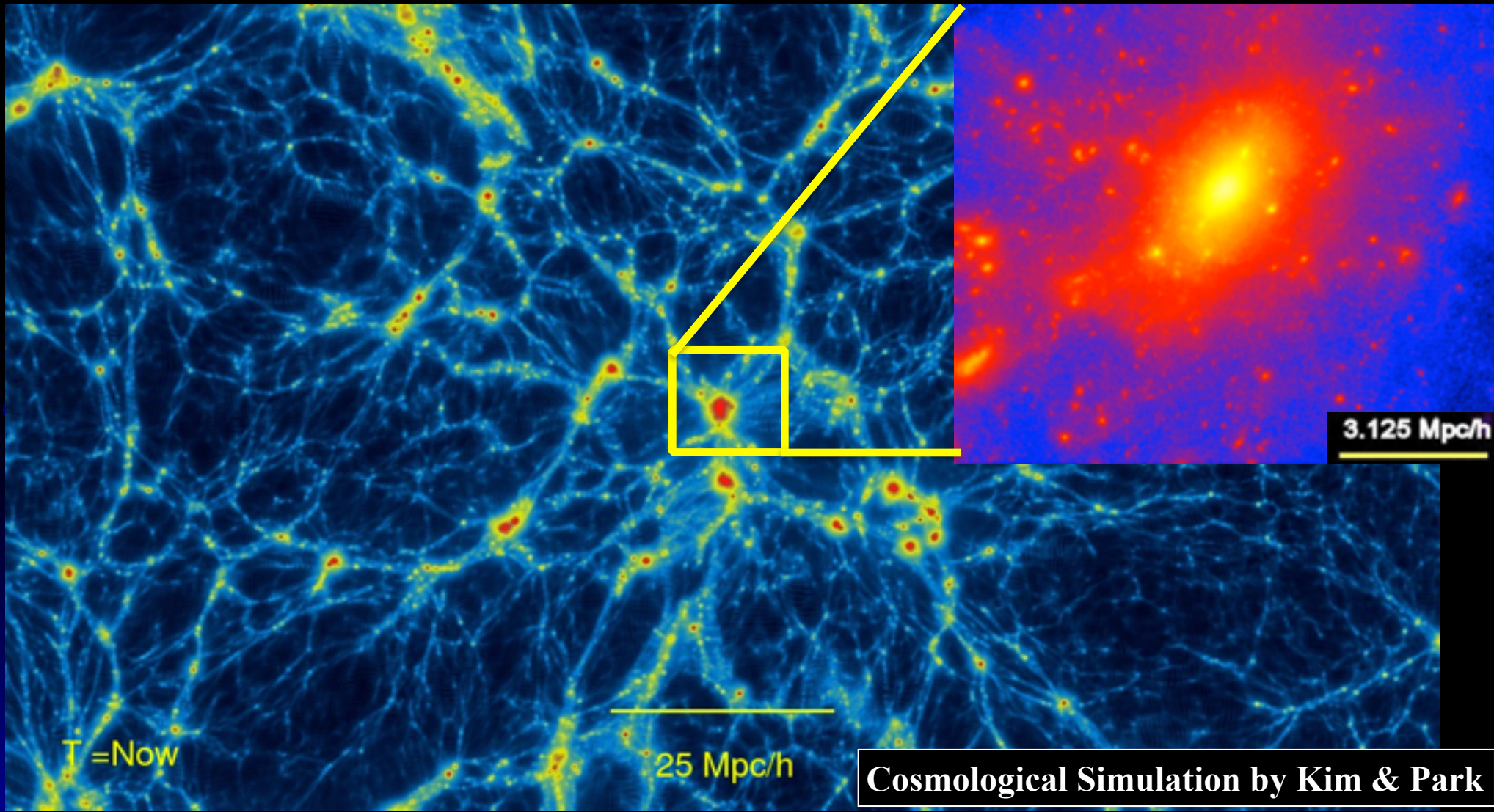
➤ Filament, Chain

➤ Wall, Pancake, Sheet

➤ Under-density Structure

➤ Tunnel

➤ Void, Cell, Bubble

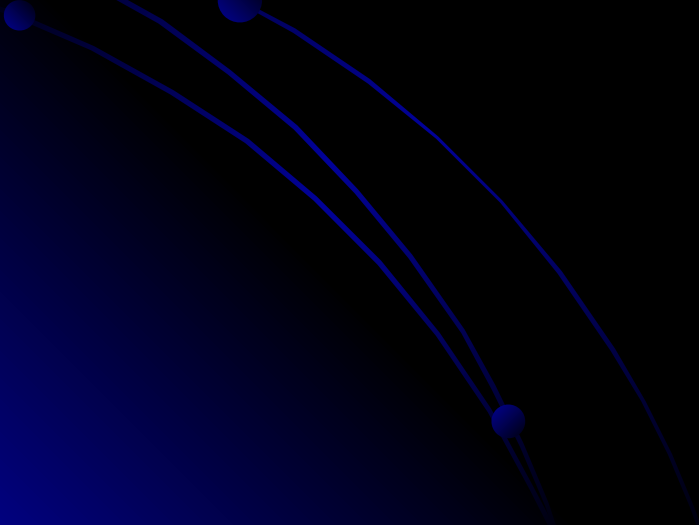


# Why Large-Scale Structure of the Universe?

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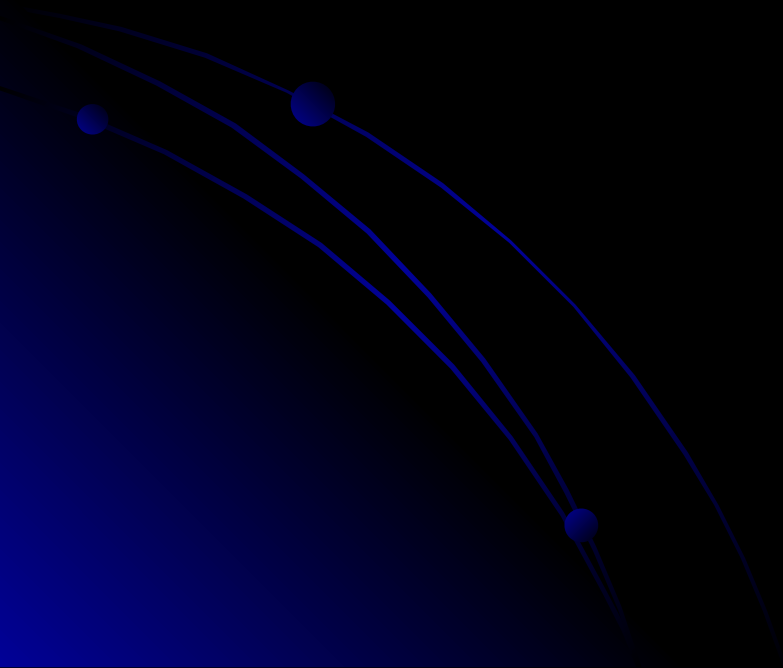
- **Large Structures :**
  - grew from small initial fluctuations after the inflation**
- **Smaller structures form first, larger structures form later:**
  - we can study the formation of structure in action**
- **Physical properties of large-scale structure depend on**
  - **cosmological parameters**
  - **physics of galaxy formation**

← **Strong Constraints**





# Extragalactic Distance Indicators



# Extragalactic distance scale (Cosmological Distance Ladder)

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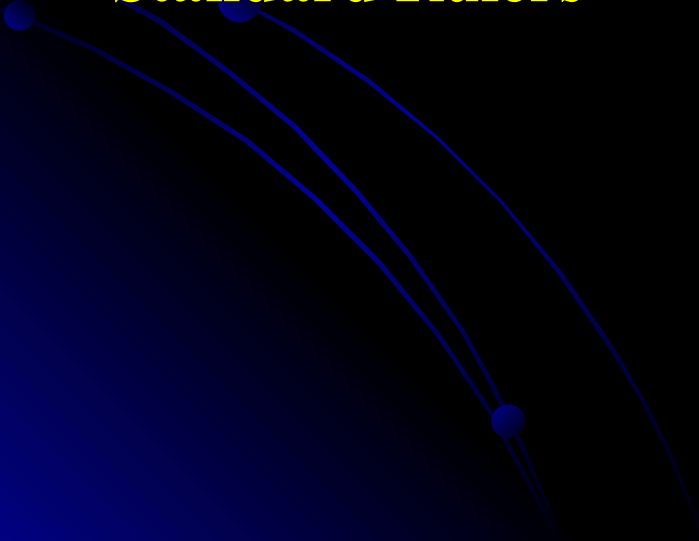
## ➤ **Absolute Distance (known intrinsic properties)**

- **Known Candles: luminosity**
- **Known Rulers: size**

## ➤ **Relative Distance**

**(Secondary Distance Indicators; objects with standardized properties)**

- **Standard Candles**
- **Standard Rulers**



# Extragalactic distance scale (Cosmological Distance Ladder)

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## ➤ **Absolute Distance (known intrinsic properties)**

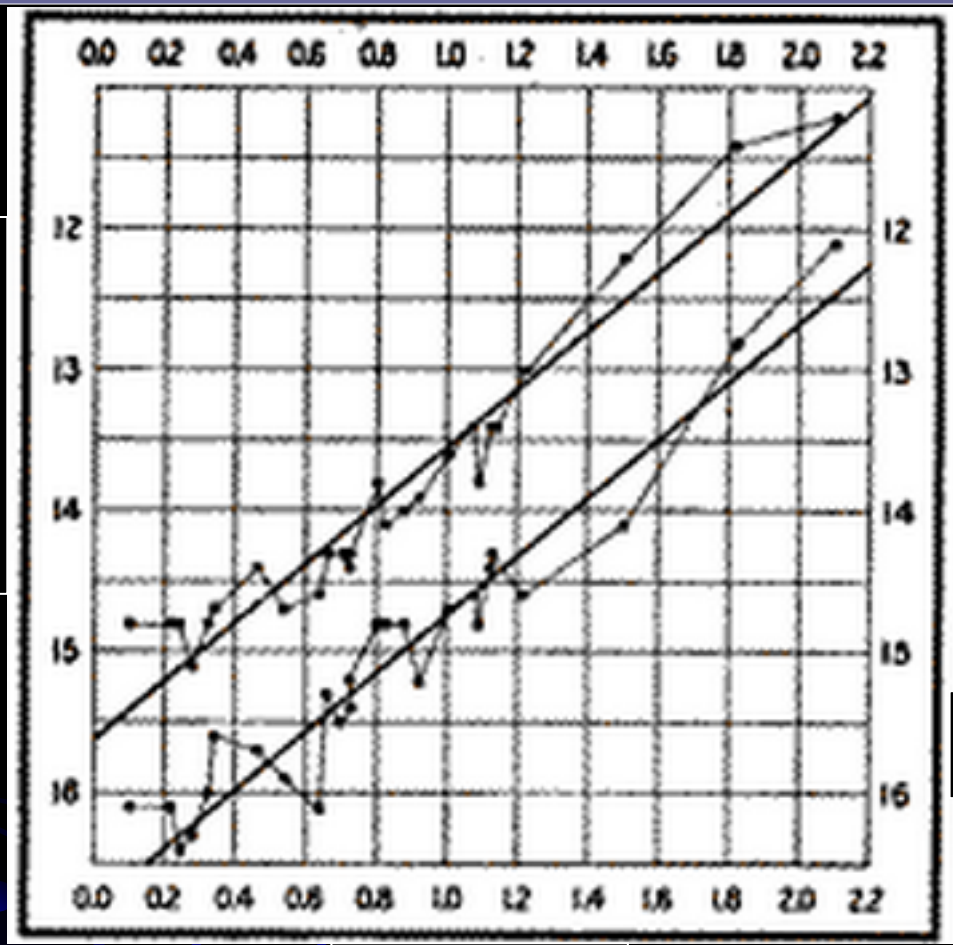
- **Trigonometric Parallax**
- **Statistical Parallax**
- **Moving Cluster Method**

## ➤ **Relative Distance (objects with standardized properties)**

- **Main Sequence Fitting**
- **Cepheids: Leavitt's Law (Period-luminosity Relation)**
- **RR Lyraes**
- **Globular Cluster Luminosity Function (GCLF)**
- **Planetary Nebula Luminosity Function (PNLF)**
- **Tip of the Red Giant Branch**
- **Novae**
- **Supernovae Type Ia**
- **Surface Brightness Fluctuations**
- **Redshift**
- **Tully-Fisher Relation**
- **$D_n - \sigma$  Relation**
- **Brightest Cluster Galaxies Technique**
- **Sunyaev-Zel'dovich Effect**
- **Gravitational Lens Time Delays**

# Leavitt's Law (Period-luminosity Relation)

Apparent Magnitudes



log (Period/days)

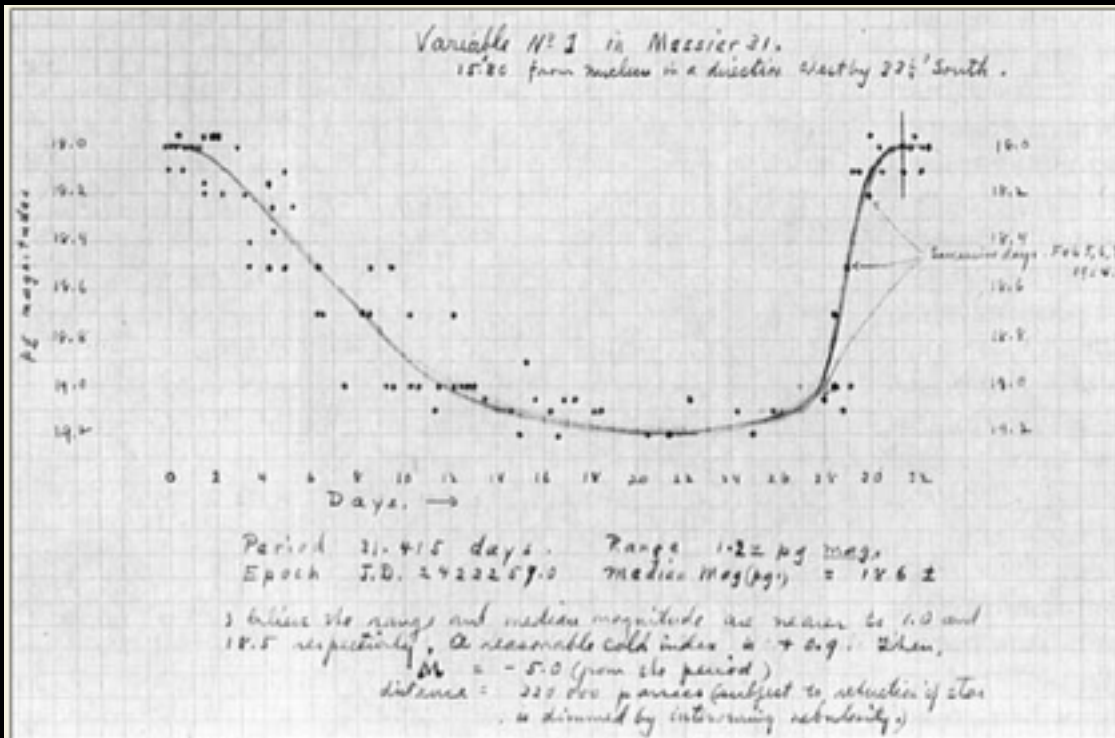


Henrietta Leavitt (1868-1921)

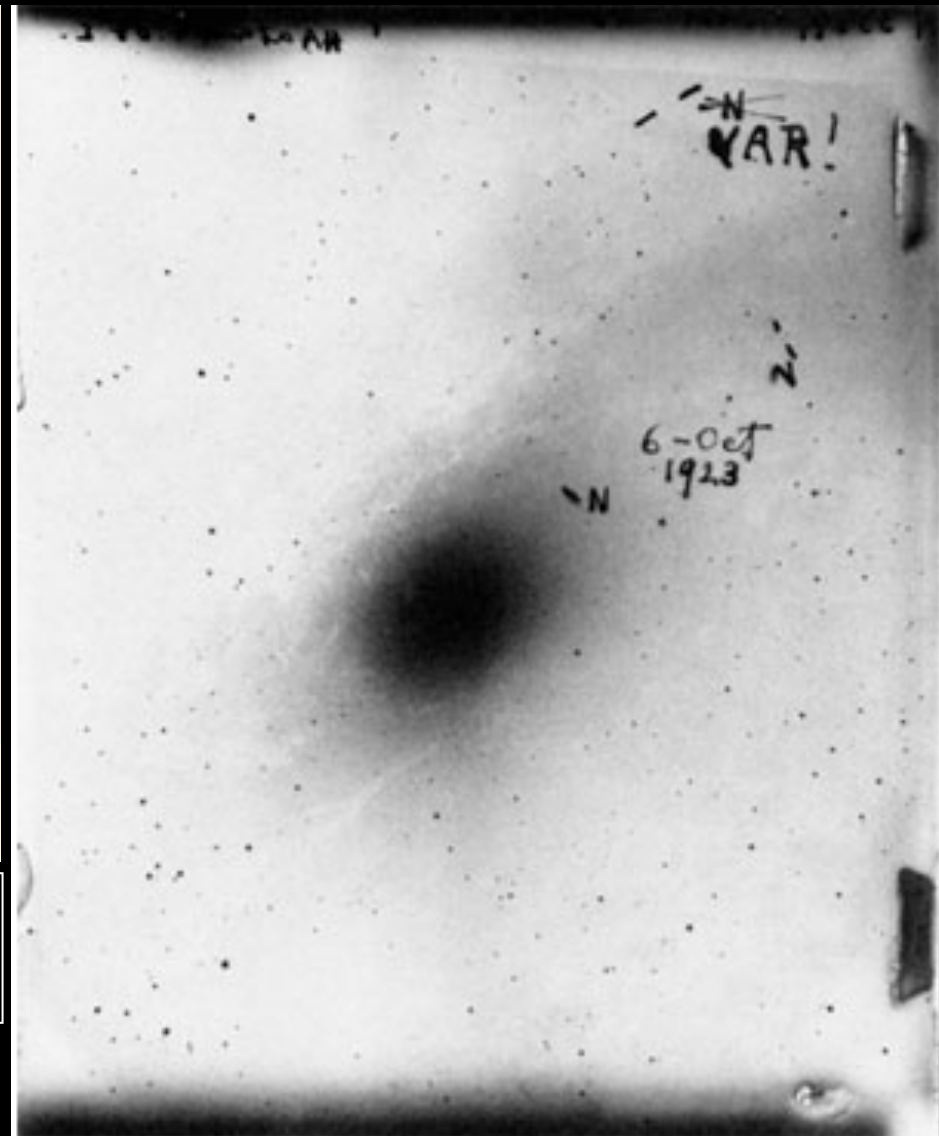
Cepheids in SMC (d~61 kpc)  
Leavitt (1912)

- $m = a + b \log(P) \rightarrow M = a + b \log(P)$  where  $m-M = 5 \log D - 5$
- Absolute Calibration by
  - Hertzsprung (1913) with secular parallax, and later by Shapley (1918)
- Cepheids (supergiant stars)
  - Bright & Simple: Just need to measure the period

# Hubble's Andromeda



The curve of luminosity of the first Cepheid variable star discovered by Edwin Hubble in the Andromeda Nebula, M31. Using this he could determine the nebula's distance. Hubble included this graph in his 19 February 1924 letter to Harlow Shapley.



- NGC 6822 (Hubble 1925)
- M33 (Hubble 1926)
- M31 (Hubble 1926,  $d=276 \text{ kpc} \rightarrow 778 \text{ kpc}$ )



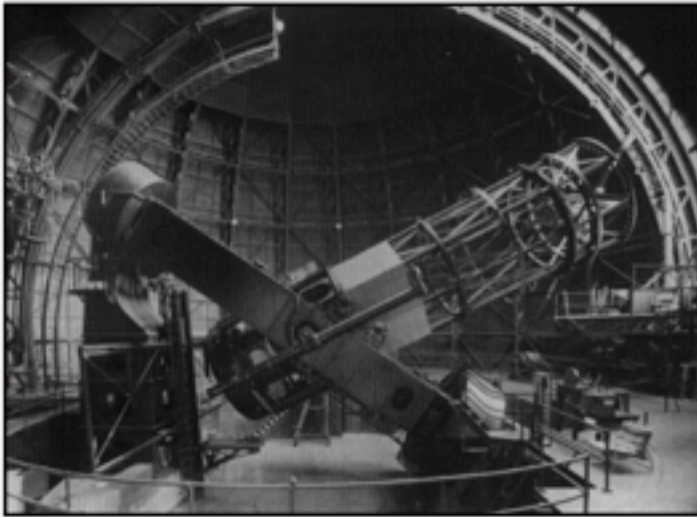
Shapley said to a person in his office: "Here is a letter that has destroyed my universe" (1924)



# Expansion of the Universe



Edwin Hubble  
1889 – 1953



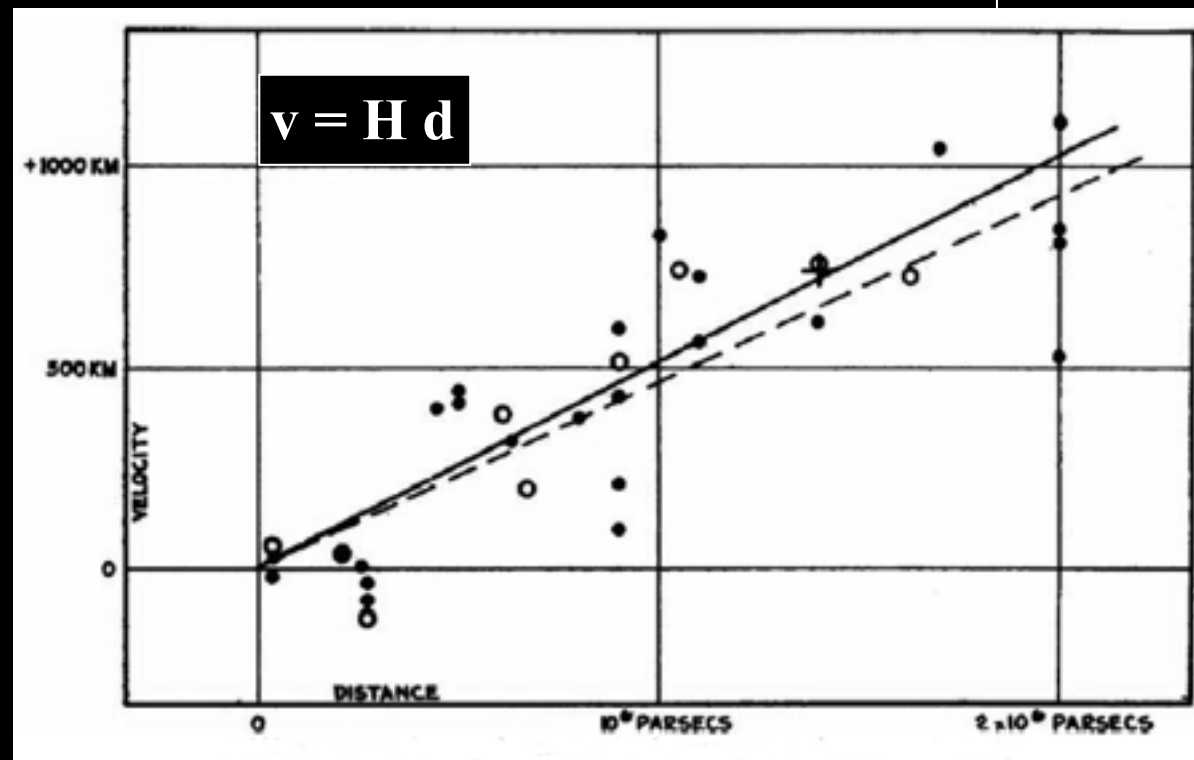
100 inch Mt Wilson Telescope



Milton Humason  
1891 – 1972

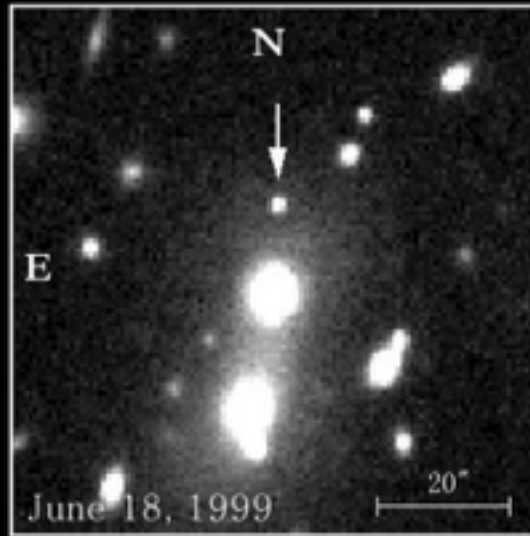
Hubble 1929

➤ Redshift ( $v=cz$ ) as galaxy's distance





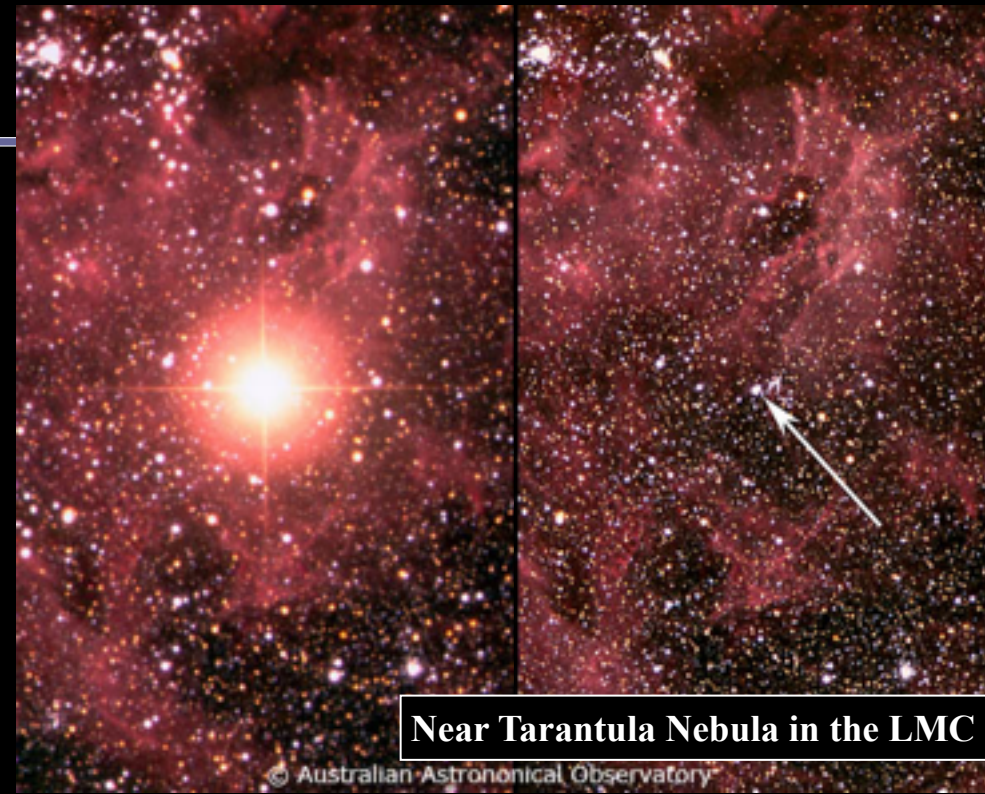
# Supernovae



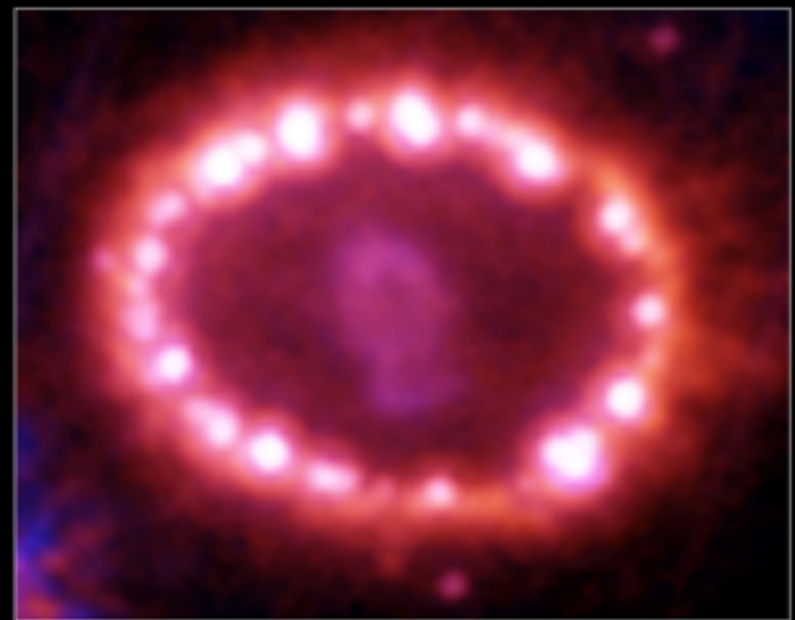
**SN 1999dm in  
Galaxy Cluster Abell 2065**

BOAO 1.8 m

Department of Astronomy, Seoul National University - July 7, 1999



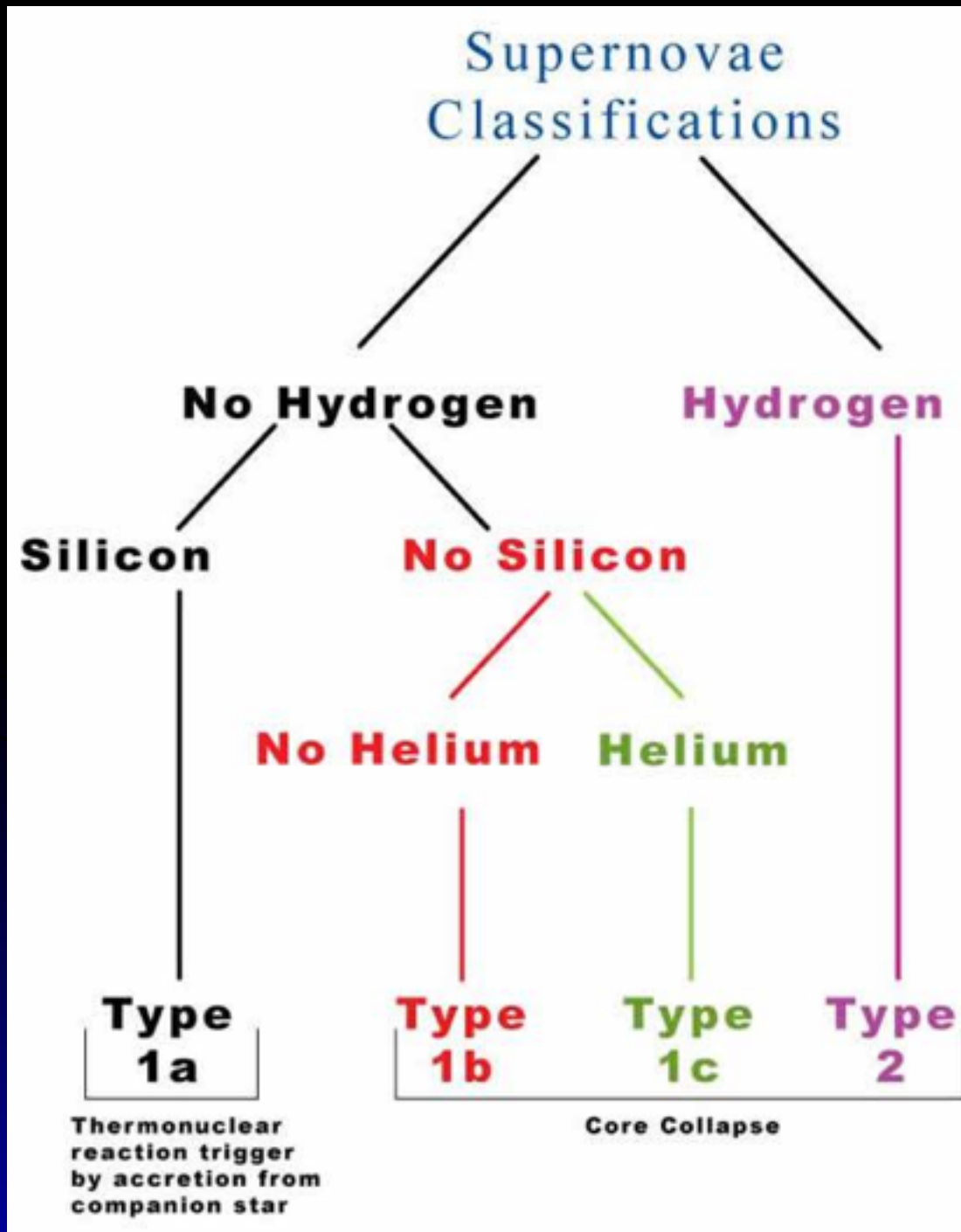
**Near Tarantula Nebula in the LMC**



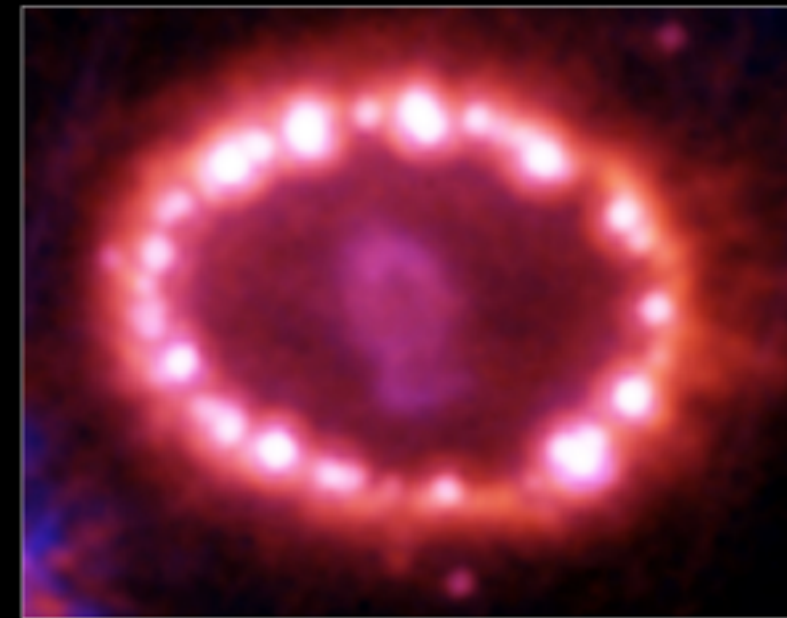
**Supernova 1987A • November 28, 2003  
Hubble Space Telescope • ACS**



# Supernovae

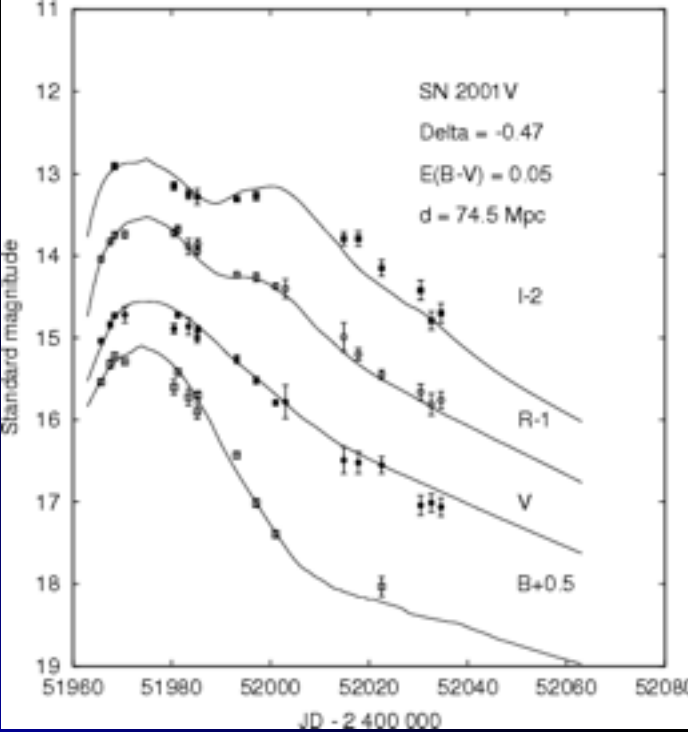
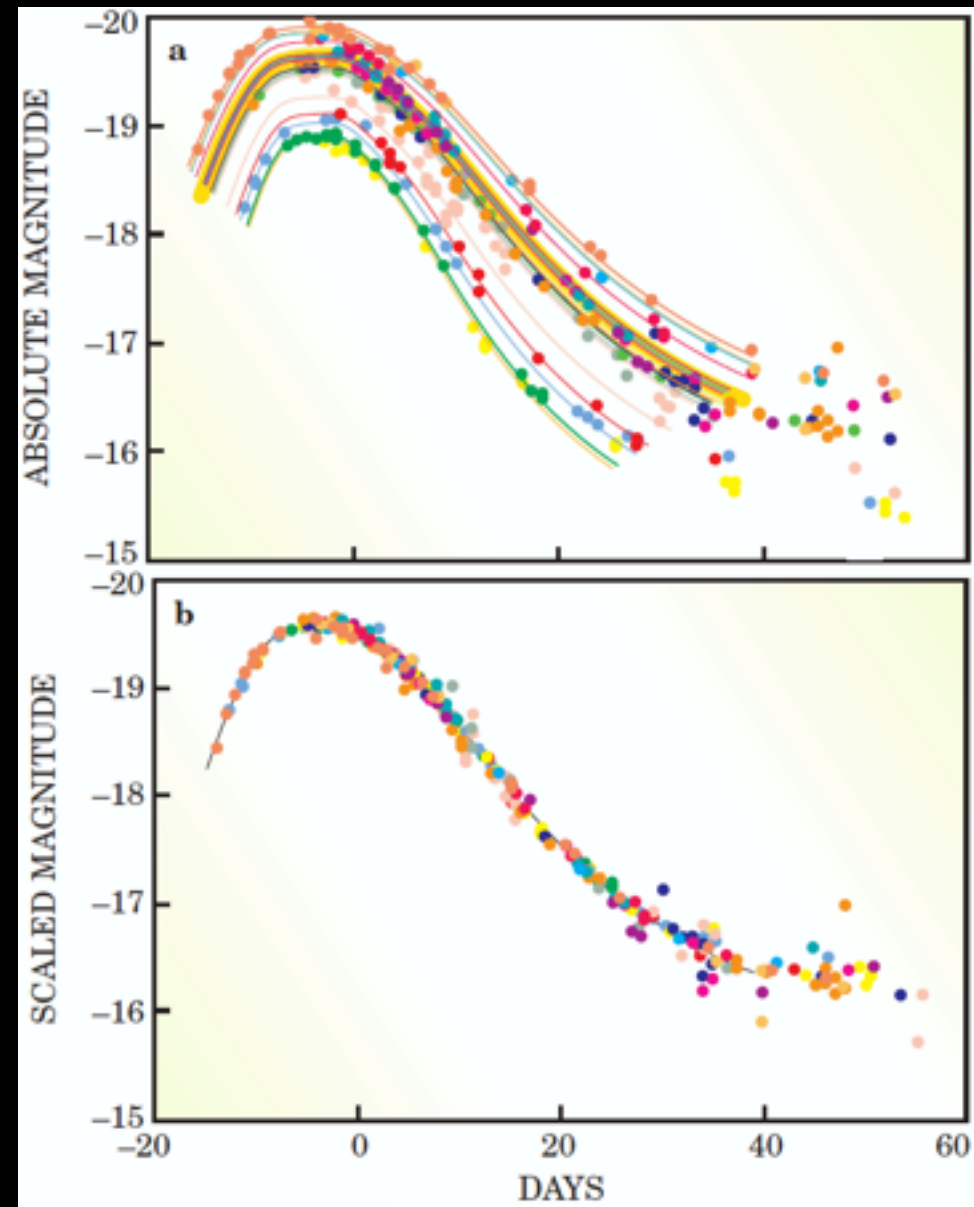
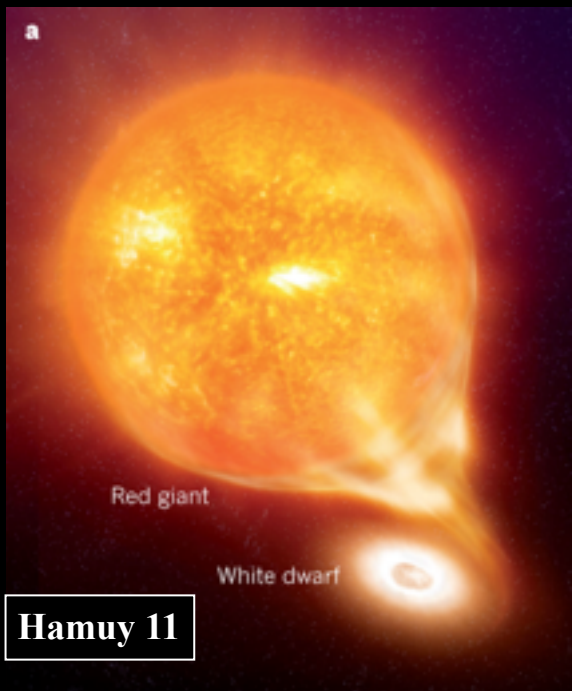


Australian Astronomical Observatory



Supernova 1987A • November 28, 2003  
Hubble Space Telescope • ACS

# Type 1a Standardized Candles

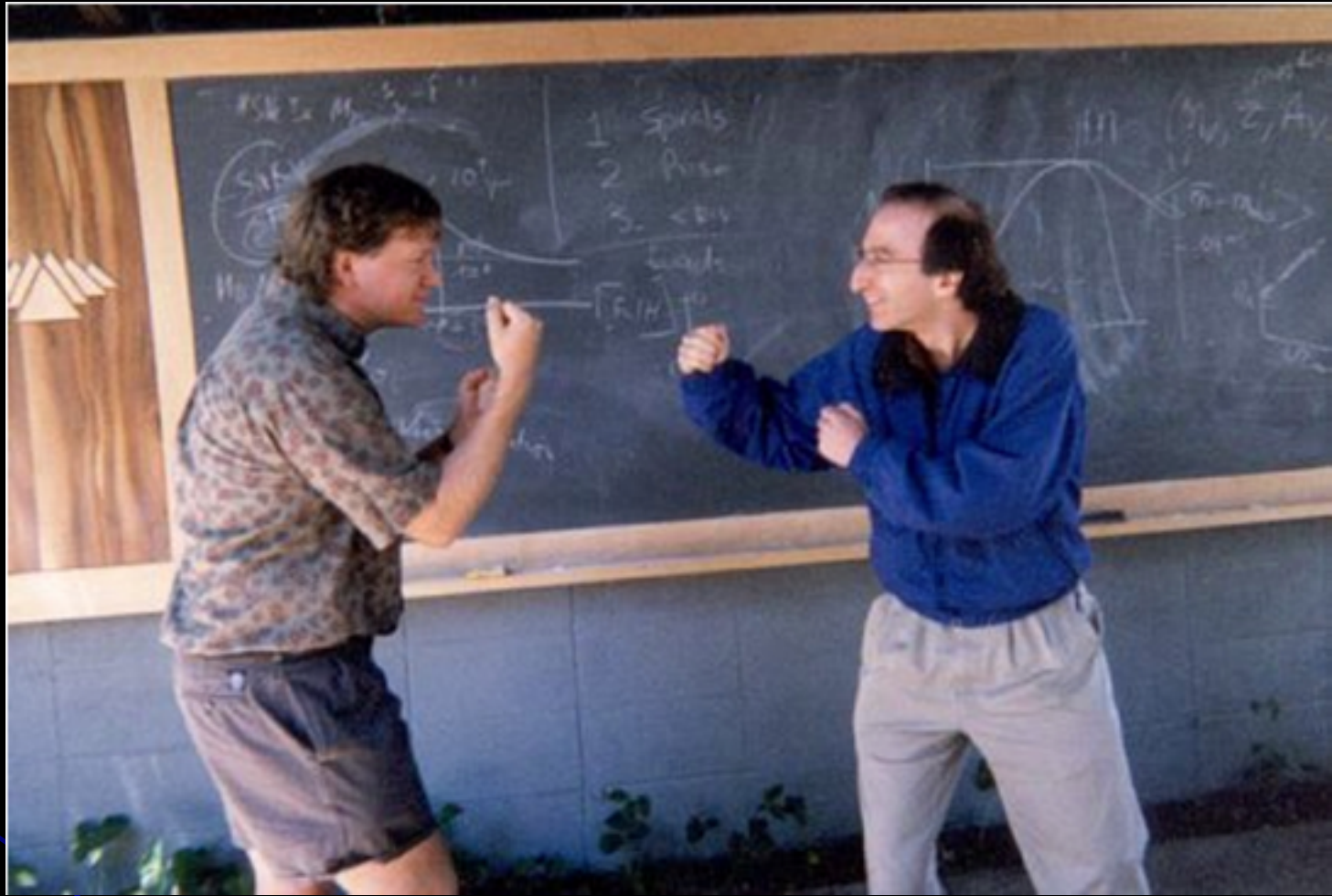


**Multi-color  
light curve  
shape method  
(MLCS, Riess+96)**

**Stretch method (Perlmutter+97;03)**

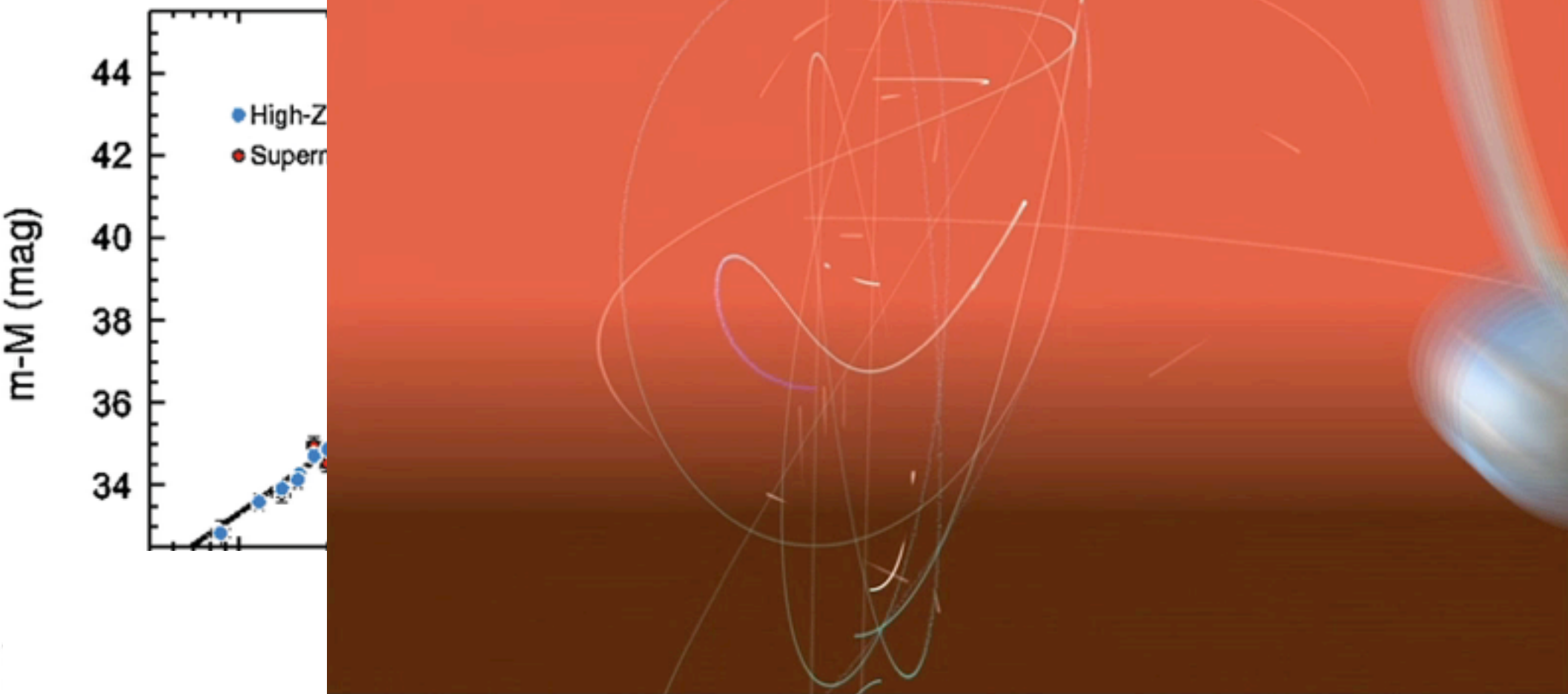


# Accelerating Universe

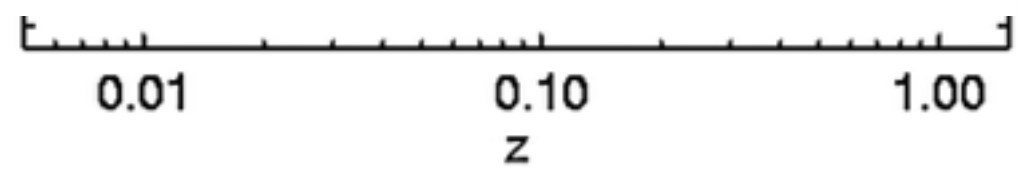
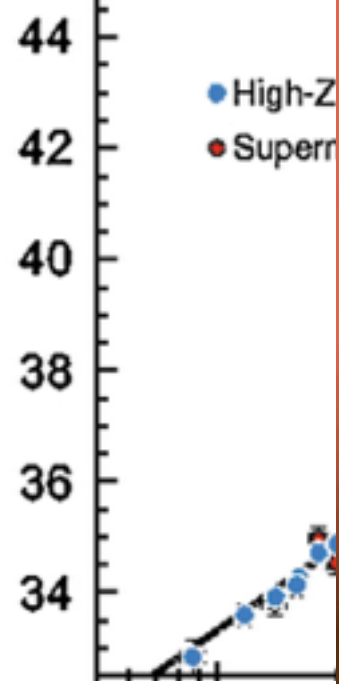


- **High-Z Supernova Search Team**
- P.I.: B. Schmidt (Harvard)
- Started late (94), but publish early (March 98→01)

- **Supernova Cosmology Project**
- P.I.: S. Perlmutter (Berkeley)
- Started early (88), but publish late (Sept. 98→01)



m-M (mag)



# 2015: 100th Anniversary of General Relativity

Einstein's Field Equation (1915)

$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu} = 8\pi GT_{\mu\nu}$$

$$R_{\mu\nu} - \frac{1}{2}Rg_{\mu\nu} + \Lambda g_{\mu\nu} = 8\pi GT_{\mu\nu}$$

Friedmann Equations (1922)

$$H^2 \equiv \left(\frac{\dot{a}}{a}\right)^2 = \frac{8\pi G}{3}\rho - \frac{k}{a^2 R_0^2}$$

$$\frac{\ddot{a}}{a} = -\frac{4\pi G}{3}(\rho + 3p)$$

$$H^2 = \frac{8\pi G}{3}\rho + \frac{\Lambda}{3} - \frac{k}{a^2 R_0^2}$$

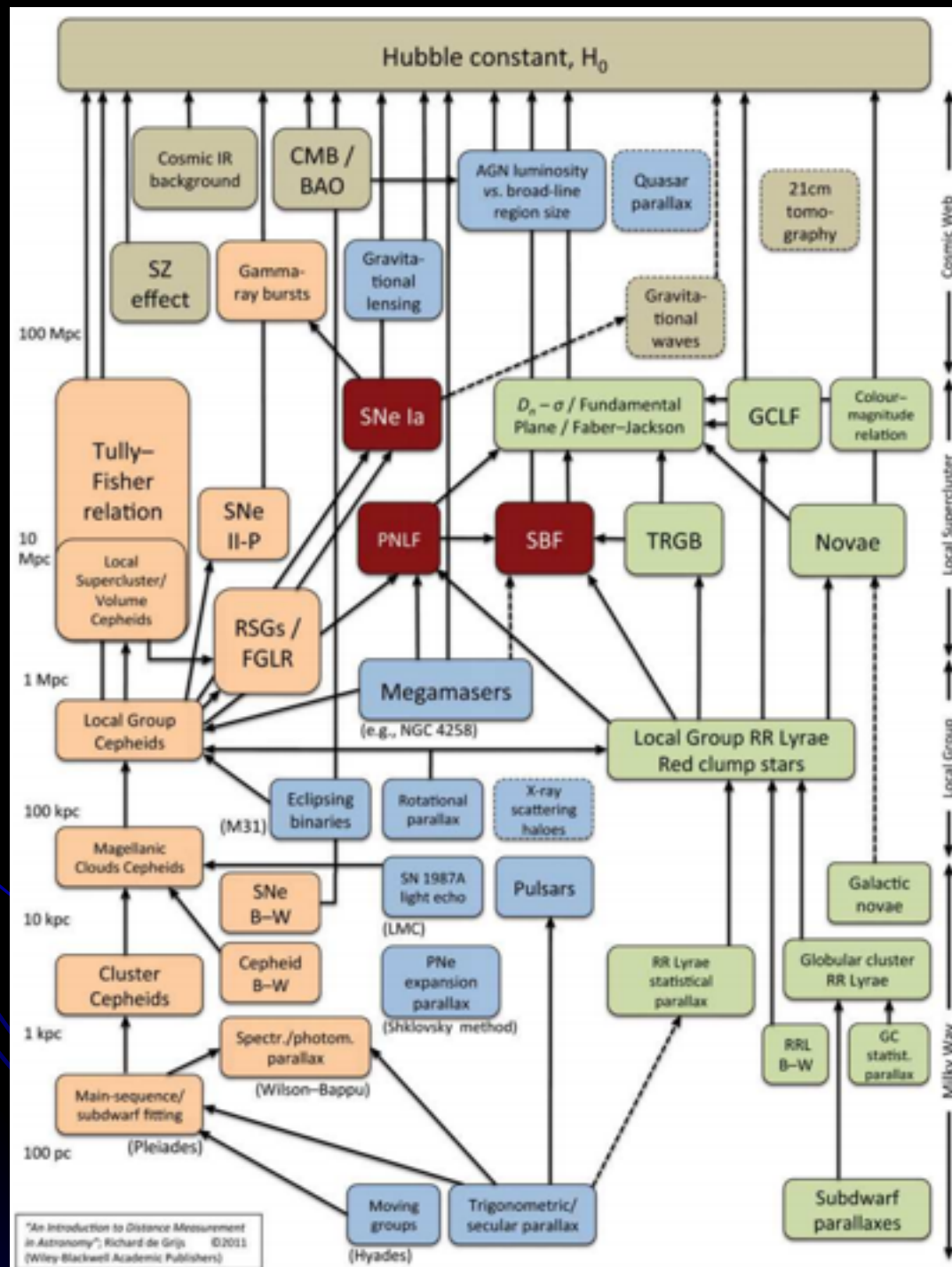
$$\frac{\ddot{a}}{a} = -\frac{4\pi G}{3}(\rho + 3p) + \frac{\Lambda}{3}$$

static ( $\dot{a} = 0$ ) solutions



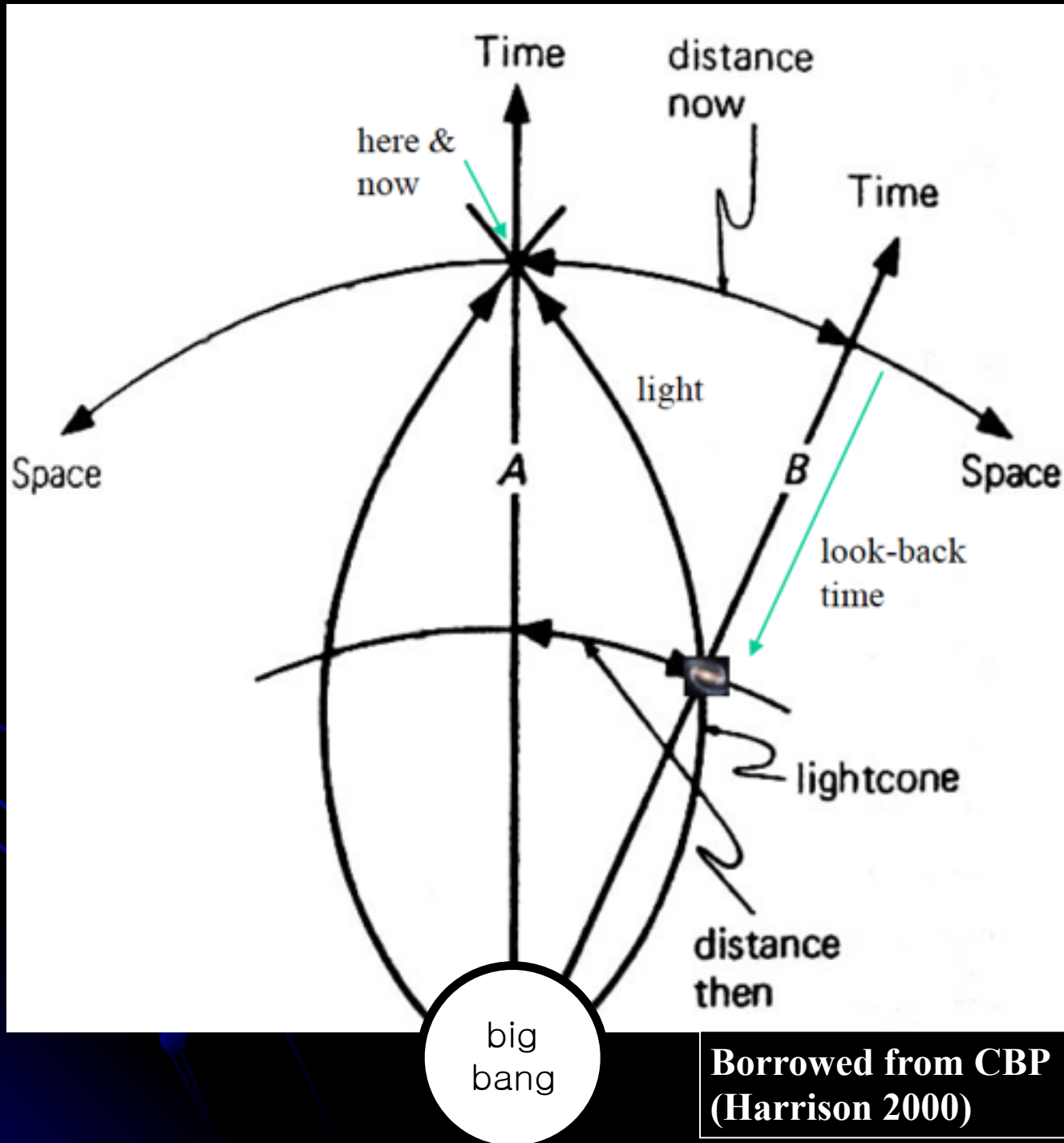


# Extragalactic distance scale (Cosmological Distance Ladder)



"An Introduction to Distance Measurement in Astronomy", Richard de Grijs ©2011 (Wiley-Blackwell Academic Publishers)

# What Distance?



Borrowed from CBP  
(Harrison 2000)

## ➤ Redshift

$$\frac{\lambda_0}{\lambda_e} = 1 + z = \frac{a(t_0)}{a(t_e)}$$

## ➤ Comoving Distance (line of sight): From Robertson-Walker metric,

$$ds^2 = dt^2 - R^2[dr^2 + S^2(d\theta^2 + \sin^2\theta d\phi^2)]$$

$$r = \int_t^{t_0} \frac{dt}{R} = \frac{1}{R_0} \int_0^z \frac{dz}{H} \quad H = H_0[\Omega_M(1+z)^3 + \Omega_k(1+z)^2 + \Omega_\Lambda]$$

$$D_C = D_H \int_0^z \frac{dz'}{E(z')}$$

$$D_H \equiv \frac{c}{H_0} = 3000 h^{-1} \text{ Mpc} = 9.26 \times 10^{25} h^{-1} \text{ m}$$

$$E(z) \equiv \sqrt{\Omega_M(1+z)^3 + \Omega_k(1+z)^2 + \Omega_\Lambda}$$

## ➤ Proper Distance: $D_C \times a(t) = D_C / (1+z)$

## ➤ Angular Diameter Distance:

$$d_A \equiv \frac{D}{\delta\theta} = \frac{D_M}{1+z} \quad D_M = \begin{cases} D_H \frac{1}{\sqrt{\Omega_k}} \sinh \left[ \sqrt{\Omega_k} D_C / D_H \right] & \text{for } \Omega_k > 0 \\ D_C & \text{for } \Omega_k = 0 \\ D_H \frac{1}{\sqrt{|\Omega_k|}} \sin \left[ \sqrt{|\Omega_k|} D_C / D_H \right] & \text{for } \Omega_k < 0 \end{cases}$$

where  $D_M$  is the transverse comoving distance

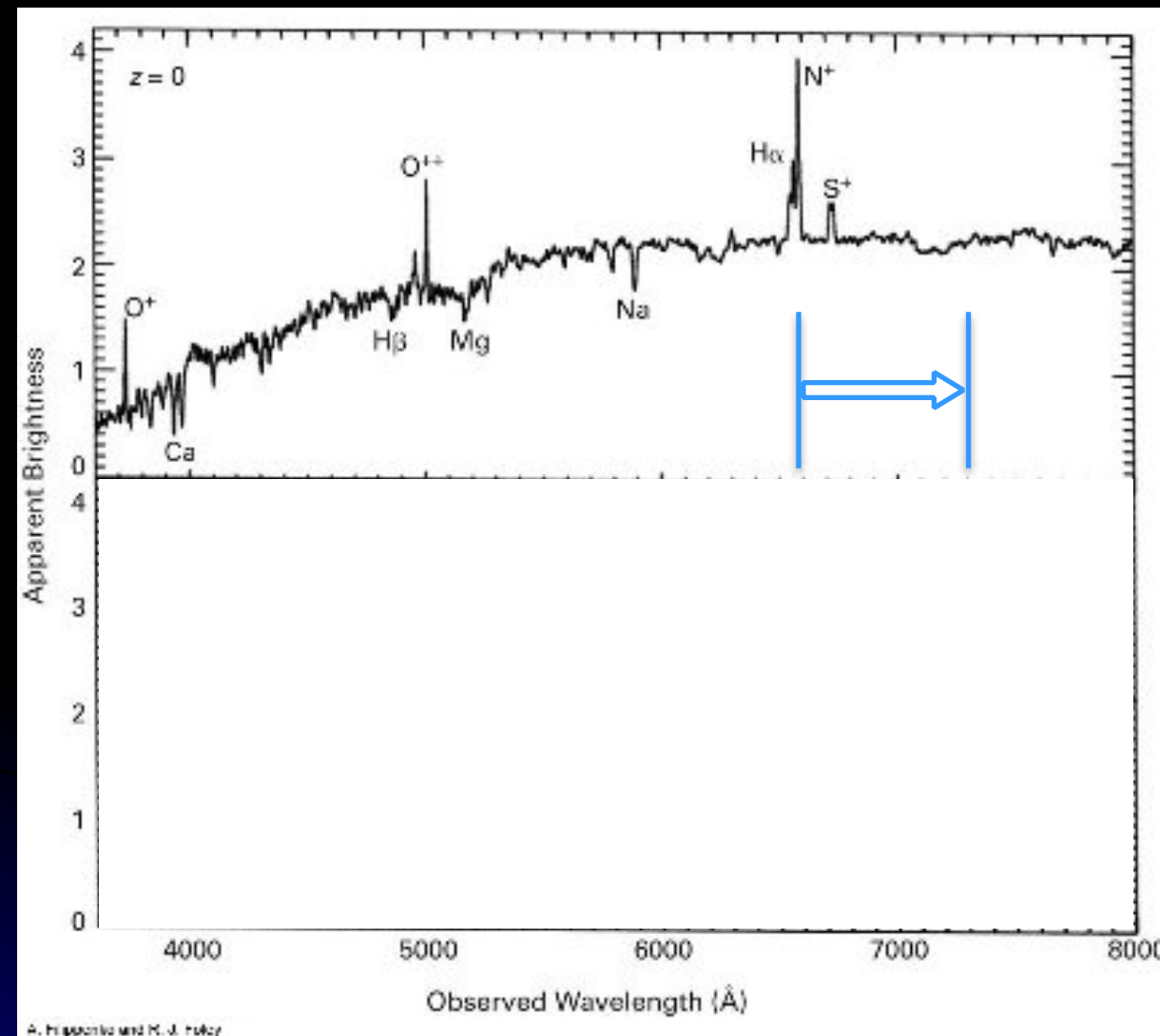
## ➤ Luminosity Distance

$$D_L \equiv \sqrt{\frac{L}{4\pi S}} = (1+z) D_M = (1+z)^2 D_A$$

## ➤ Lookback Time → Age of the Universe

$$t_L = t_H \int_0^z \frac{dz'}{(1+z') E(z')} \quad t_H \equiv \frac{1}{H_0} = 9.78 \times 10^9 h^{-1} \text{ yr} = 3.09 \times 10^{17} h^{-1} \text{ s}$$

# From Galaxy Spectra to Galaxy Distance

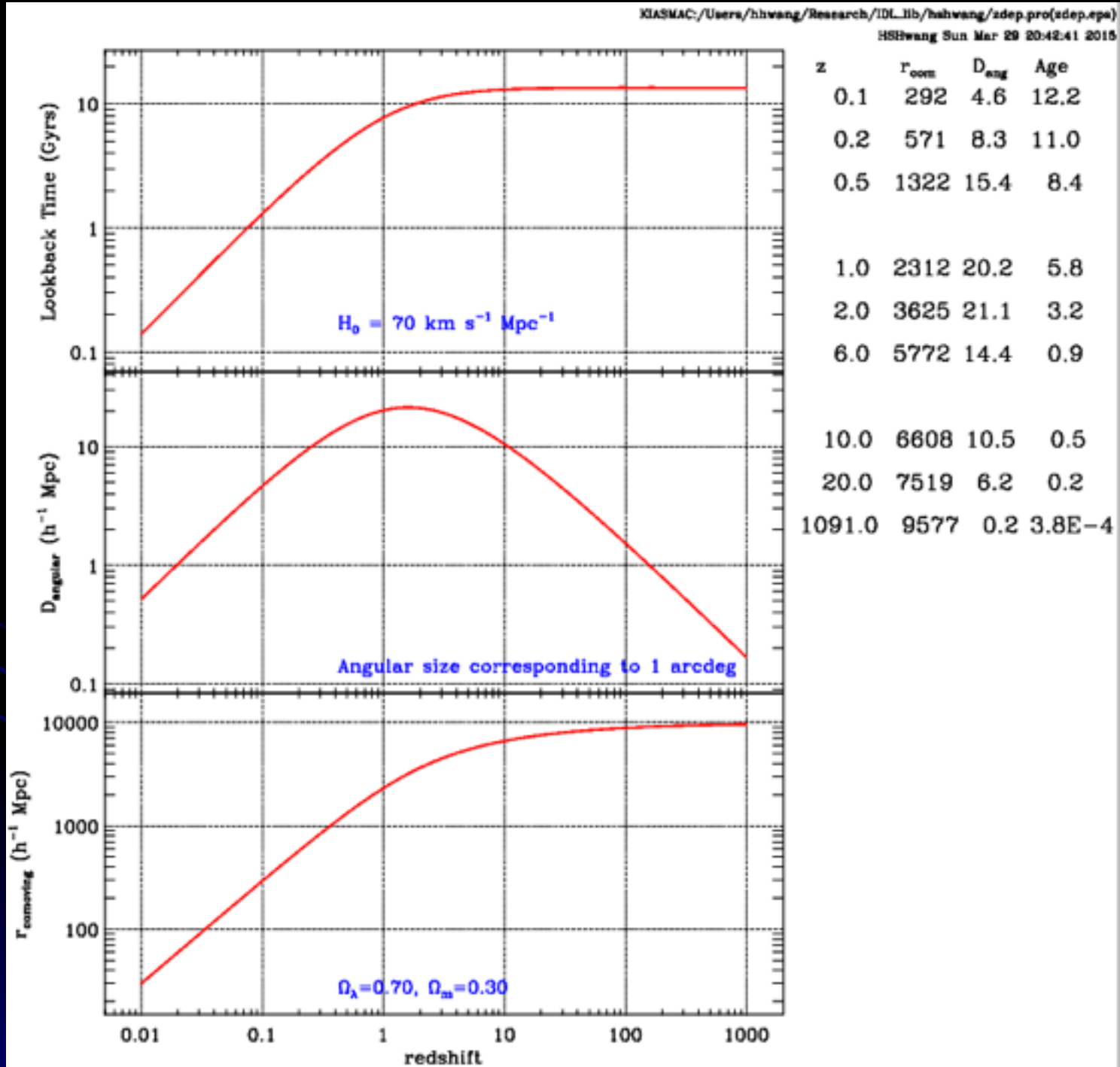


$$\frac{\lambda_0}{\lambda_e} = 1 + z = \frac{a(t_0)}{a(t_e)}$$

$$cz = H_0 D + v$$

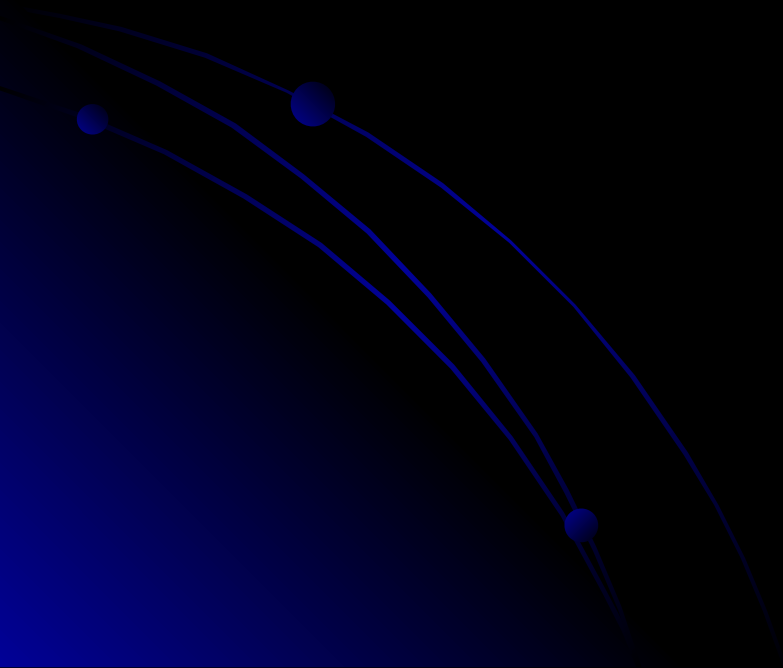
$$D_C = D_H \int_0^z \frac{dz'}{E(z')}$$

# Some Quantities as a function of redshift

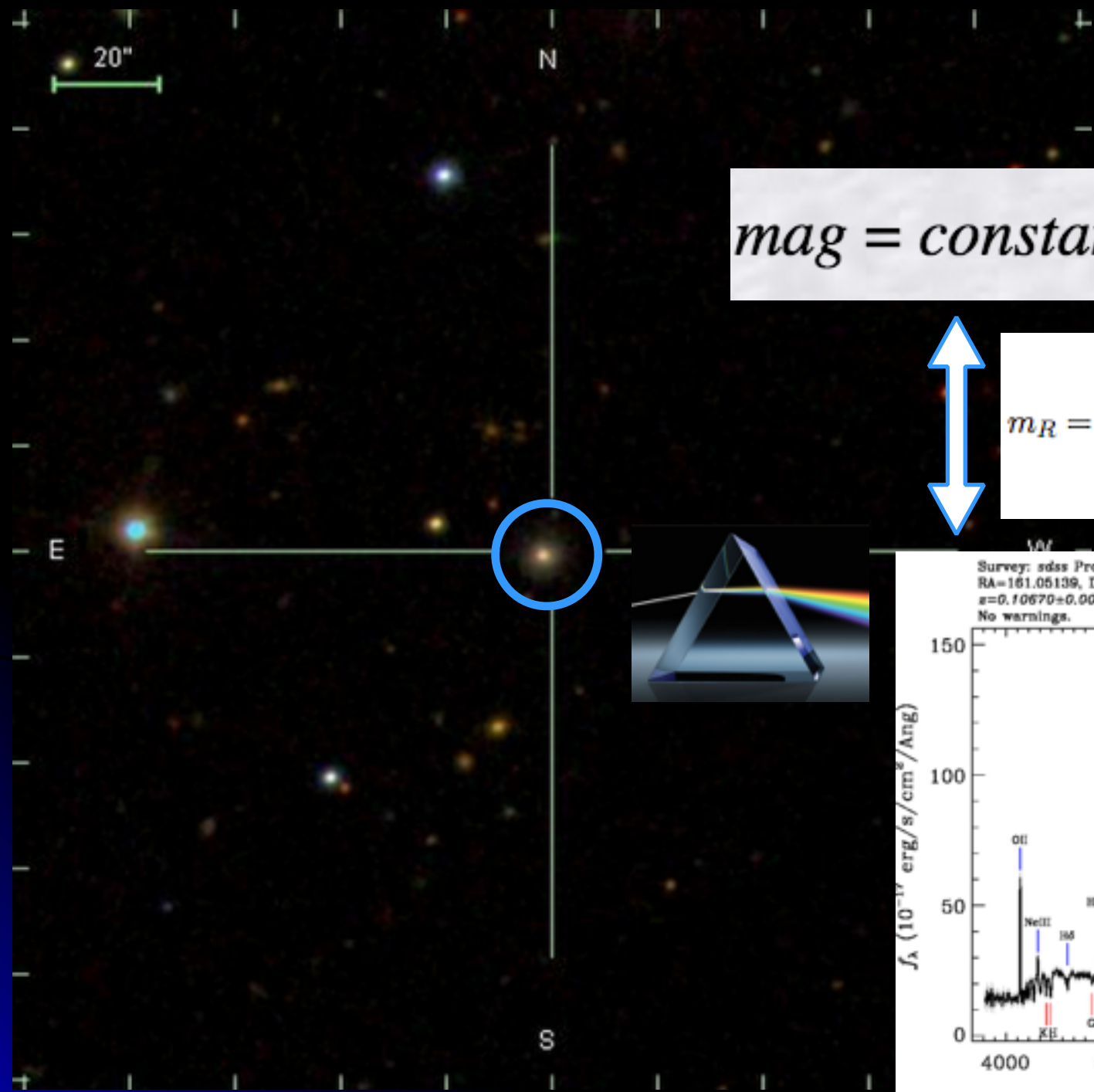




# Optical Spectroscopy



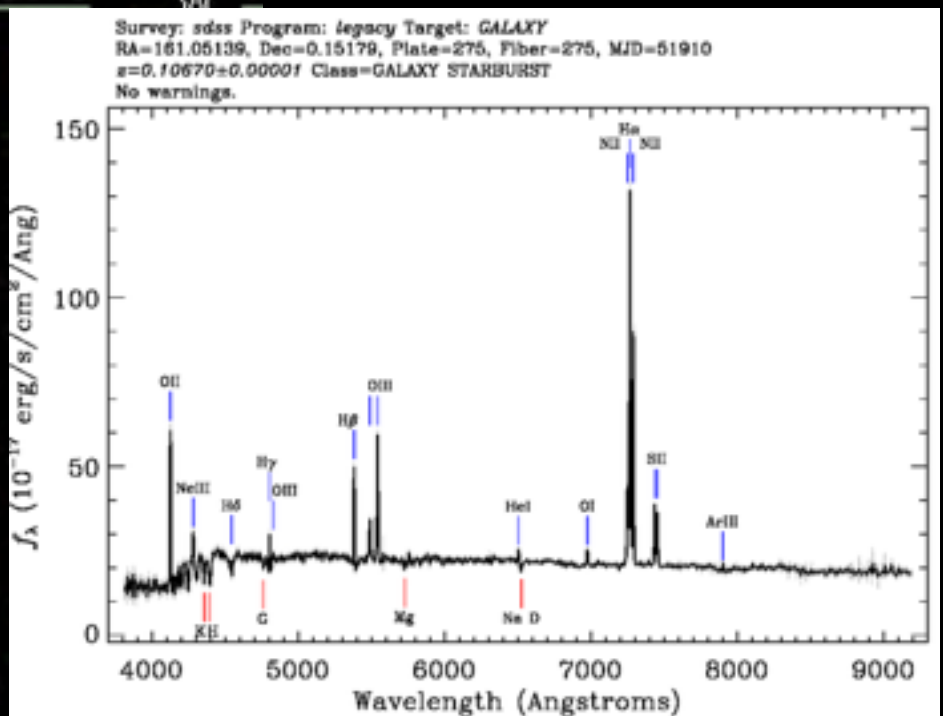
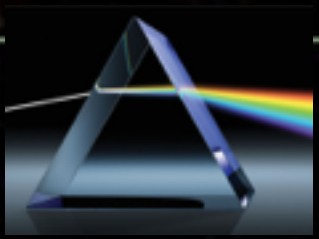
# Photometry vs. Spectroscopy



$$mag = constant - 2.5 \log_{10} (flux)$$



$$m_R = -2.5 \log_{10} \left[ \frac{\int \frac{d\nu_o}{\nu_o} f_\nu(\nu_o) R(\nu_o)}{\int \frac{d\nu_o}{\nu_o} g_\nu^R(\nu_o) R(\nu_o)} \right]$$

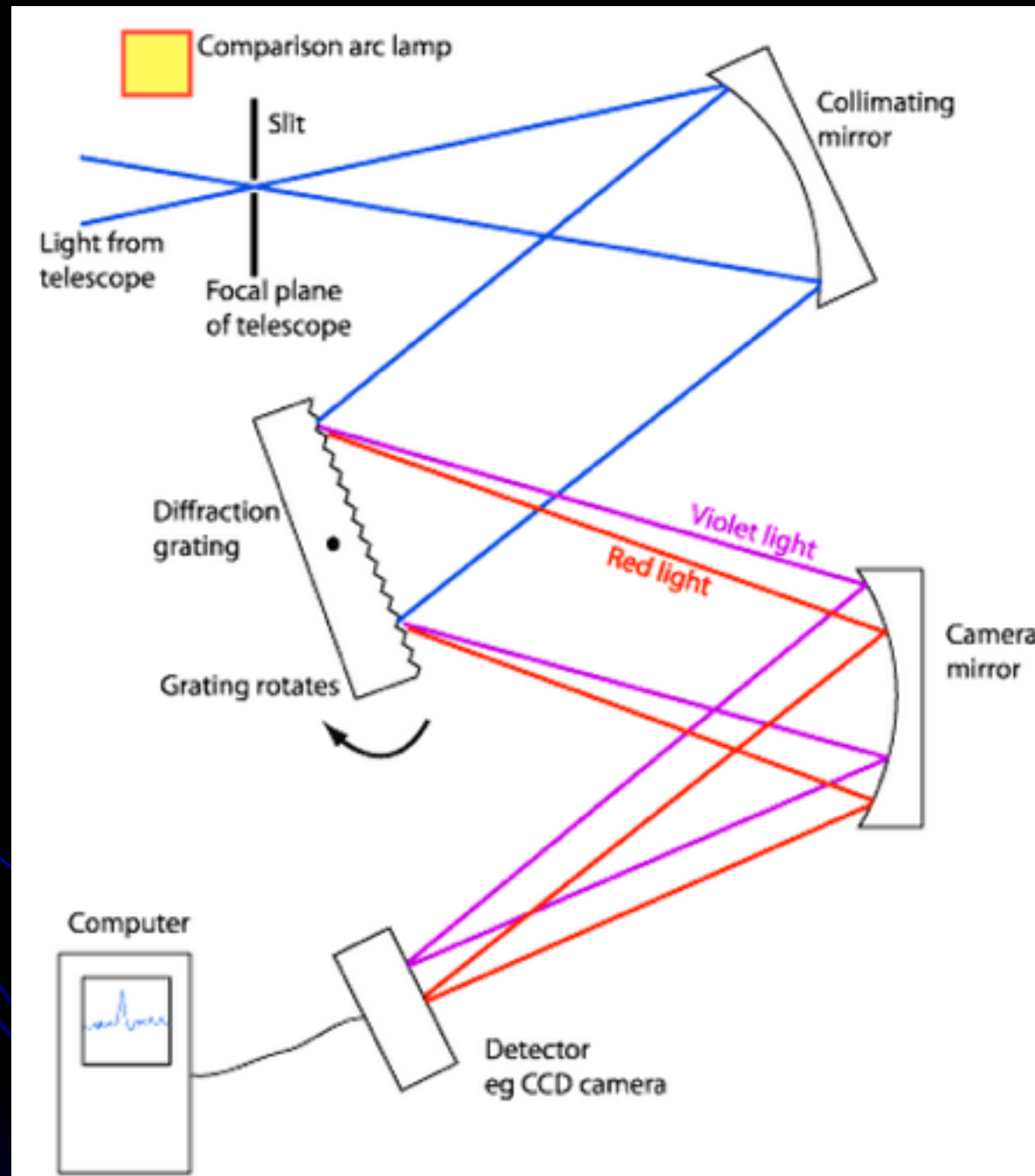




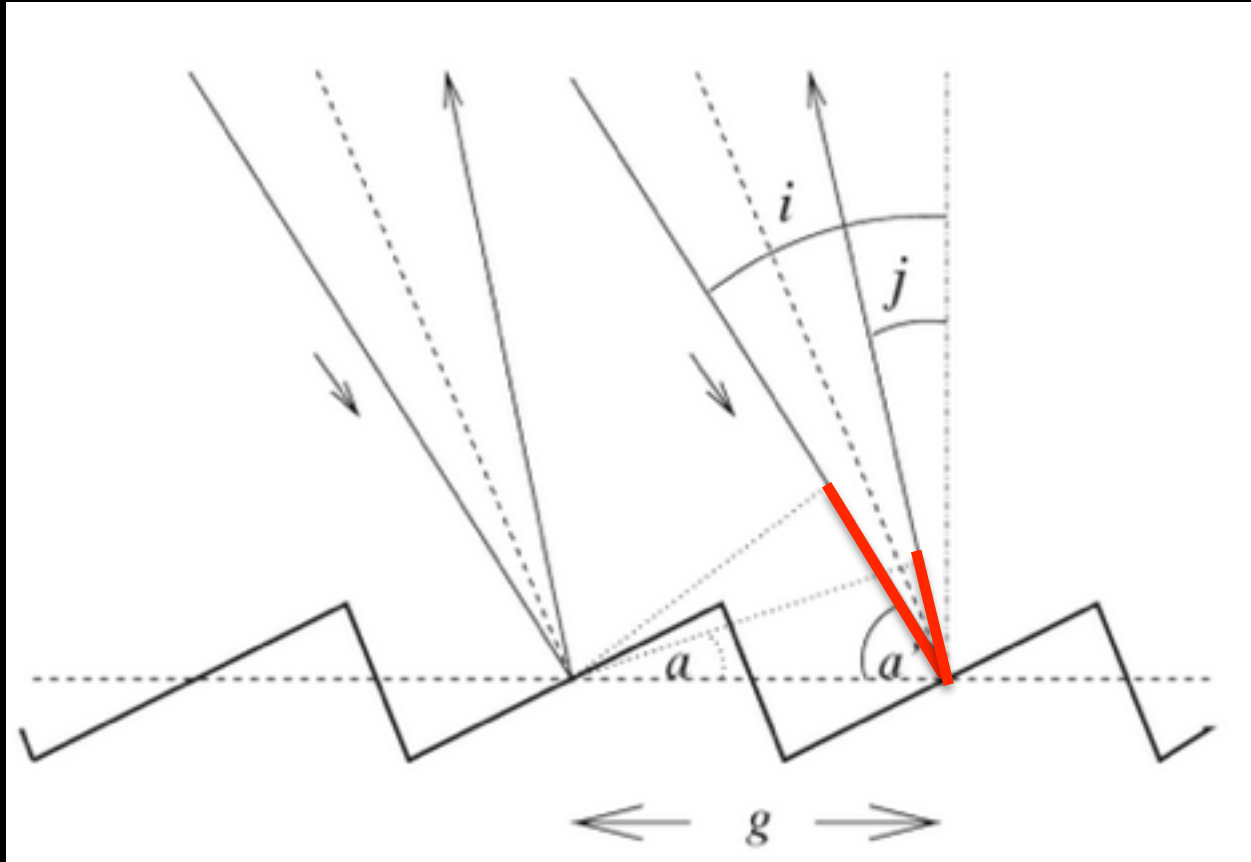
**Australian Government**  
**Department of Industry and Science**



# Structure of a Spectrograph



# Structure of a Spectrograph - Grating Equation



Appenzeller (13)

➤ Grating eq:  $l = g(\sin i + \sin j) = m \lambda.$

➤ Spectral Resolution:  $R = \frac{\lambda}{\Delta\lambda} = m N = \frac{G}{\lambda}(\sin i + \sin j),$

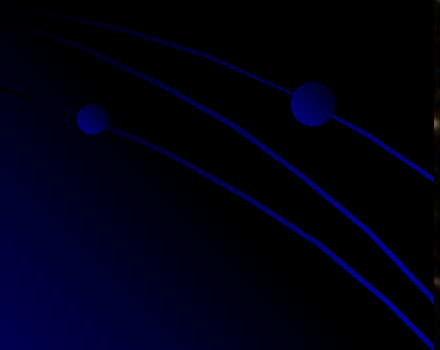
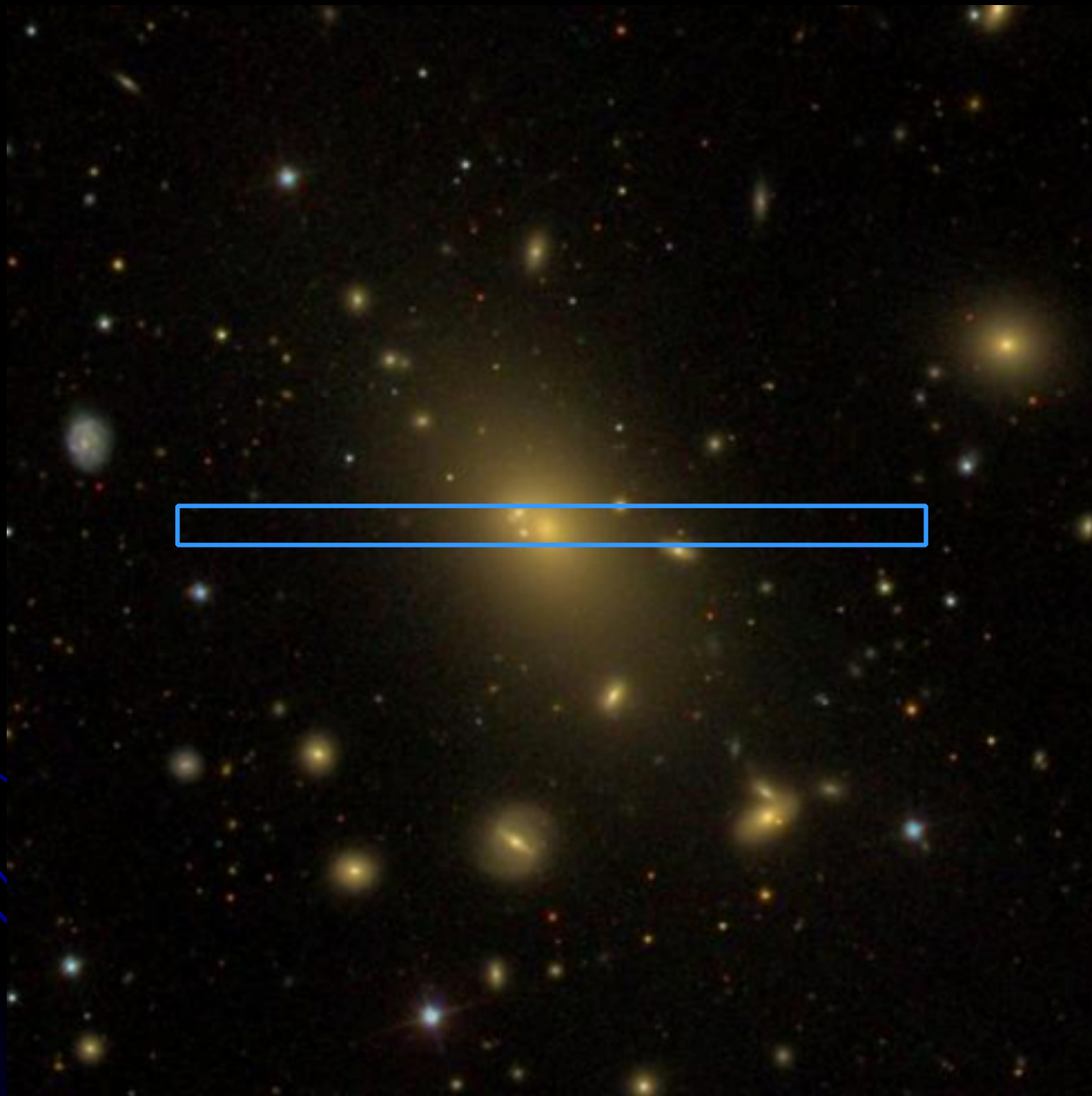
$G = N g$   
total width of the grating.

$\text{FWHM} = (\text{d}\lambda^2_{\text{(slits)}} + \text{d}\lambda^2_{\text{(resolution)}} + \text{d}\lambda^2_{\text{(line)}})^{1/2}$

➤ Dispersion:  $\text{d}j/\text{d}\lambda = m/(g \cos j)$

# Spectroscopy with Longslit

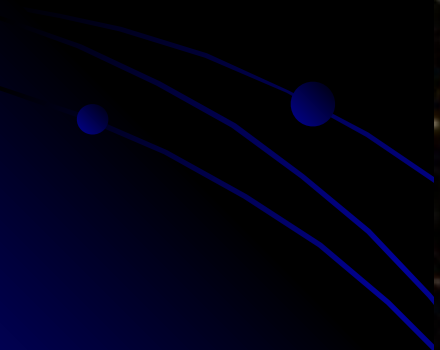
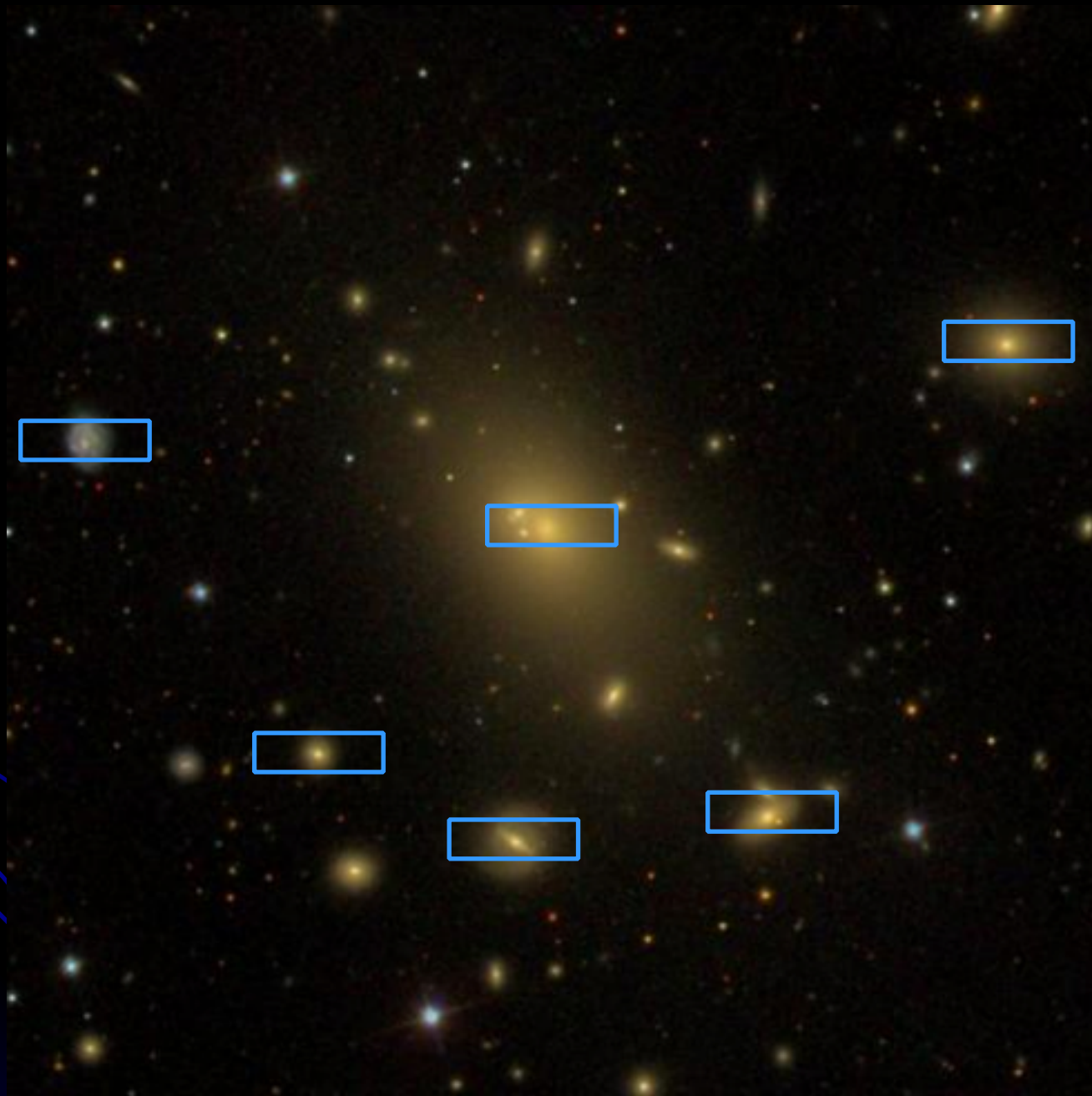
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# Spectroscopy with Multi Object Spectrograph

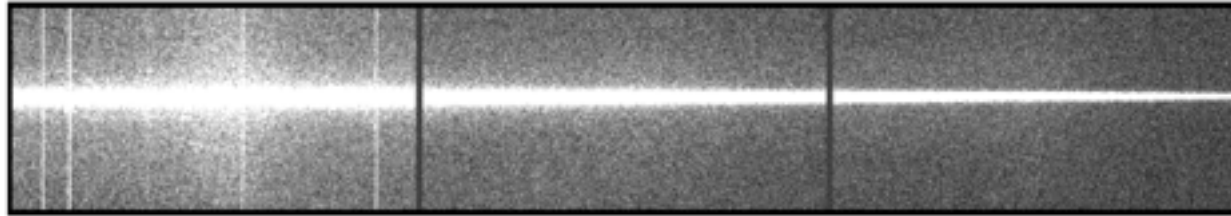
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# Spectrum on Chips

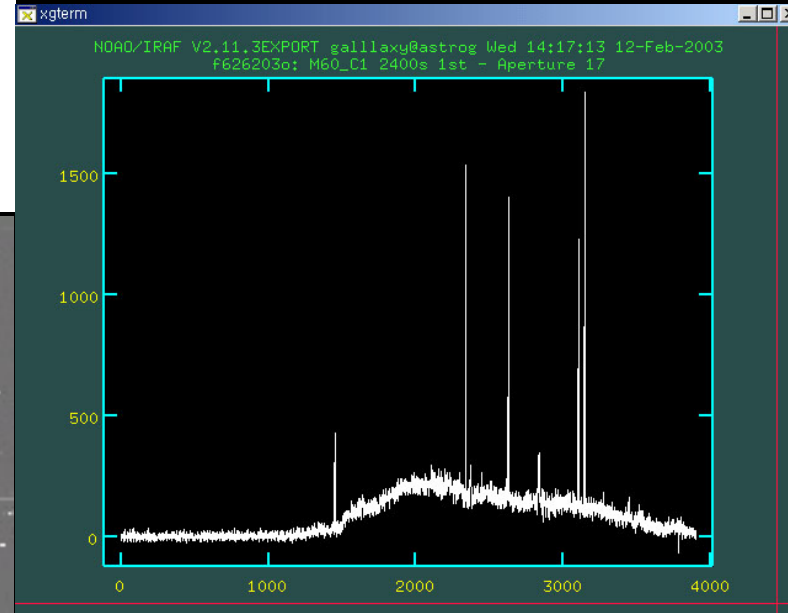
Red end of spectrum

Blue end of spectrum



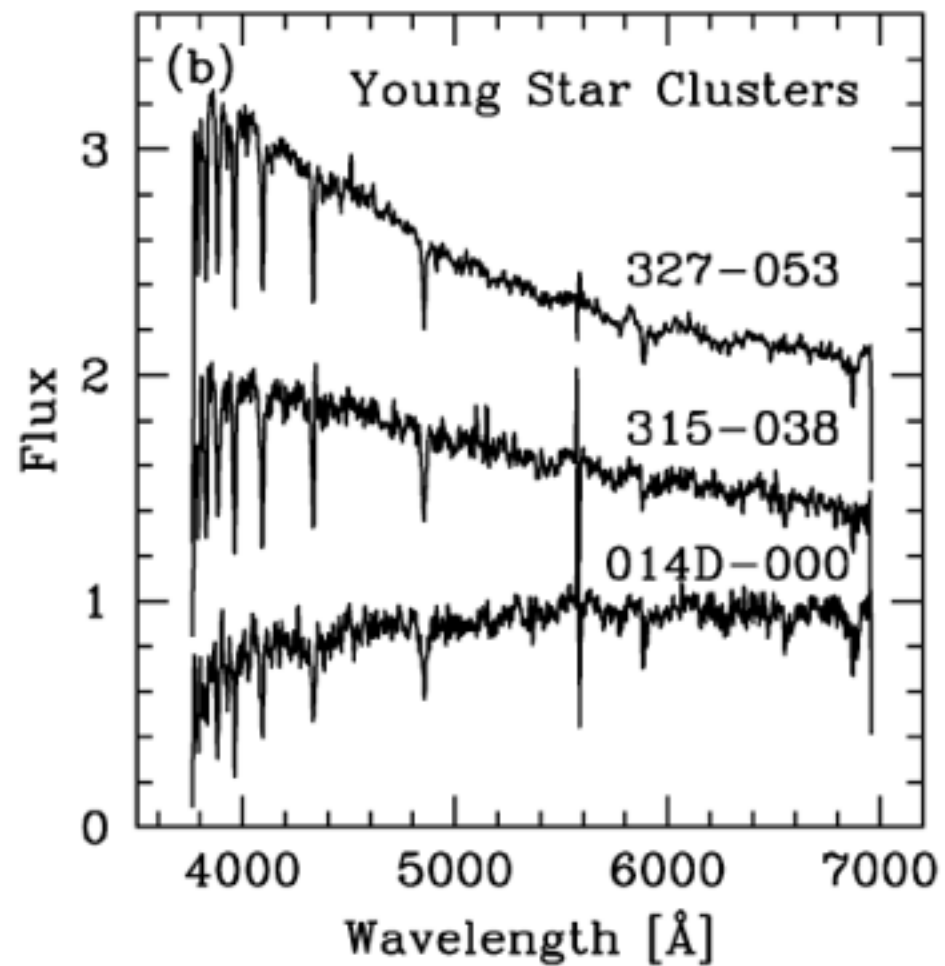
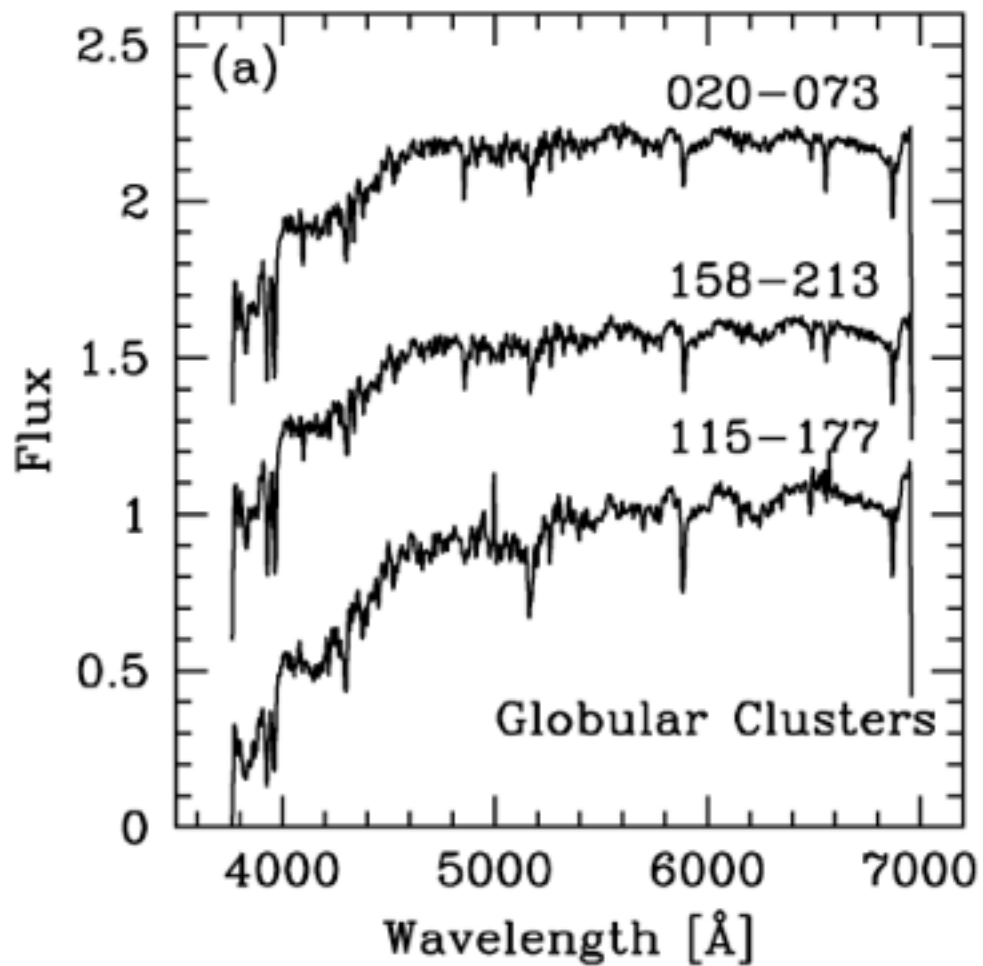
Wavelength

Gaps between the detectors



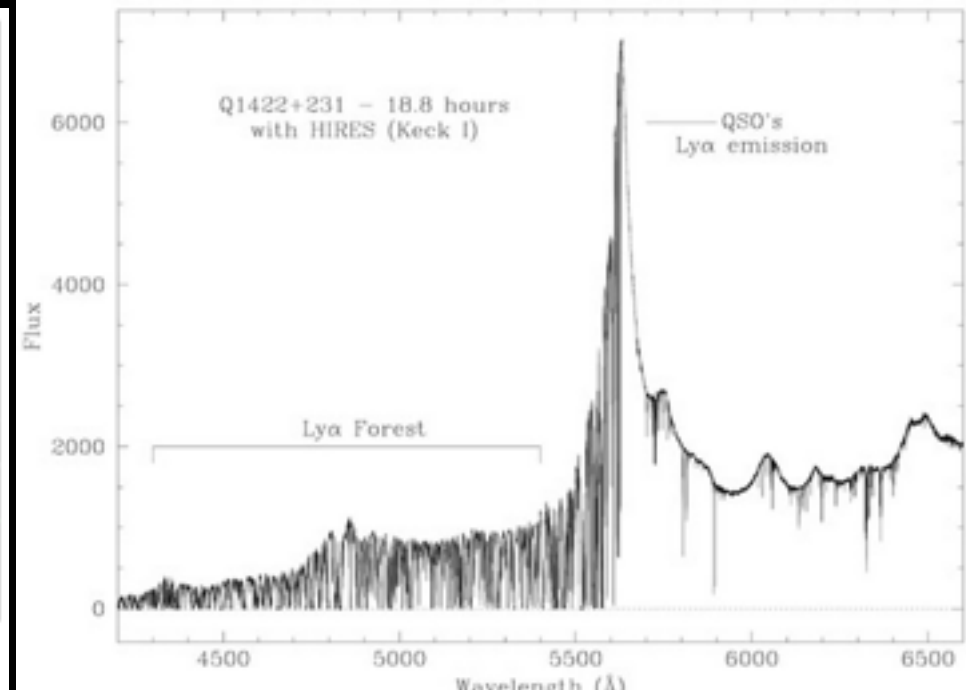
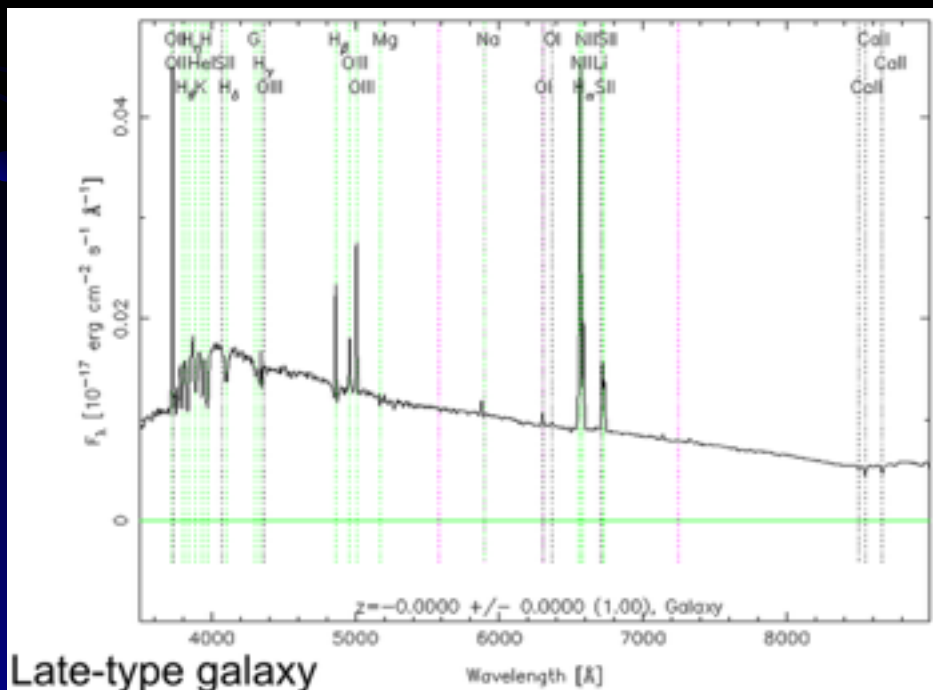
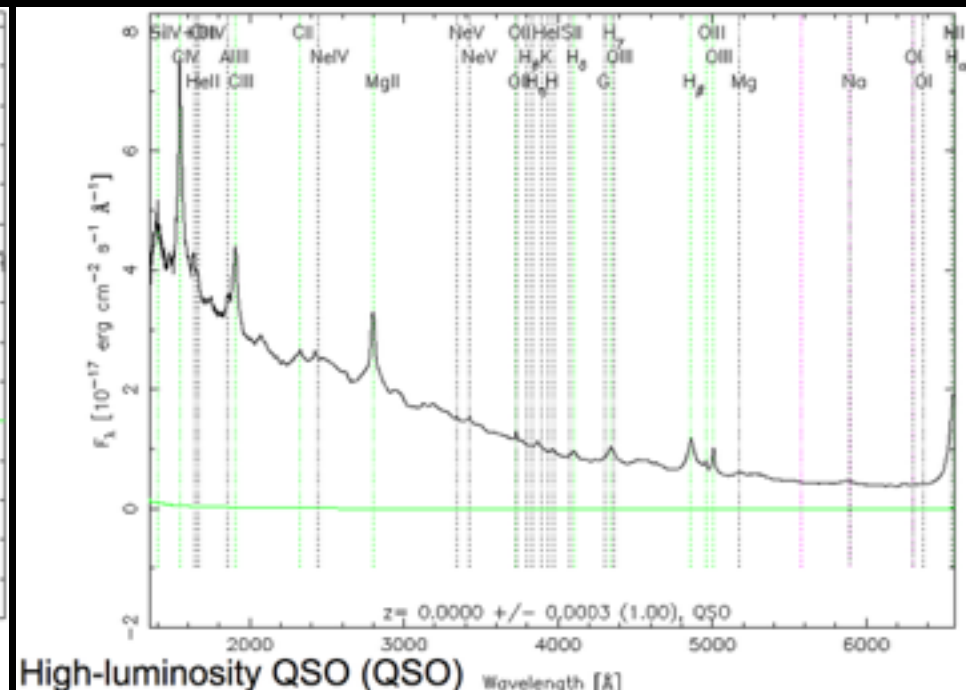
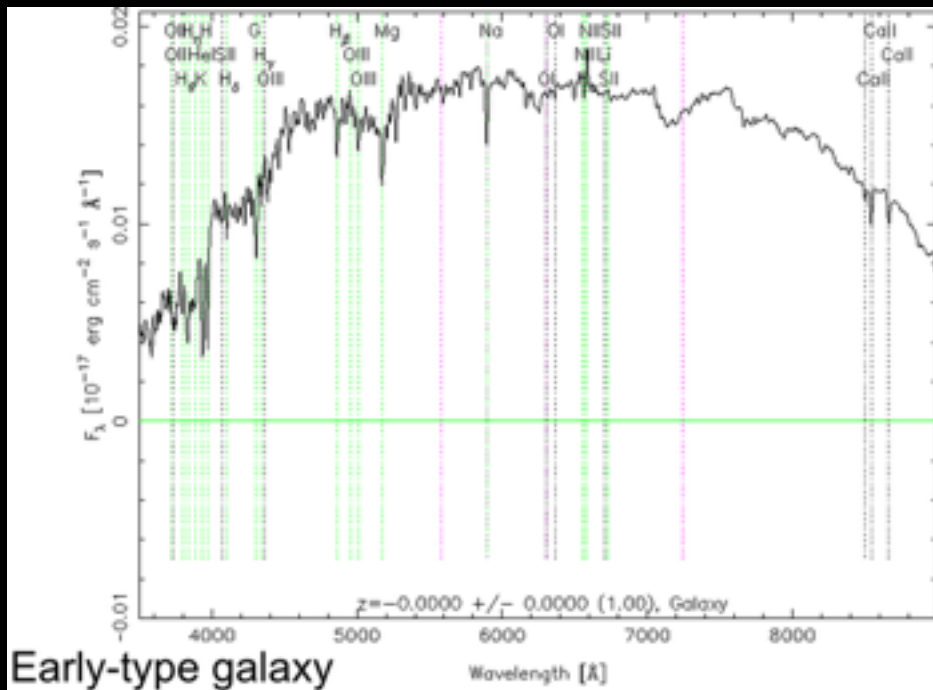


# Spectra of Star Clusters



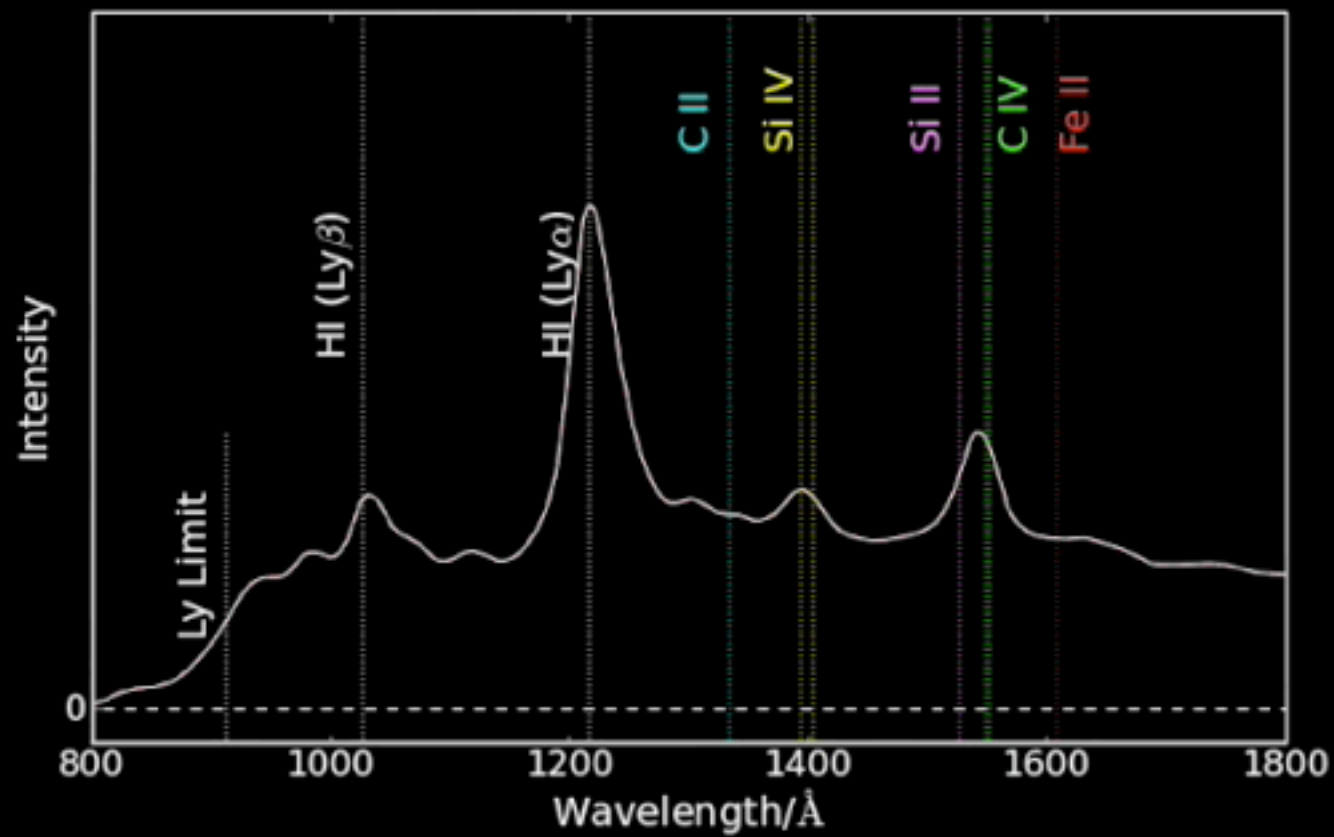


# Spectra of Galaxies and QSOs



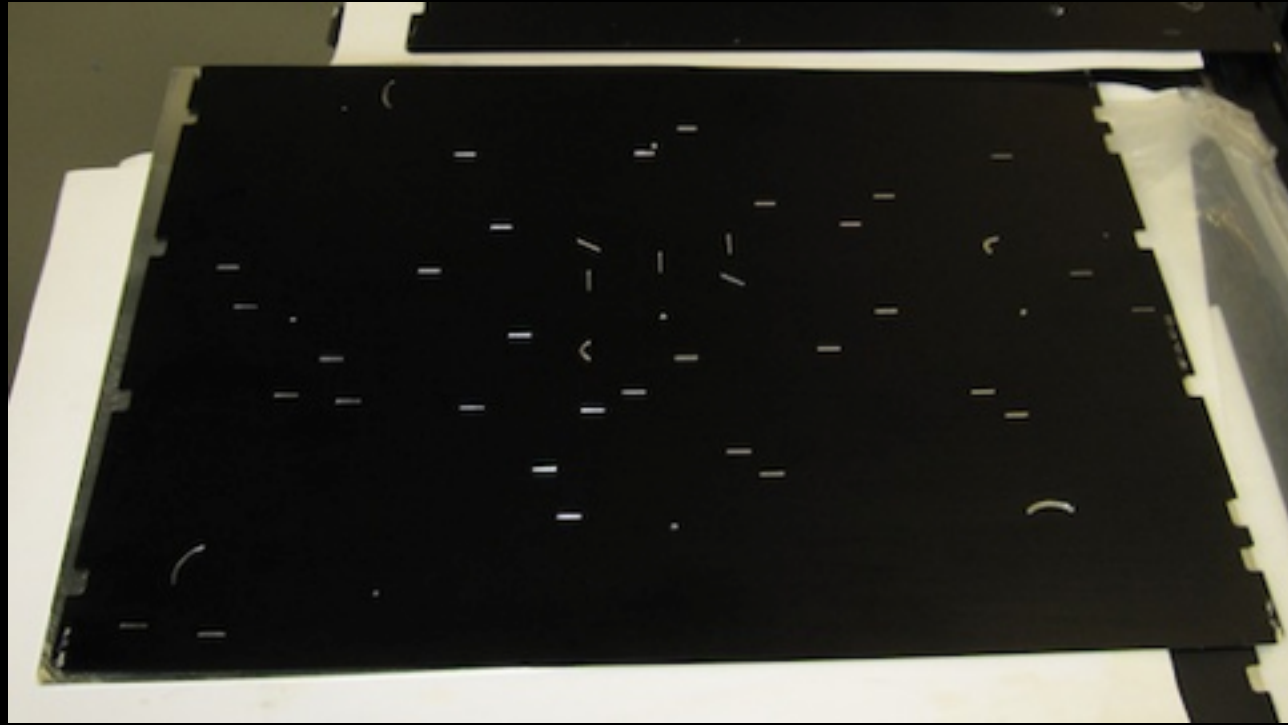
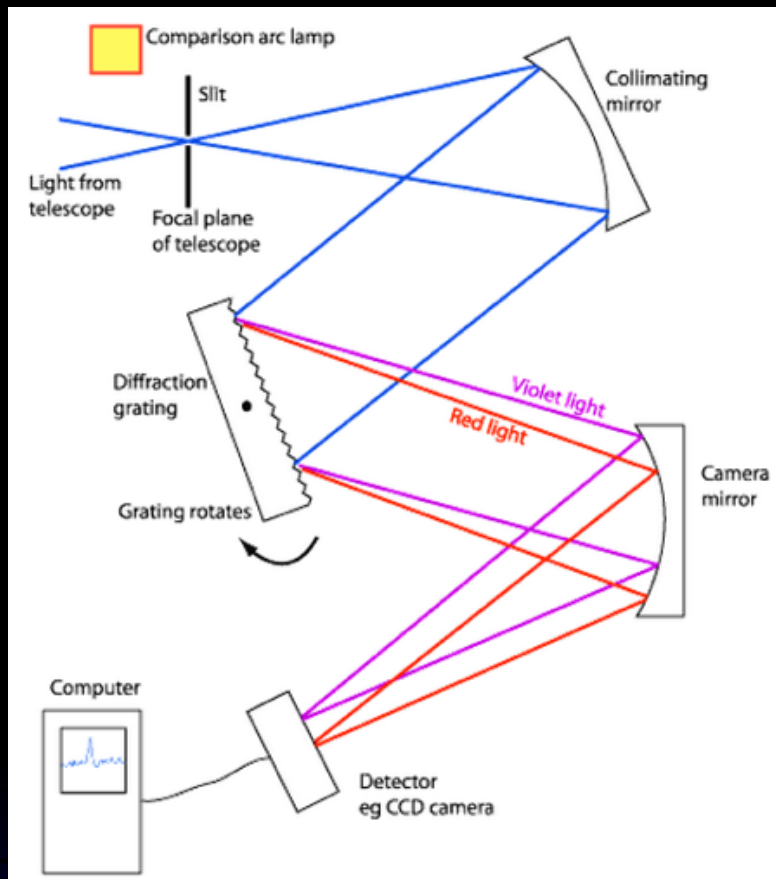
# QSO with Lyman $\alpha$ Forest

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# Multi Object Spectrograph

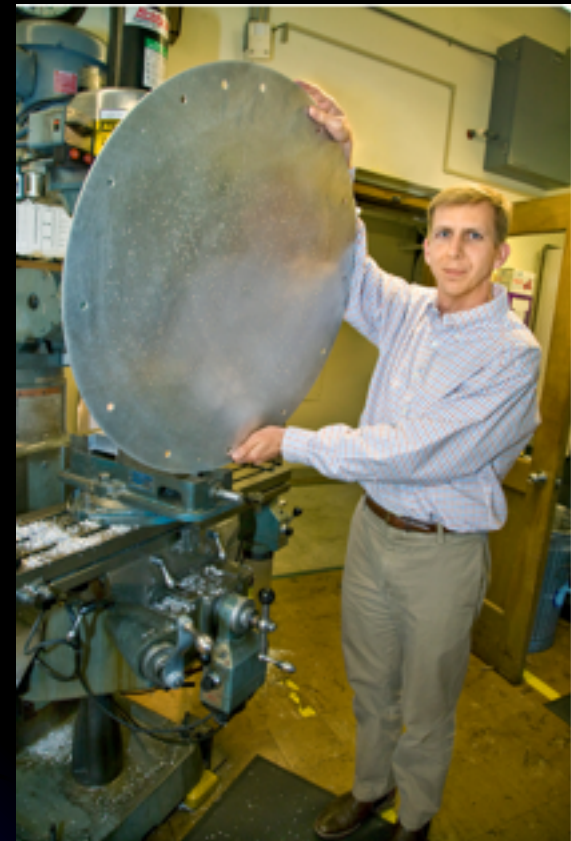


Slit Mask

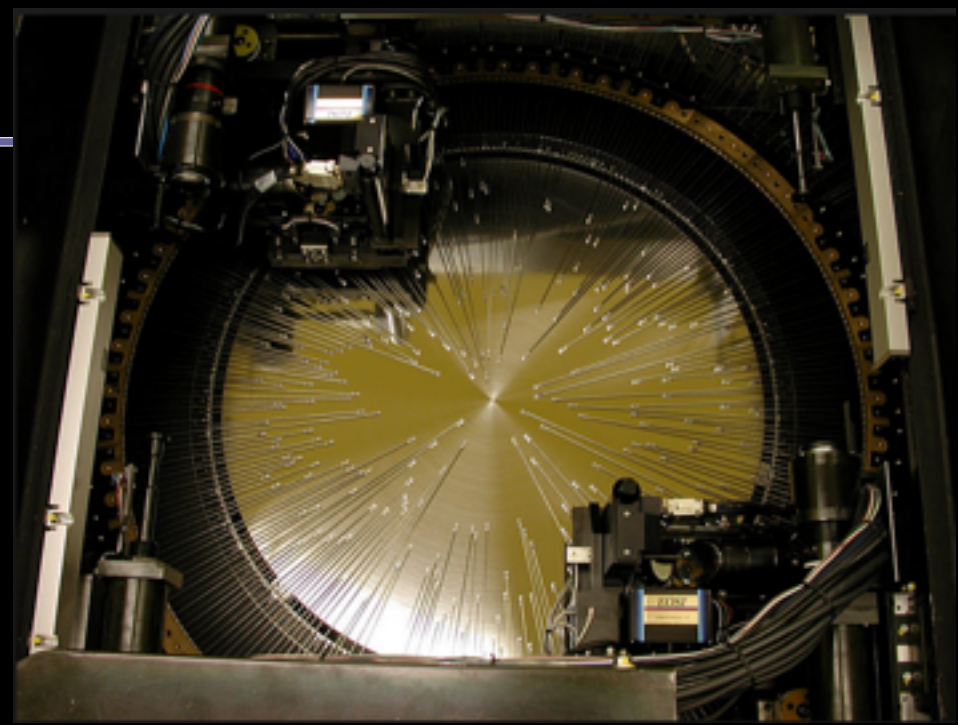
Fiber



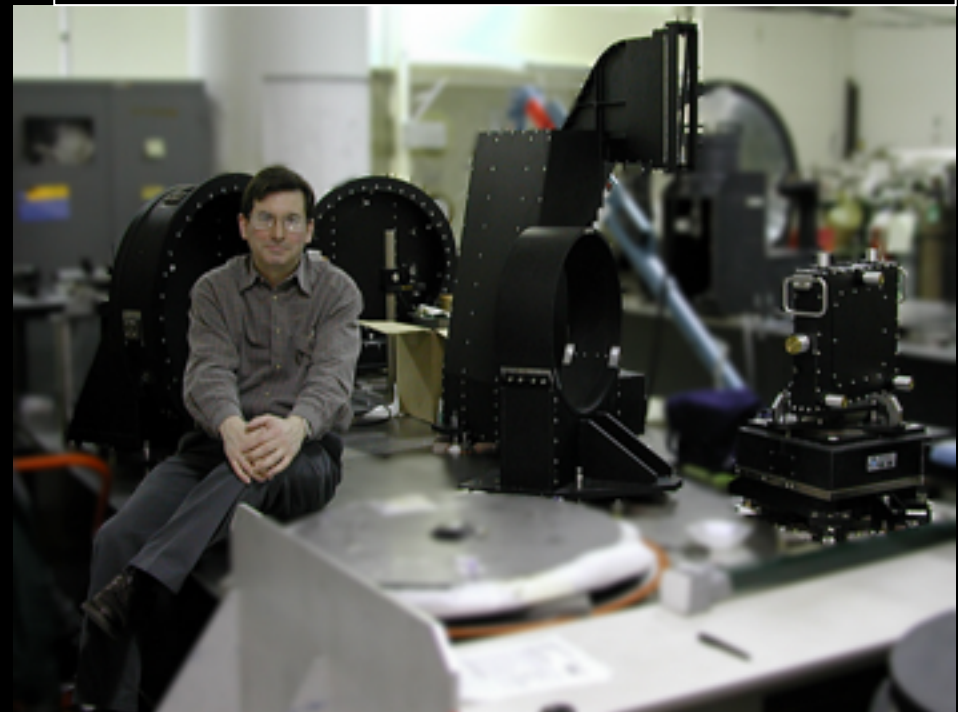
# Multi Object Spectrograph

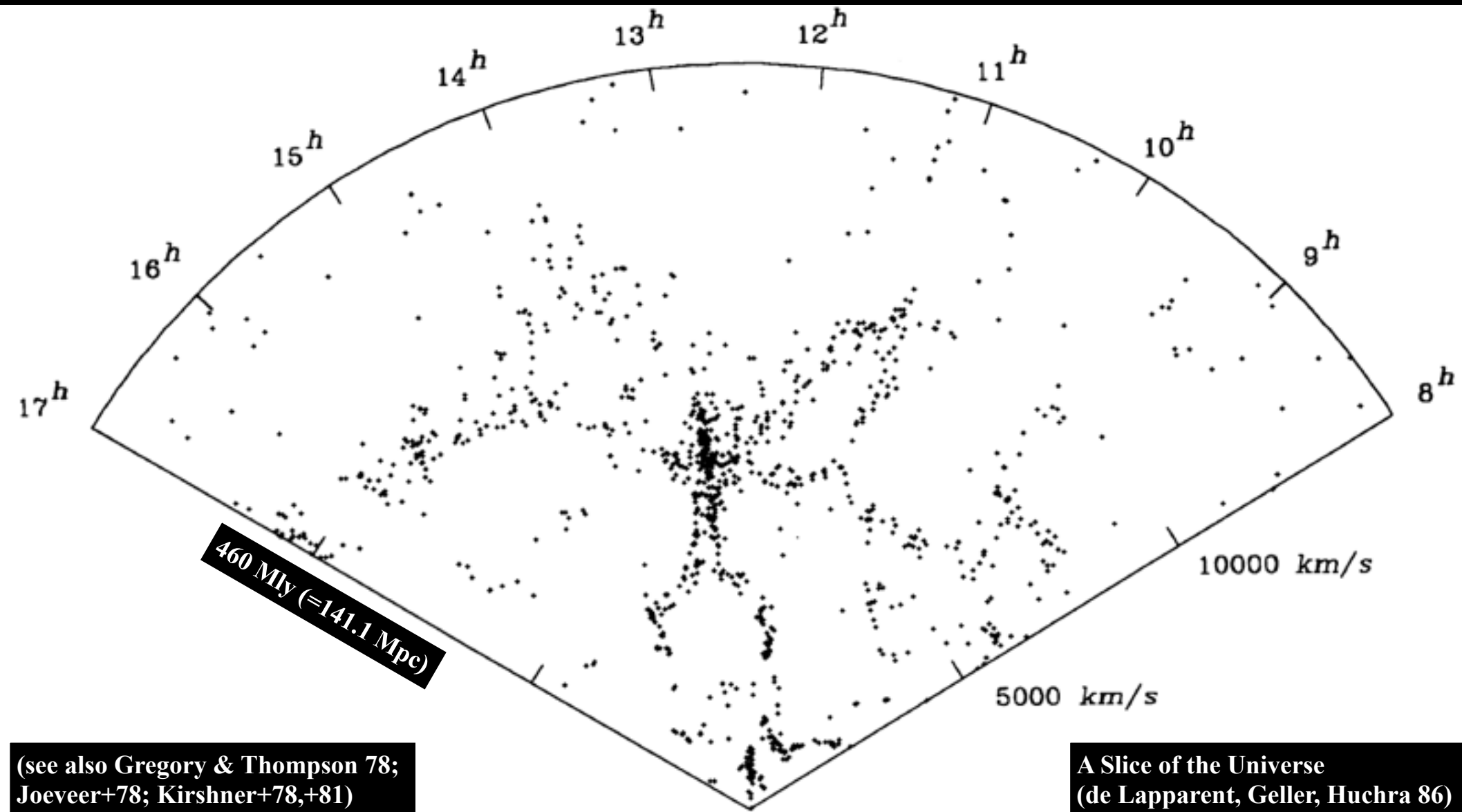


**SDSS plates**



**Hectospec's optical fiber robotic positioner**







THE LAS CAMPANAS REDSHIFT SURVEY

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AUGUSTUS OEDLER

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First zSurvey with  
Multi-object Spectrograph

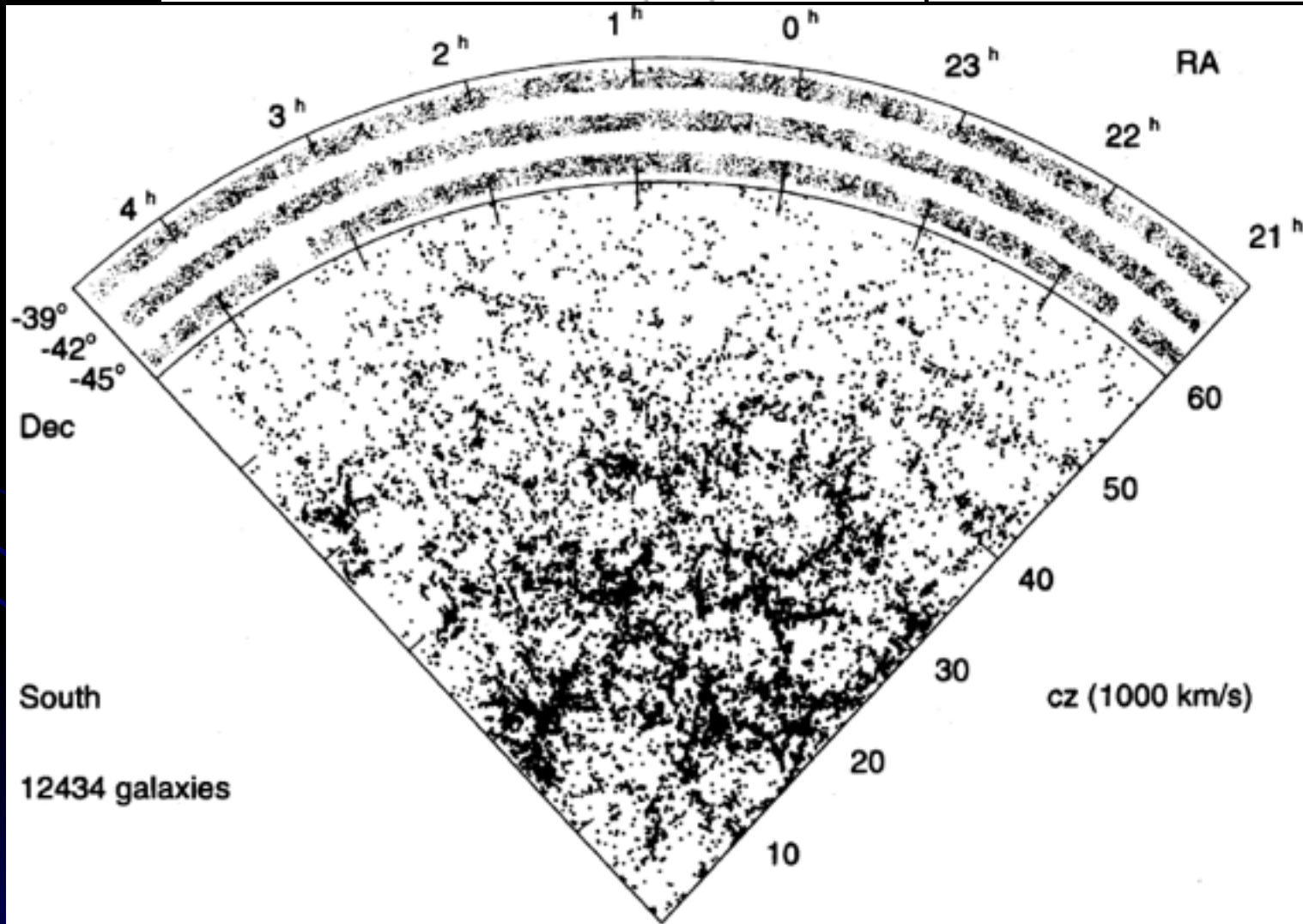


FIG. 8h



# Slit vs. Fiber

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## ➤ Advantages

- High throughput
- Can choose slit width and length
- Good sky subtraction
- Can place slits close together

## ➤ Disadvantages

- No flexibility at the telescope other than to change exposure times
- Setup time for such masks is non-negligible (~15-20 min)
- Wavelength coverage will vary from slitlet to slitlet

## ➤ CFHT/MOS, Gemini/GMOS



# Slit vs. Fiber

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## ➤ Advantages

- Large fields
- Uniform wavelength coverage
- High Stability (needed for precision velocity)
- Not suffer flexure as the telescope is moved
- Additional “scrambling” of the light  
(exact placement of a target is needed for slitlets)

## ➤ Disadvantages

- Light loss within the fiber
  - Fiber collision - Minimal spacing between fibers
  - Sky subtraction is never “local”
- MMT/Hectospec, SDSS

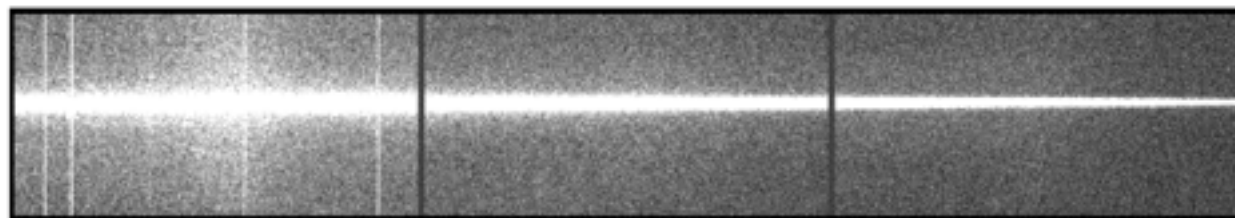
# Slit vs. Fiber

MOS	Mode	FOV	Grating	Resolution ( $R \sim \lambda/d\lambda$ )	Wavelength (Angstrom)	N per field
MMT(6.5m)/Hectospec	Fiber	D~1 deg	270 gpm 600 gpm	1000 2000	3650–9200 5300–7800	300
Magellan(6.5m)/ IMACS LDSS3 M2FS (PI inst.: Mateo)	Slit Prism Fiber	27'x27' 27'x27' D~30'	150–1200 300–1090 (Grism) LoRes	500–20000 800–1900 1500–2700	4300–9300 4300–9300 3700–10000	300 2500 256
Gemini(8m)/GMOS	Slit	5.5'x5.5'	R150 R831	150 4396	4500–10000 5500–10000	<50
Subaru(8m)/FMOS	Fiber	D~30'	600ZD– 1200G	600–2200	9000–18000	400
VLT(8m)/VIMOS	Slit	4x7'x8'	Grism	200–2500	3600–10000	40–200
Keck(10m)/DEIMOS	Slit	16.7'x5.0'	600ZD– 1200G	<6000	4100–11000	<130
GMT(25m)/GMACS (Manifest)	Slit	4'x8'		100–3000	4000–9000	100

# Practical Observation - 1) Nod & Shuffle

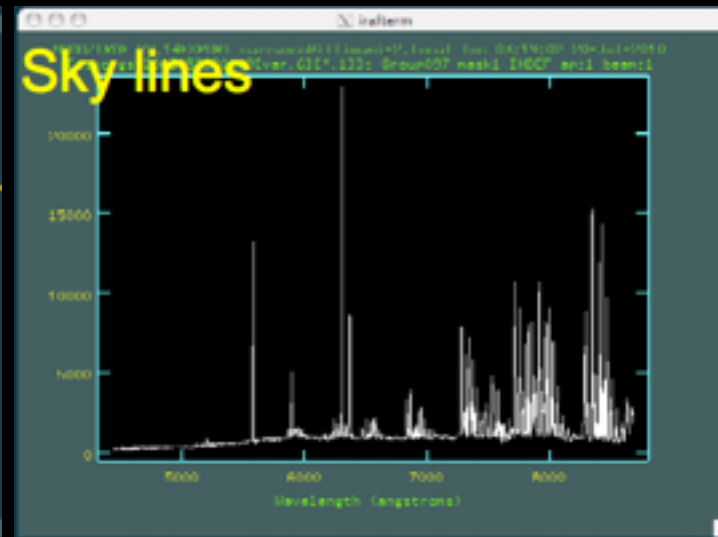
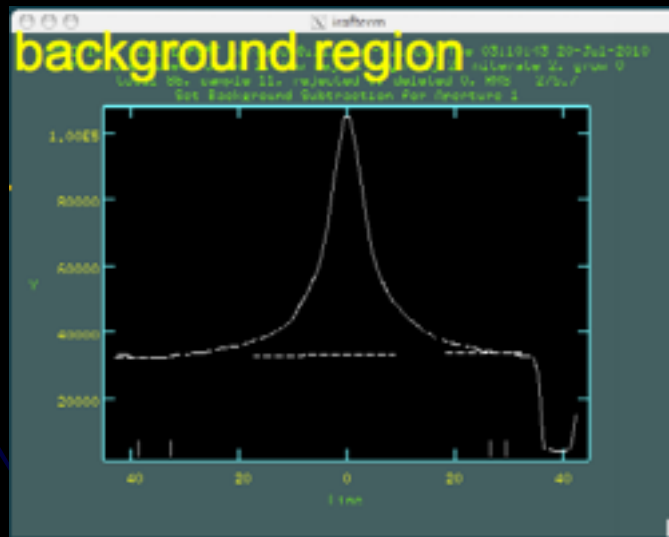
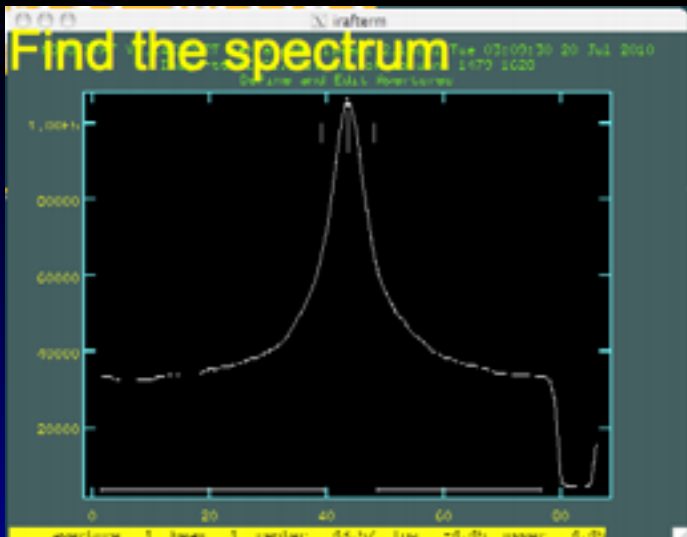
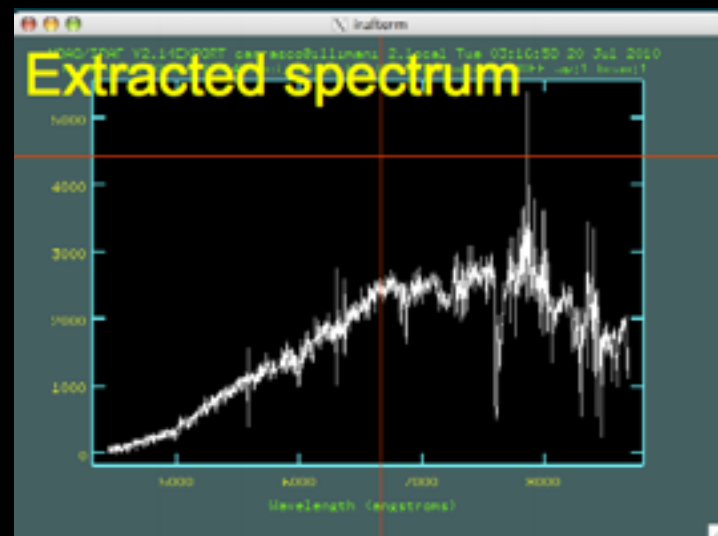
Red end of spectrum

Blue end of spectrum



Wavelength

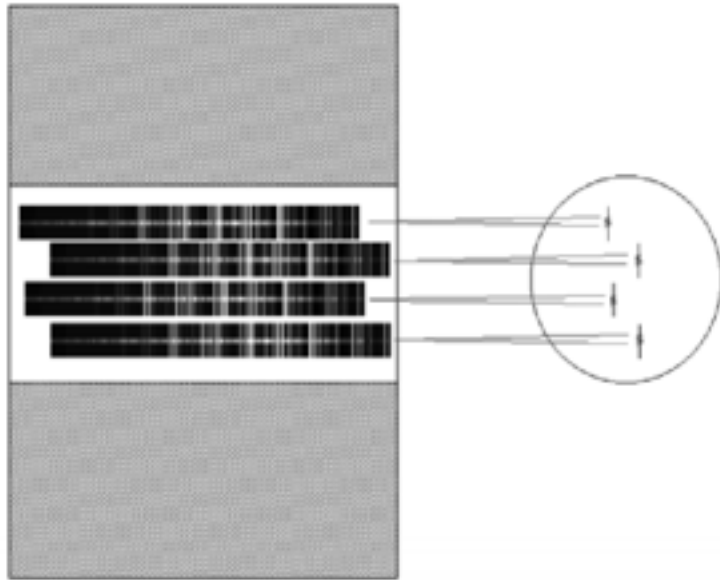
Gaps between the detectors



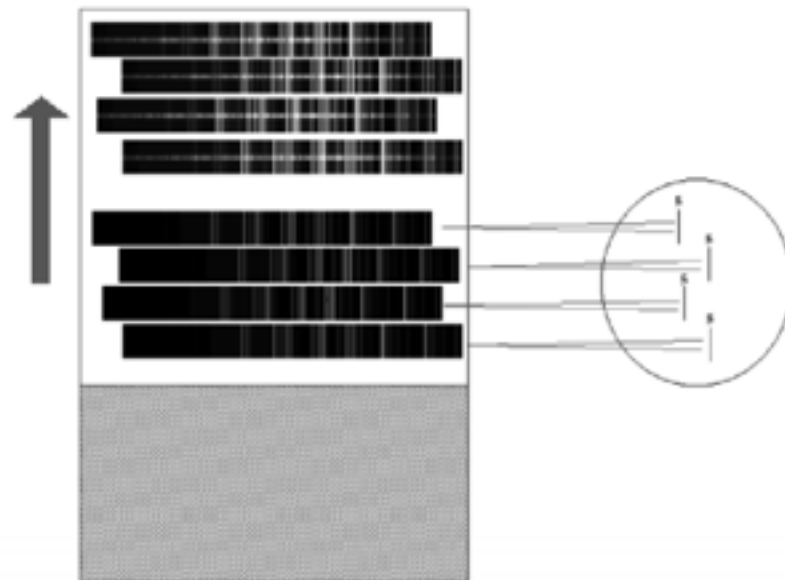


# Practical Observation - 1) Nod & Shuffle

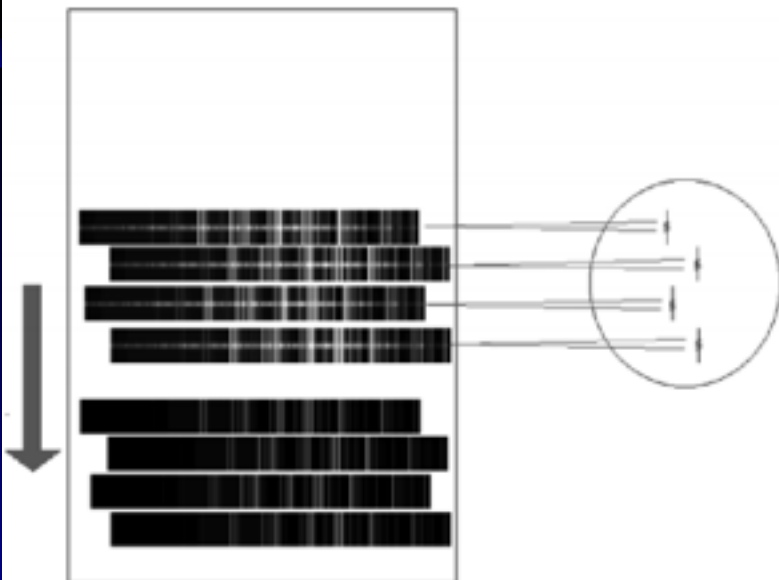
(a)



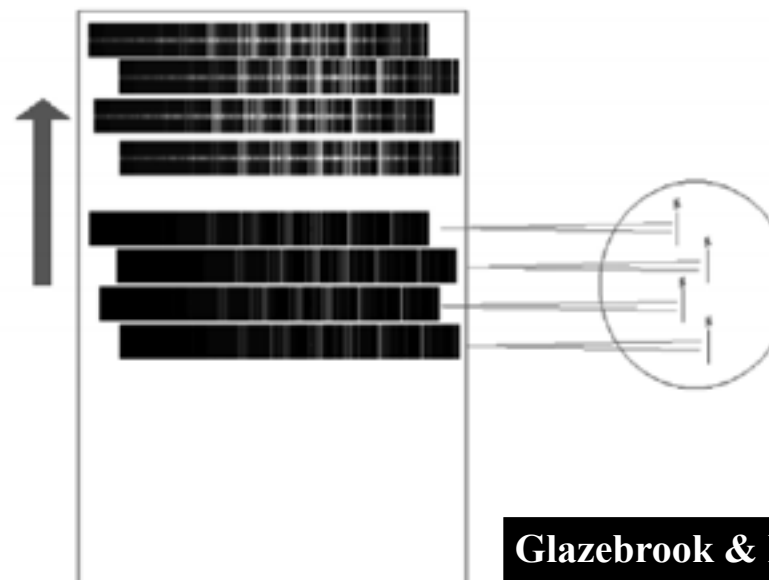
(b)



(c)

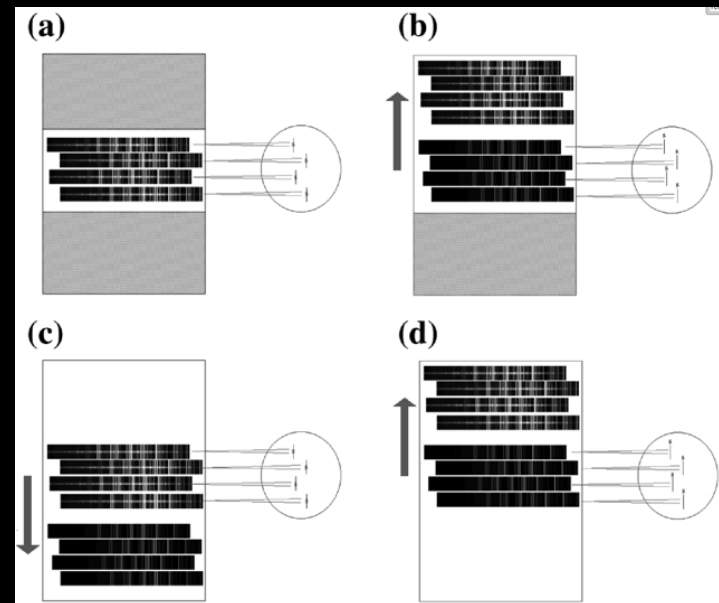


(d)



# Practical Observation - 1) Nod & Shuffle

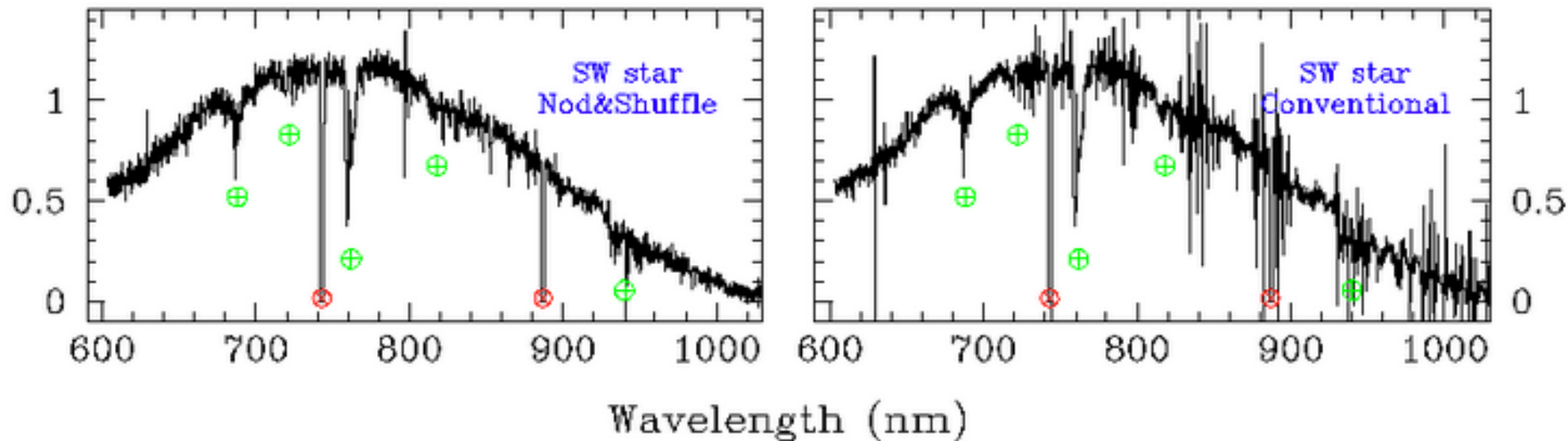
- **Nod: Telescope Motion on the Sky**
- **Shuffle: Charge shift up/down the detector**
- **Advantage: Lower Sky-line residuals**
  - **Sky measured from the same pixels → Direct Subtraction of Sky**
  - **Make slits small → More slits**
  - **Good for high-z galaxy spectroscopy**
- **Disadvantage: Higher Overheads**
  - **Need more observing time**
  - **Storage regions in CCD needed → decrease total sky coverage**



# Practical Observation - 1) Nod & Shuffle

Extracted Spectra Comparison

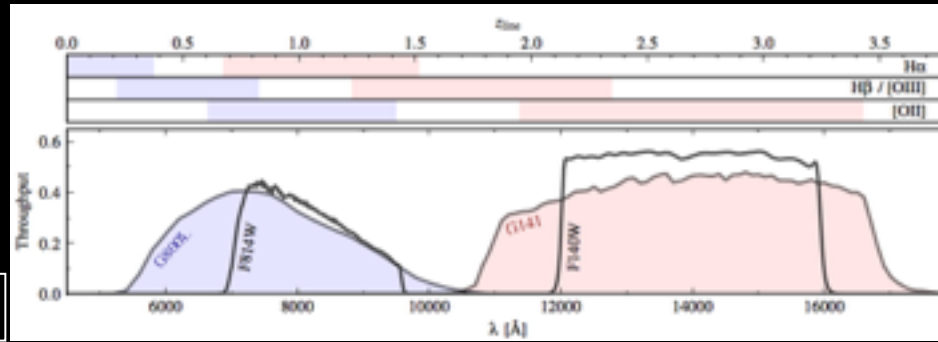
Relative Counts / 1000



⊗ Gaps in spectral coverage result from spacing between GMOS detectors

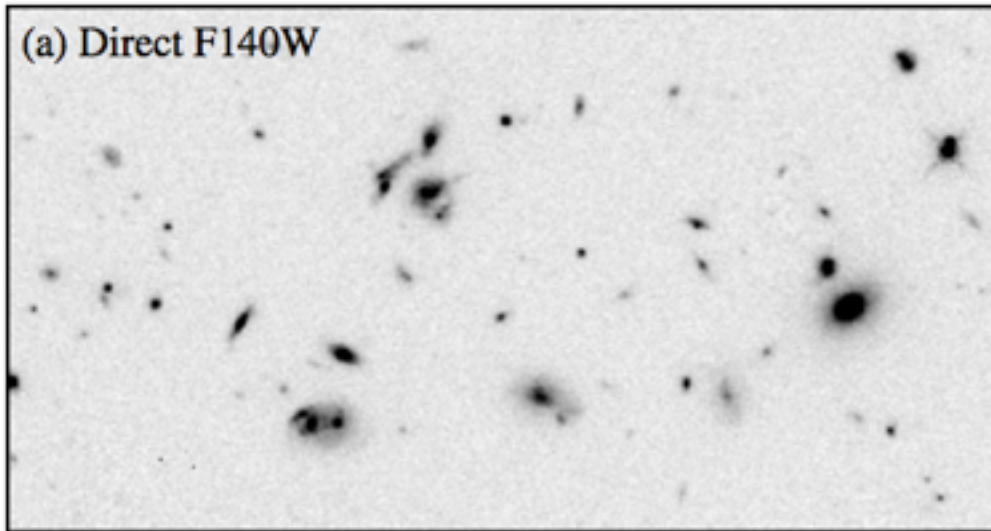
⊕ Telluric absorption features

# Practical Observation - 2) HST Slitless Spectroscopy



3D-HST (Brammer+12)

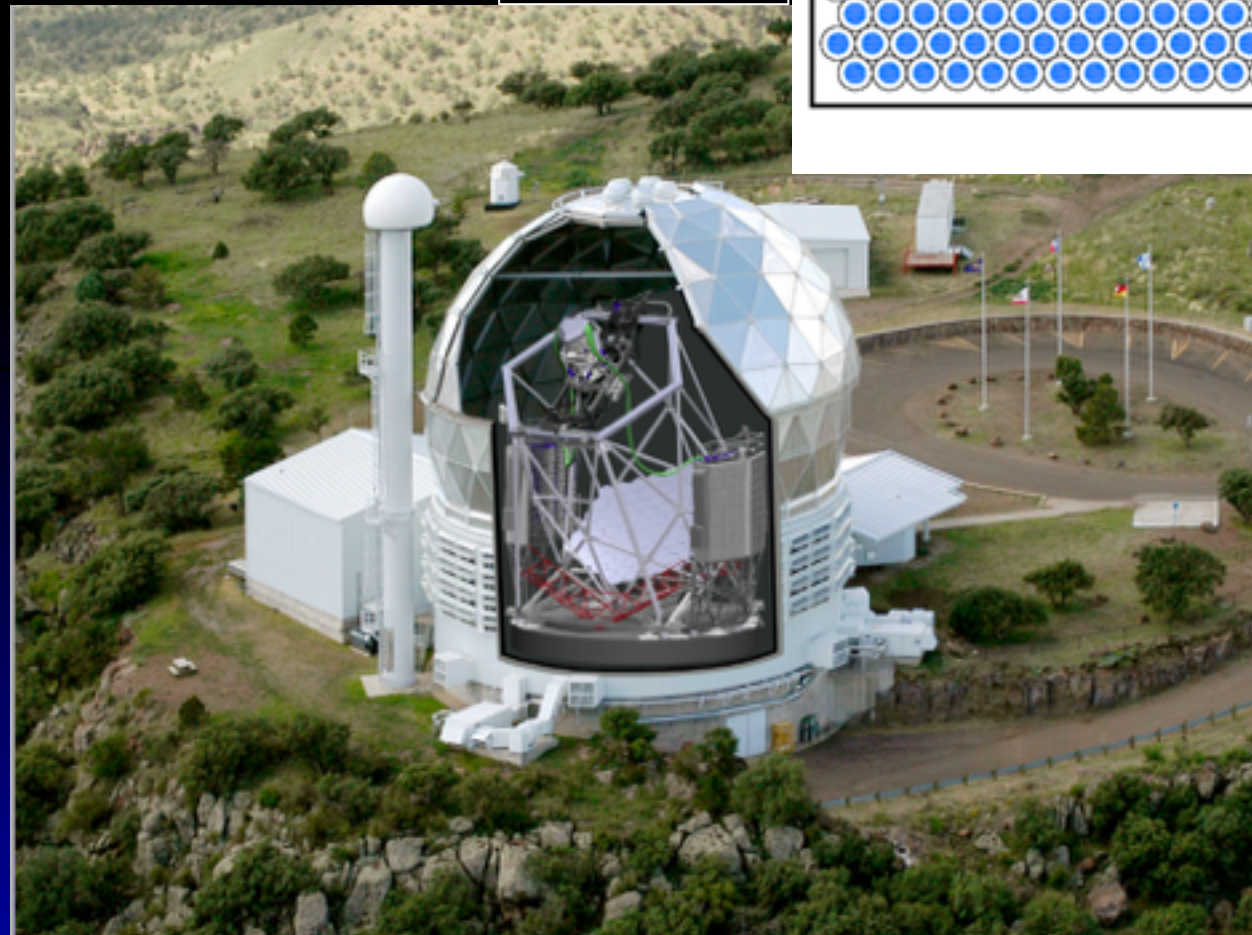
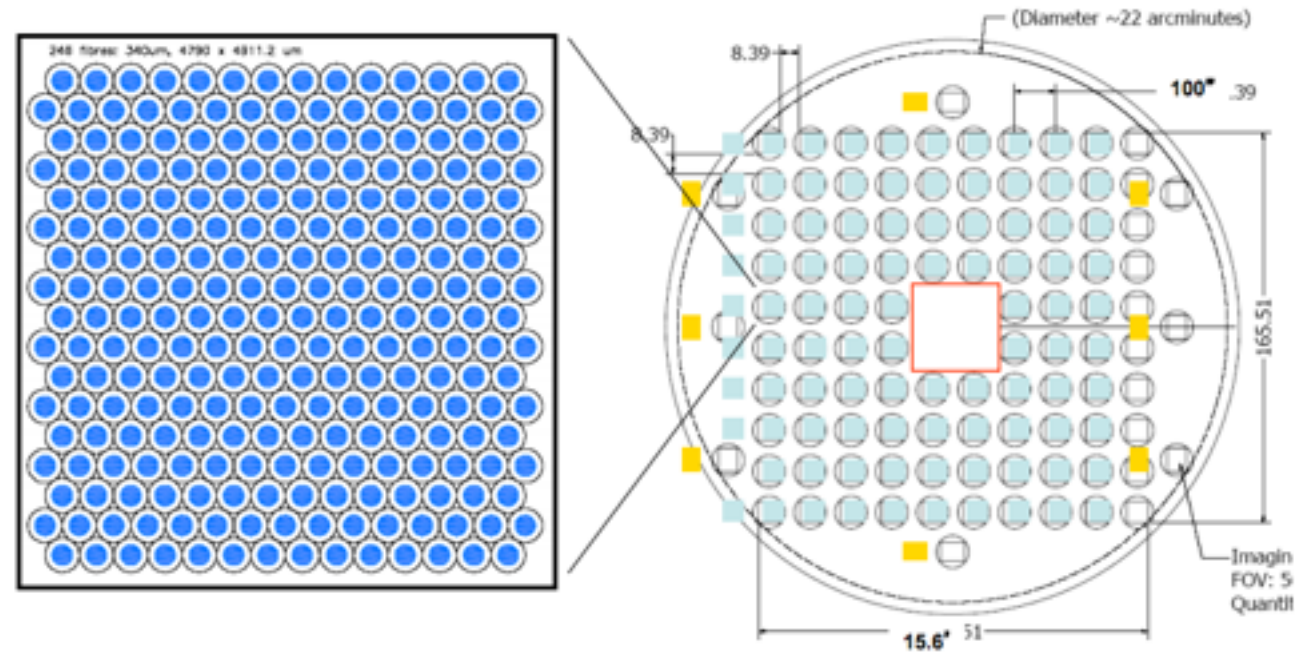
(a) Direct F140W





# Practical Observation - 3) HETDEX IFU+MOS Survey

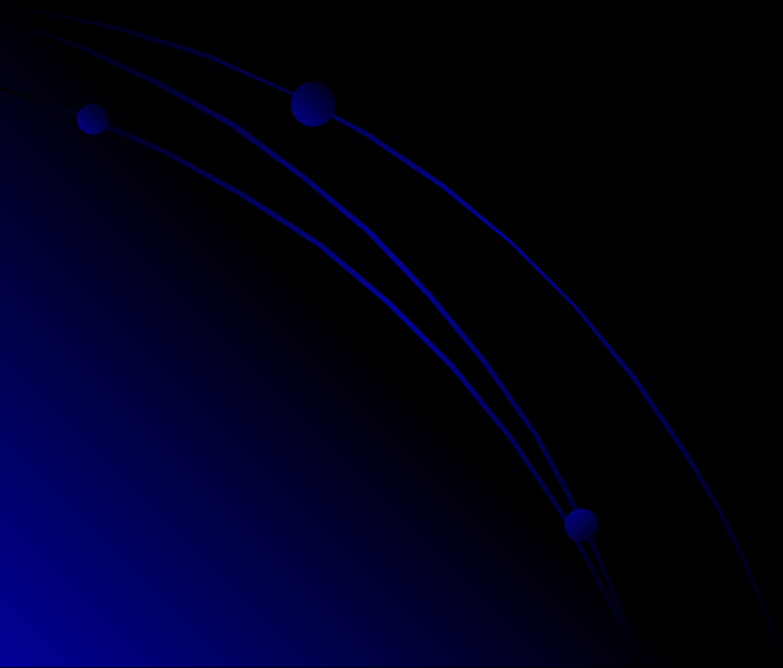
HETDEX team



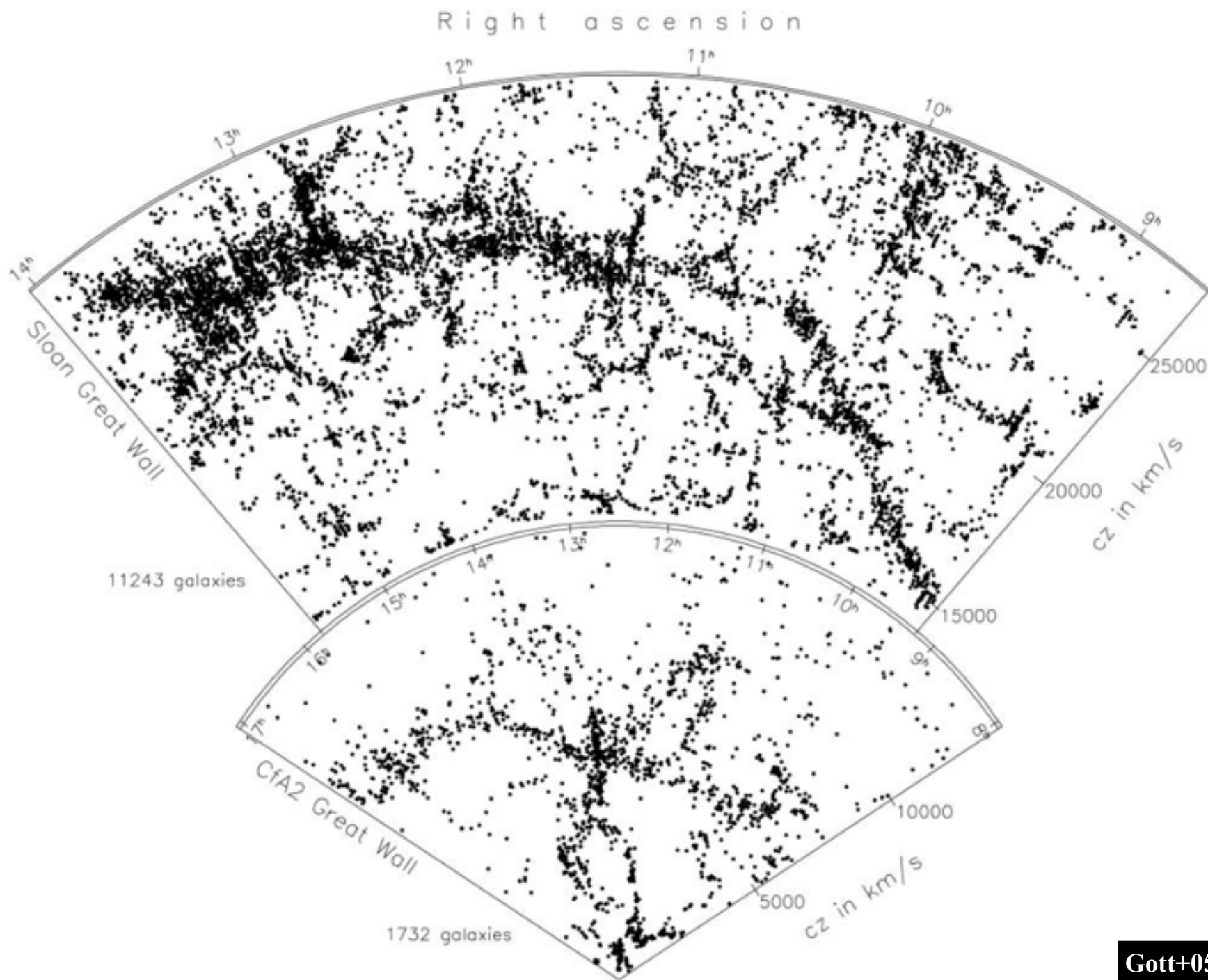
- **Hobby-Eberly Telescope: 9.2m**
- **75 IFUs (each 448 1.5" fibres) in Diameter of 22'**
- **$L = 3500 - 5500\text{\AA}$  and  $R \sim 800$**
- **Targets: 800,000 LAEs at  $1.9 < z < 3.5$**
- **$420 \text{ deg}^2$  in 140 nights over 3 years**



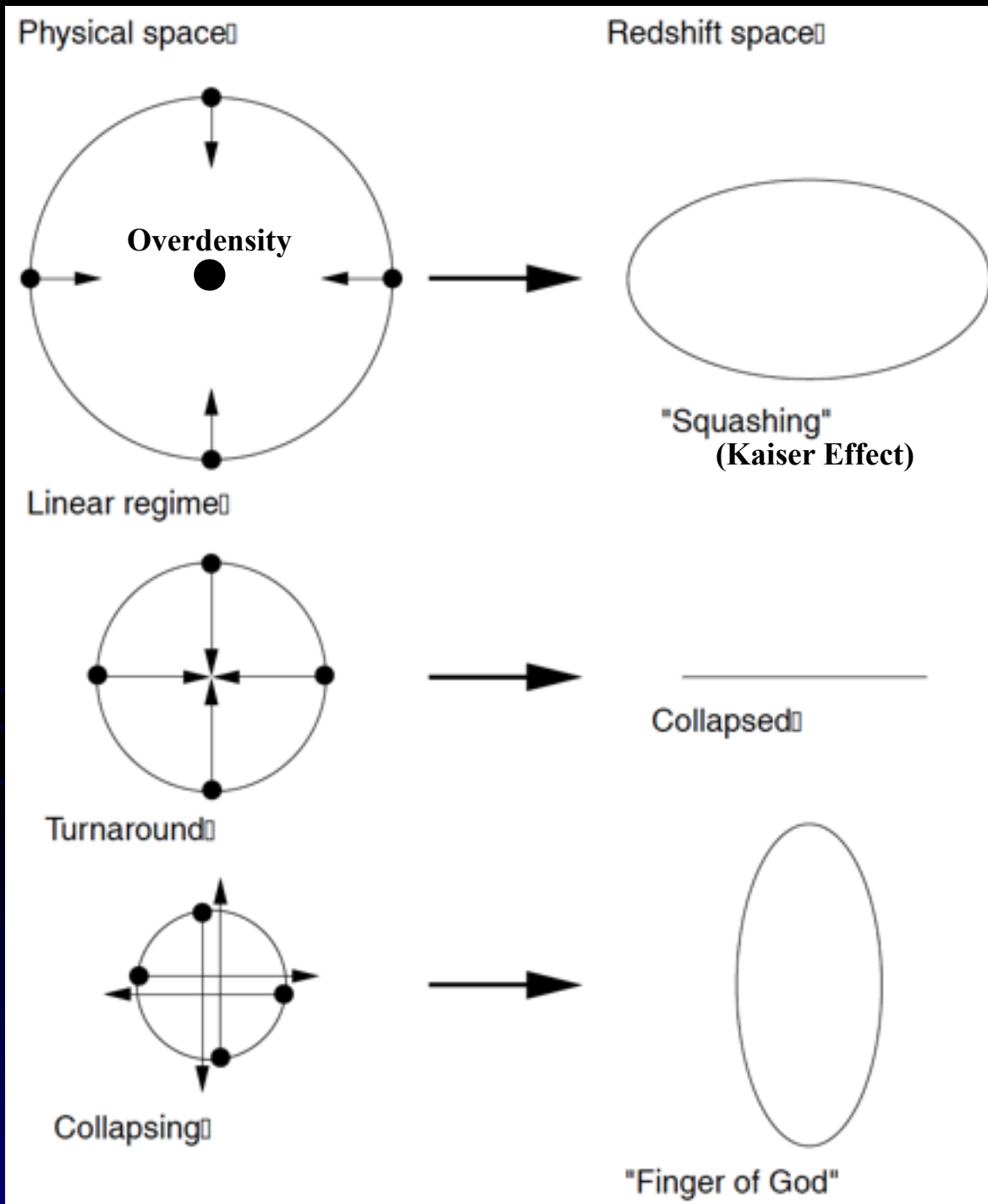
# Redshift Space Distortion



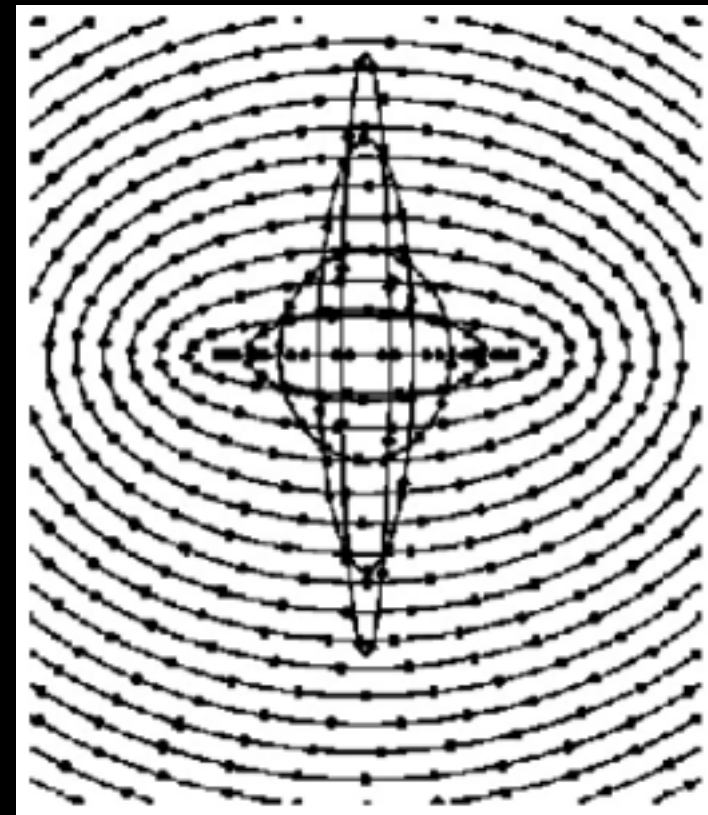
# Working on Redshift Space



# Spherical Infall: Real vs. Redshift Space

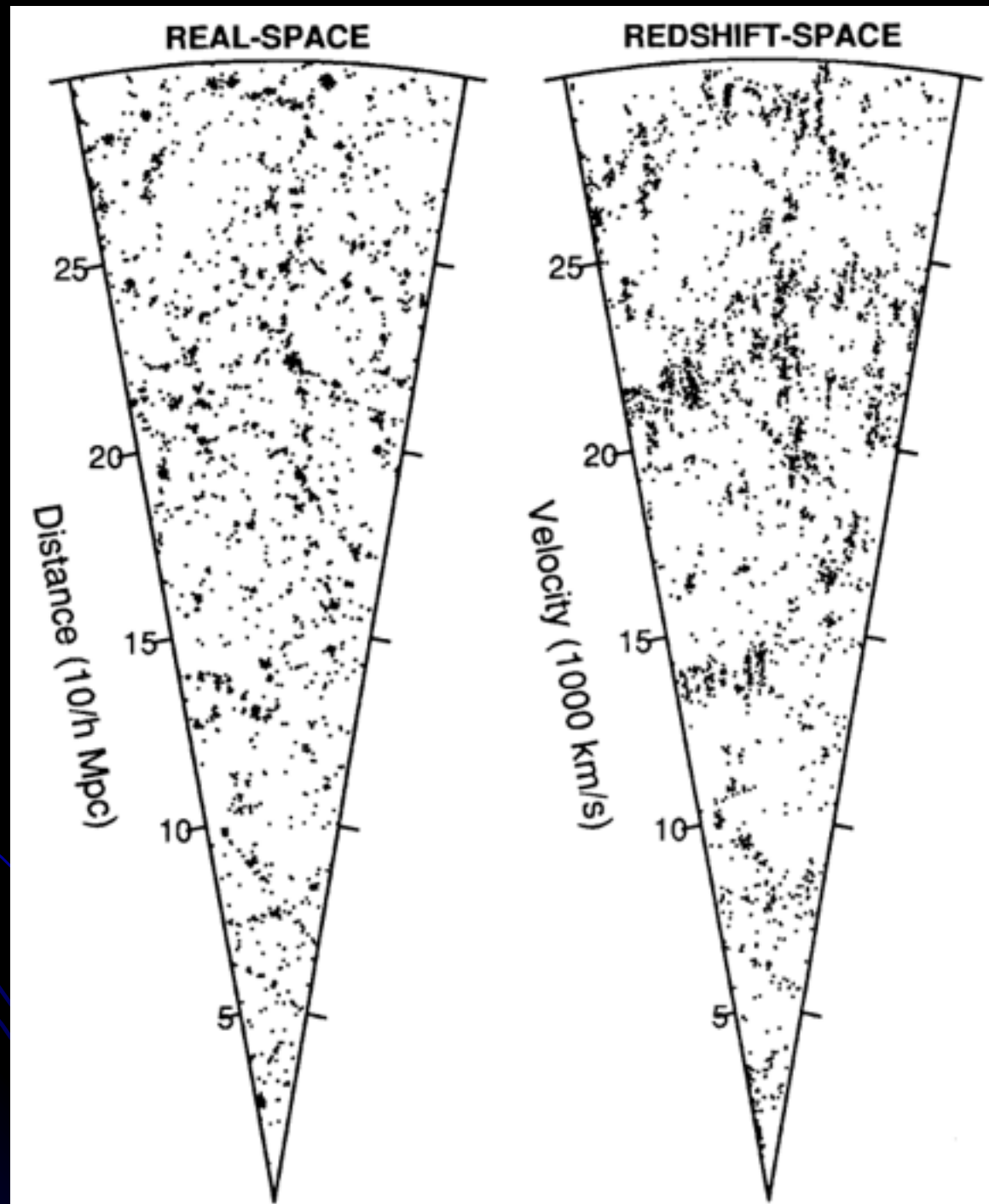


Line of Sight



Positions of galaxies (points) in redshift space, in reality located on spherical shells.

# Real Space vs. Redshift Space



# Two-point Correlation Function (Peebles 80)

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- If  $\bar{n}$  is the average number density of galaxies, the probability of finding a galaxy in a volume element  $dV$  around  $x$

$$P_1 = \bar{n} dV$$

- The probability of  
finding a galaxy in a volume element  $dV$  at location  $x$   
and at the same time  
finding a galaxy in the volume element  $dV$  at location  $y$

$$P_2 = (\bar{n} dV)^2 [1 + \xi_g(x, y)]$$

- $\xi_g$  is the two-point correlation function of galaxies



# Two-point Correlation Function

$$\xi_g(r) = \left(\frac{r}{r_0}\right)^{-\gamma}$$

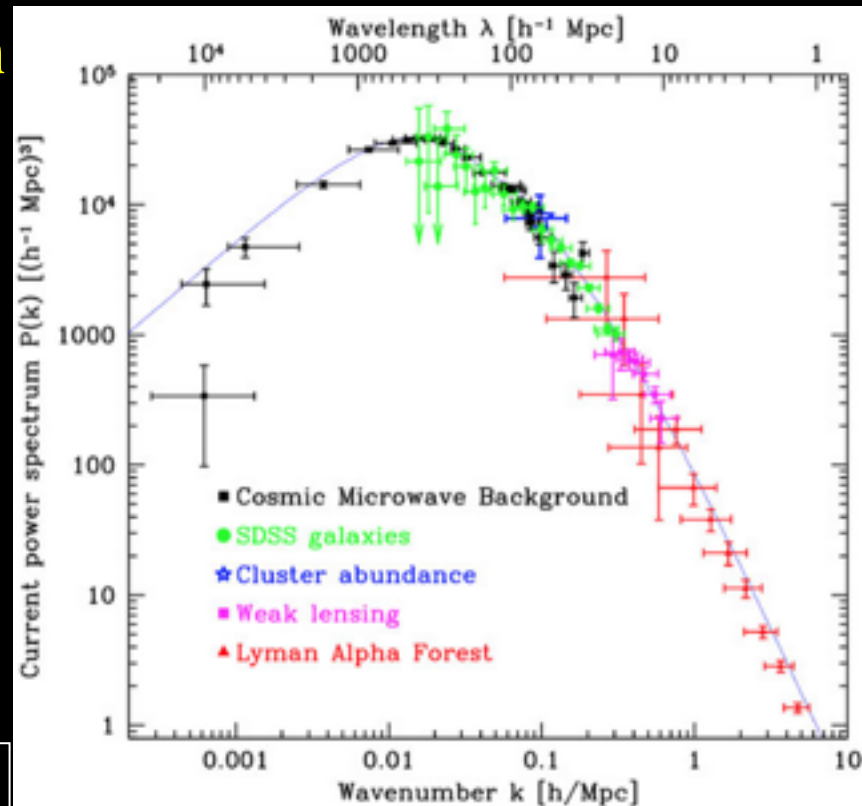
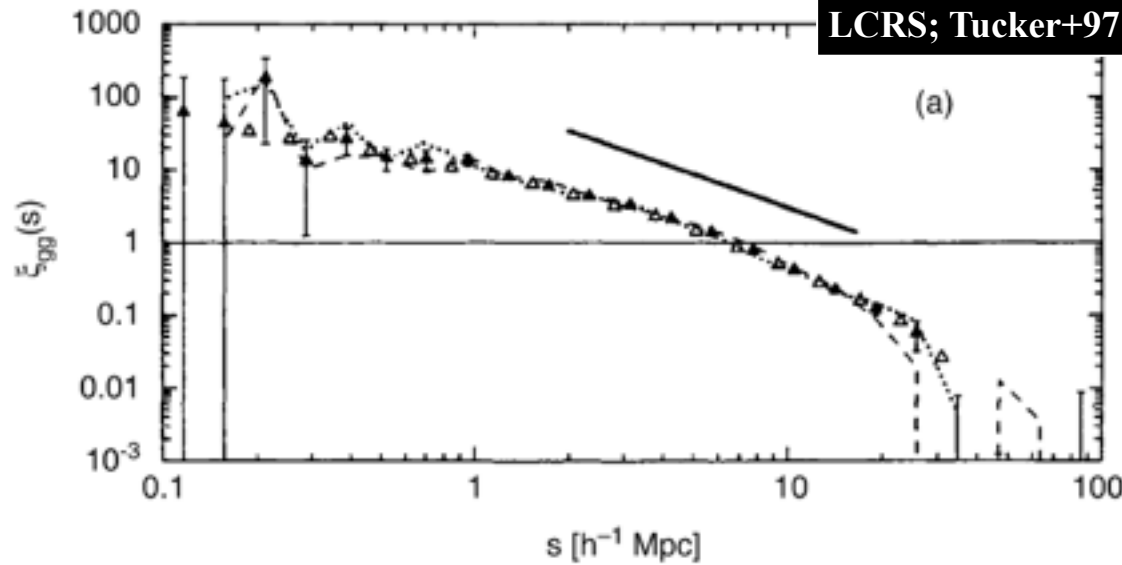
- Power law with
  - $r_0$ : correlation length ( $5h^{-1}$  Mpc)
  - $\gamma = 1.5-1.8$

## ➤ Application to Power Spectrum

$$P(k) = 2\pi \int_0^{\infty} dr r^2 \frac{\sin kr}{kr} \xi(r)$$

Tegmark+04

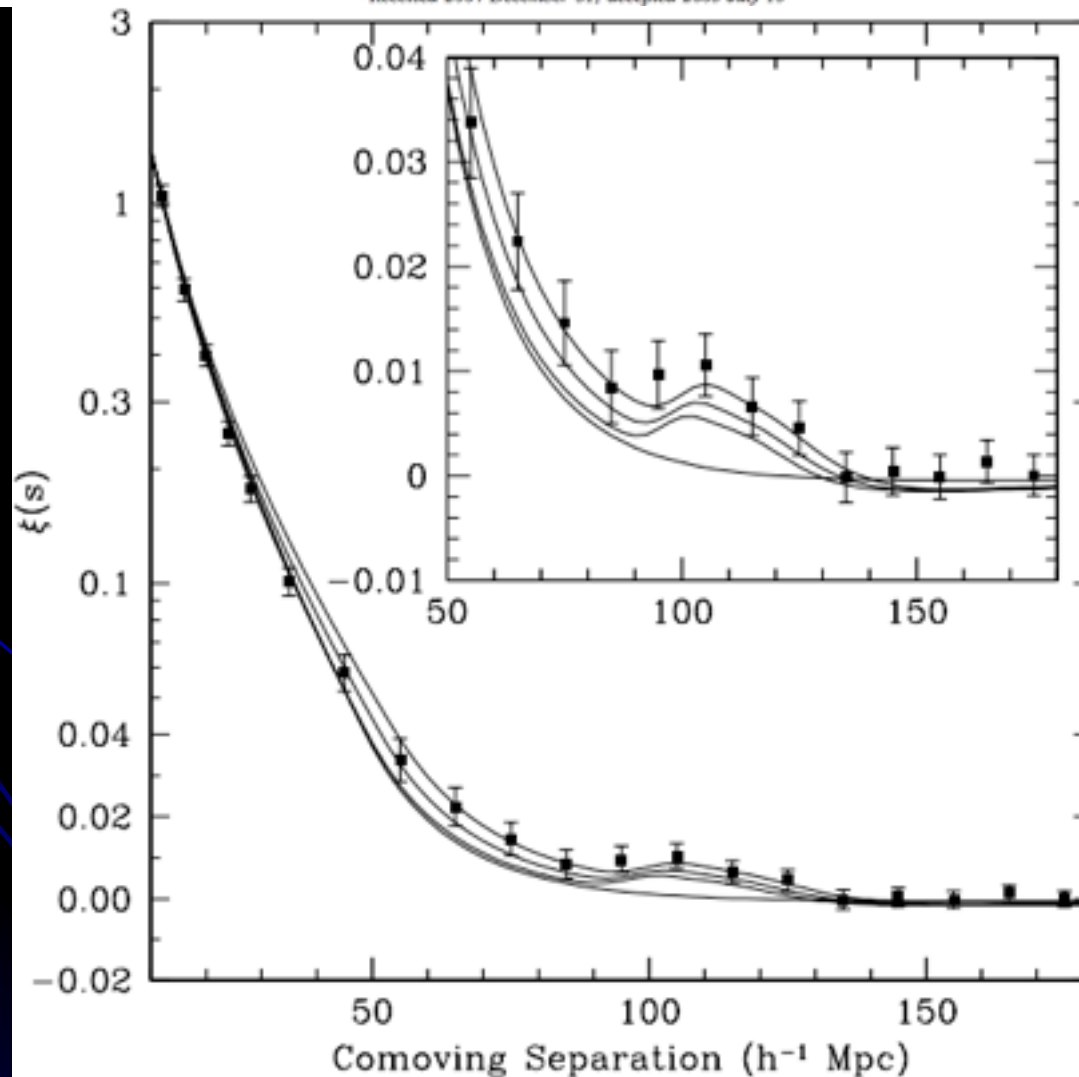
LCRS; Tucker+97



## DETECTION OF THE BARYON ACOUSTIC PEAK IN THE LARGE-SCALE CORRELATION FUNCTION OF SDSS LUMINOUS RED GALAXIES

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DOUGLAS L. TUCKER,<sup>10</sup> BRIAN YANNY,<sup>10</sup> AND DONALD G. YORK<sup>17</sup>

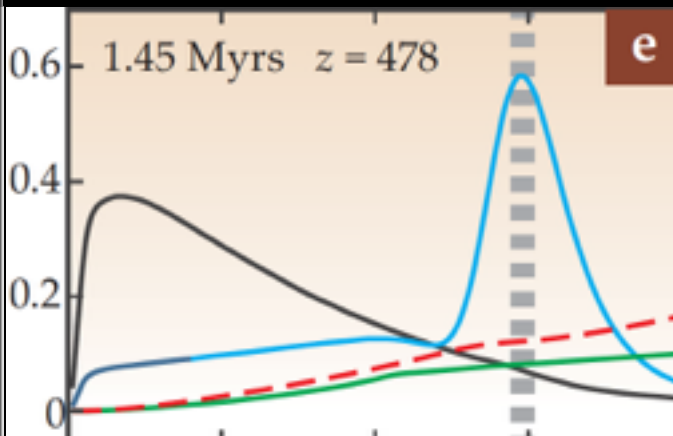
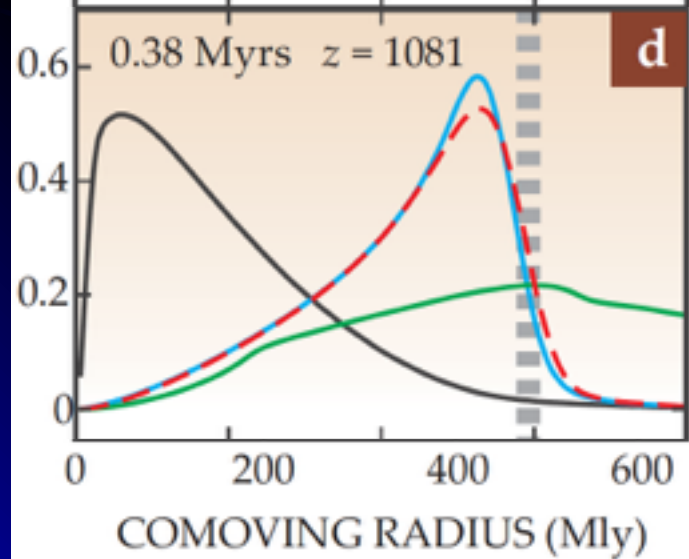
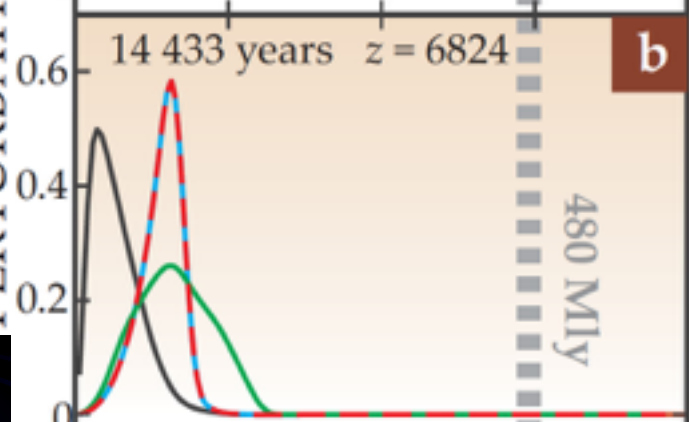
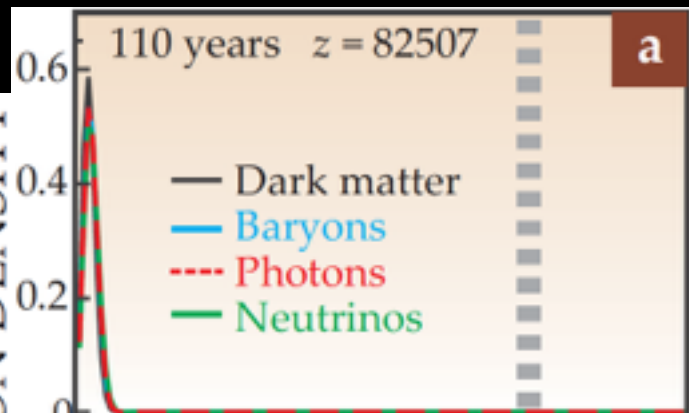
Received 2004 December 31; accepted 2005 July 15



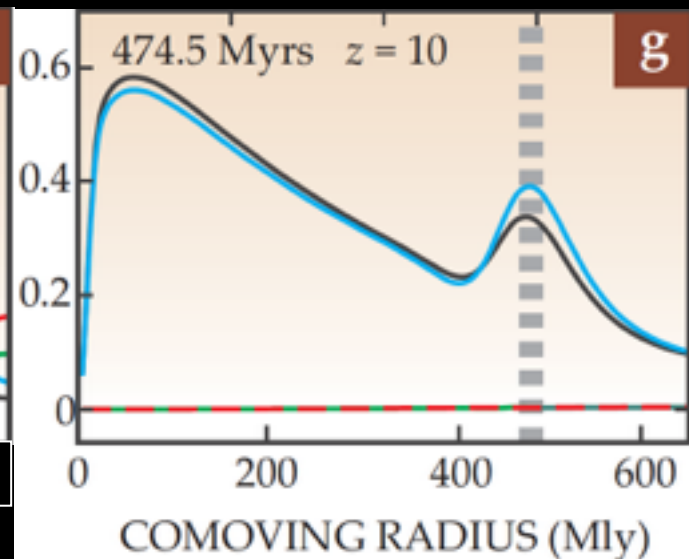
See also Cole+05  
from 2dFGRS

# BAO

PERTURBATION DENSITY

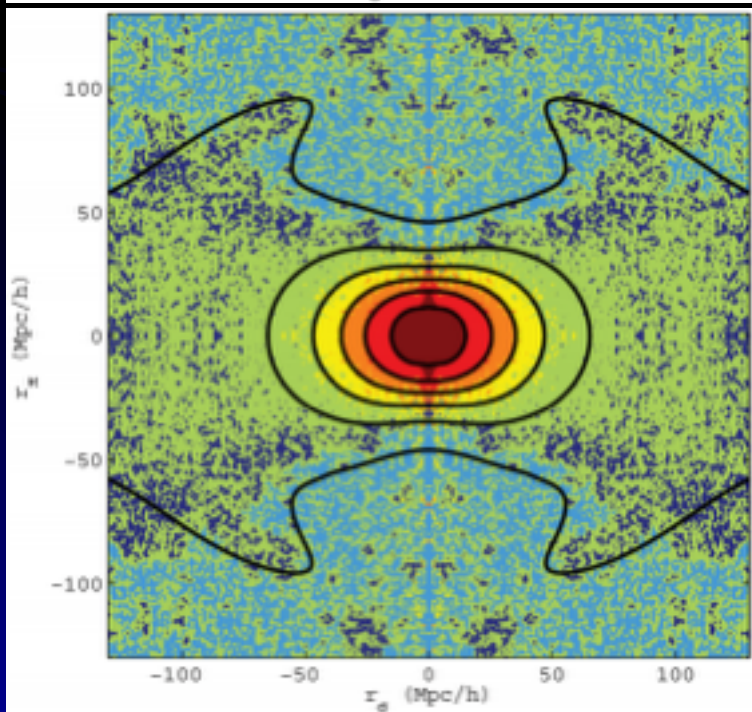
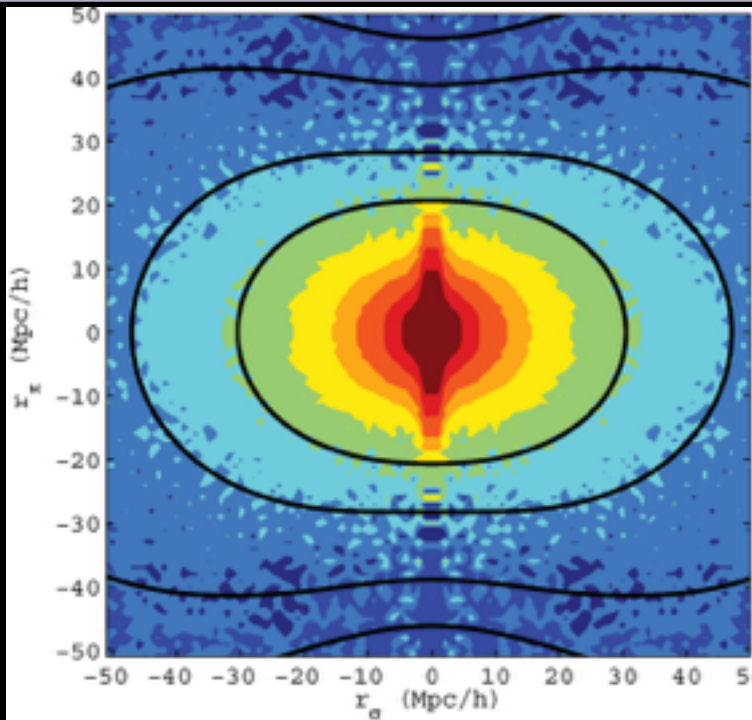


Eisenstein & Bennett 08



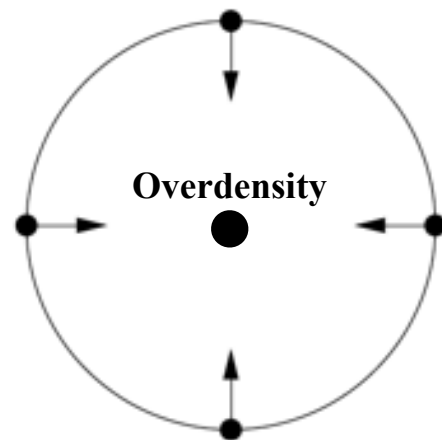
COMOVING RADIUS (Mly)

# Two-point Correlation Function in 2D

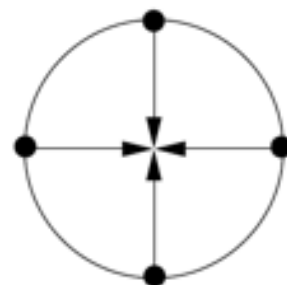


2D correlation function of DR9 CMASS galaxies (Reid+12)

Physical space



Linear regime

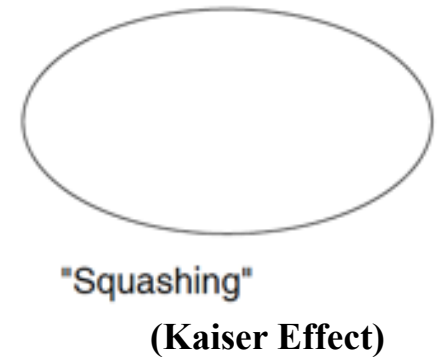


Turnaround



Collapsing

Redshift space



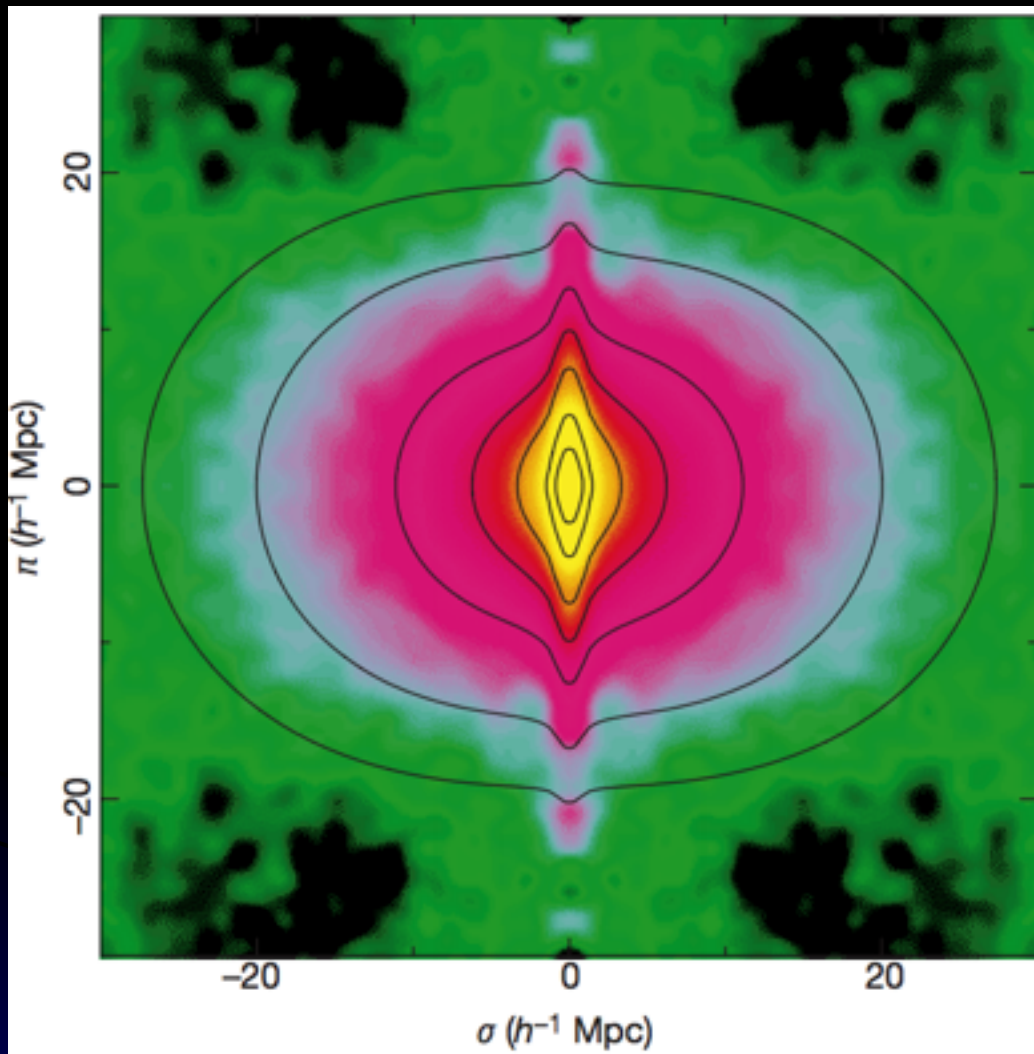
Collapsed



"Finger of God"



# Two-point Correlation Function in 2D

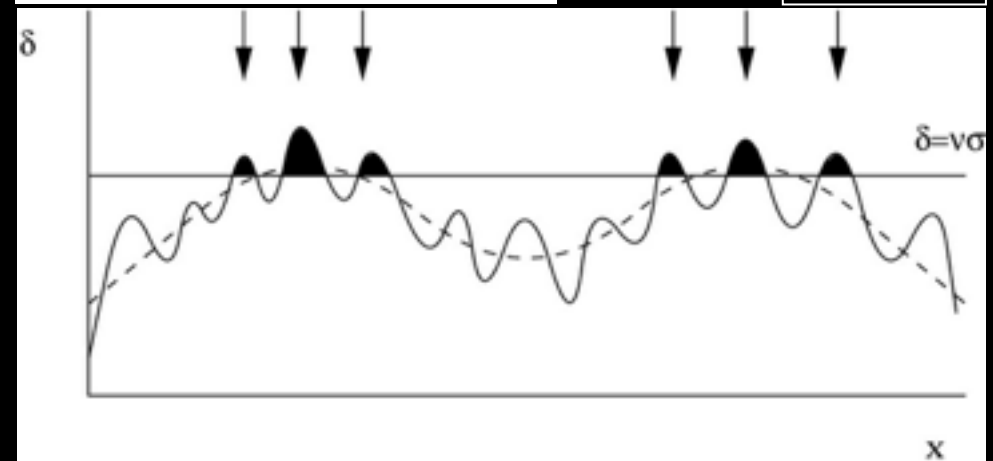


From 2dFGRS (Peacock 01)

- **Flattening: gravitational infall**  
→ depending on  $\Omega_m$  (Kaiser 87) :  
 $\beta \equiv \Omega_m^{0.6}/b$

$$\left. \frac{\delta\rho}{\rho} \right|_{\text{galaxies}} = b \left. \frac{\delta\rho}{\rho} \right|_{\text{mass}}$$

Peacock 03



- **Using 2dFGRS (Peacock +01),**  
 $\beta = 0.43 \pm 0.07 \rightarrow \Omega_m \sim 0.3$   
{b from the ratio of galaxy and mass(CMB) power spectra}



# Contents

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## ➤ Goal:

Understand how to obtain scientific results from observational data (redshift survey)

## ➤ Part 1:

- Extragalactic Distance Indicators
- Optical Spectroscopy
- Redshift Space Distortion

## ➤ Part 2:

- Voids
- Photometric Redshifts (K-correction)
- Cosmology with High- $z$  Objects
- Peculiar Velocity (Large-Scale Structure Near Local Group)

## ➤ Part 3:

- Current/Future Redshift Surveys